

Elliptic flow of electron from  
heavy flavor decay by the  
PHENIX

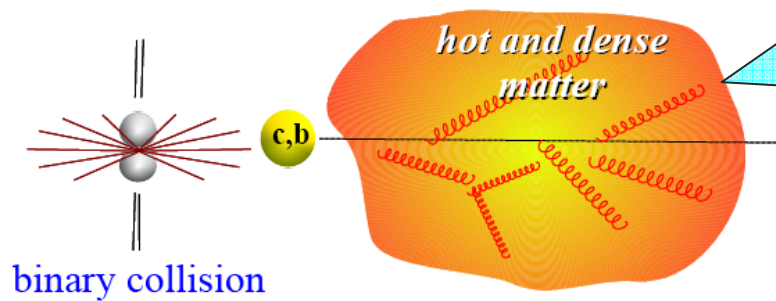
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(Univ. of Tsukuba & JPSP)

# [ Outline ]

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- Physics motivation
- Method
- Result
- Compare with models
- Summary

# Motivation



- flow & energy loss ?
- insight into the property of the medium

- Charm is produced in initial collisions via gluon fusion and propagates through medium  
=> **good probe for studying property of the medium**
- $v_2$  and  $R_{AA}$  measurement are useful analysis method
- Large energy loss has been observed. => talked by F. Kajihara
- How about charm flow ?  
=> indicate strongly coupling & quark level thermalization
- $v_2$  &  $R_{AA}$  are related to the diffusion coefficient  $D$  and  $\eta/s$   
$$D \propto \eta/(sT)$$

# Charm via electron measurement

- Electron is one of the good probe of charm
- Electron sources

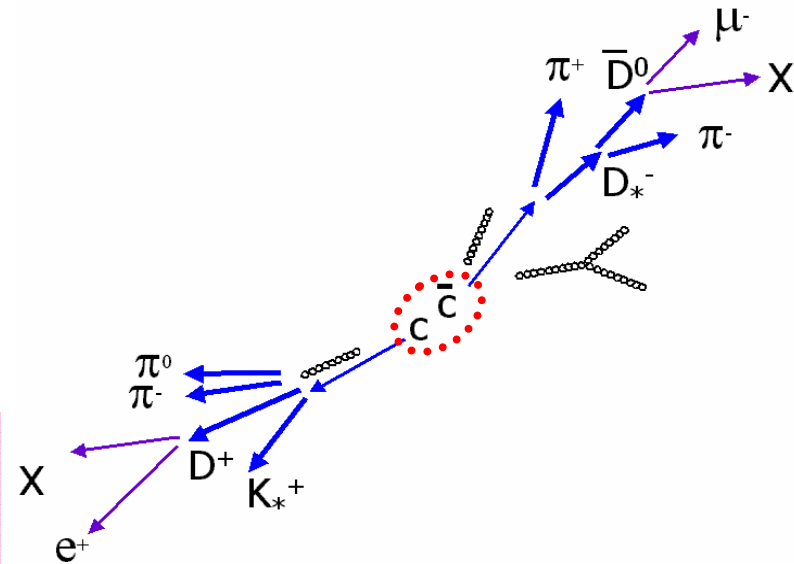
- photonic

- photon conversion
- Dalitz decay ( $\pi^0, \eta, \omega \rightarrow \gamma \gamma$ )

- non-photonic

- Ke3 decay

- primarily semi-leptonic decay of mesons containing c & b



- We have two independent method for photonic electron subtraction.

# Photonic electron subtraction

## ■ Cocktail subtraction

photonic electrons are calculated as cocktail of each sources.

[PRL 88, 192303 (2002) ]

## ■ Converter subtraction

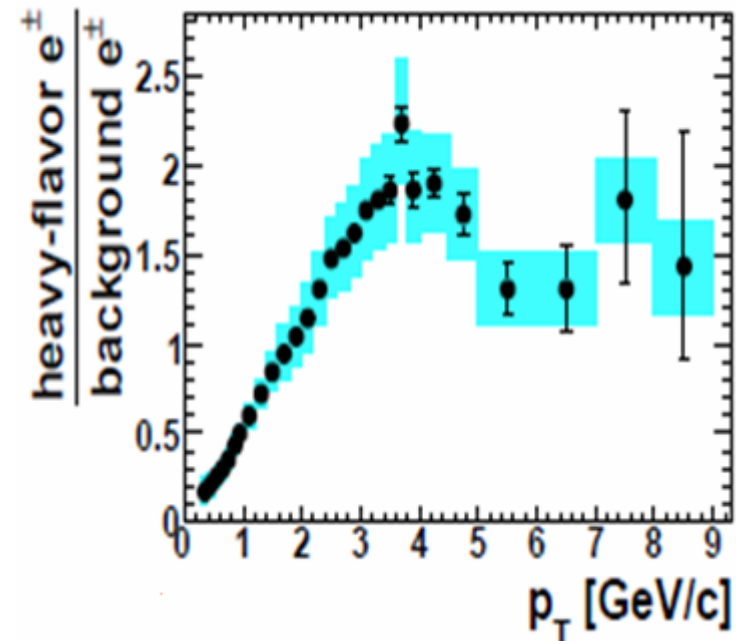
Photonic electrons are extracted experimentally by special run with additional converter

( $X = 0.4 + 1.7\%$ )

[PRL 94, 082301 (2005) ]

- 50 % of e come from non- $\gamma$  @ high  $p_T$  ( $>1.5$  GeV/c)

\* Details about spectra analysis ; F. Kajihara's talk



# Non-photonic electron $v_2$ measurement

- Non photonic electron  $v_2$  is given as;

$$\frac{dN^e}{d\Phi} = \frac{dN^{\gamma.e}}{d\Phi} + \frac{dN^{non-\gamma.e}}{d\Phi} \quad (1)$$

$$v_2^{non-\gamma.e} = \frac{(1 + R_{NP})v_2^e - v_2^{\gamma.e}}{R_{NP}} \quad (2)$$

$v_2^e$  ; Inclusive electron  $v_2$   
=> Measure

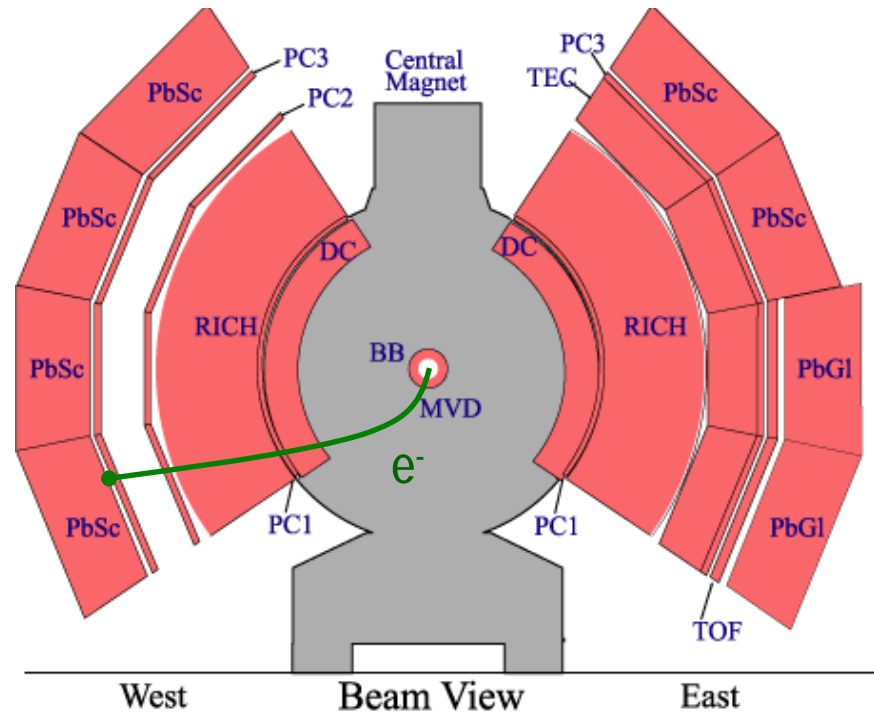
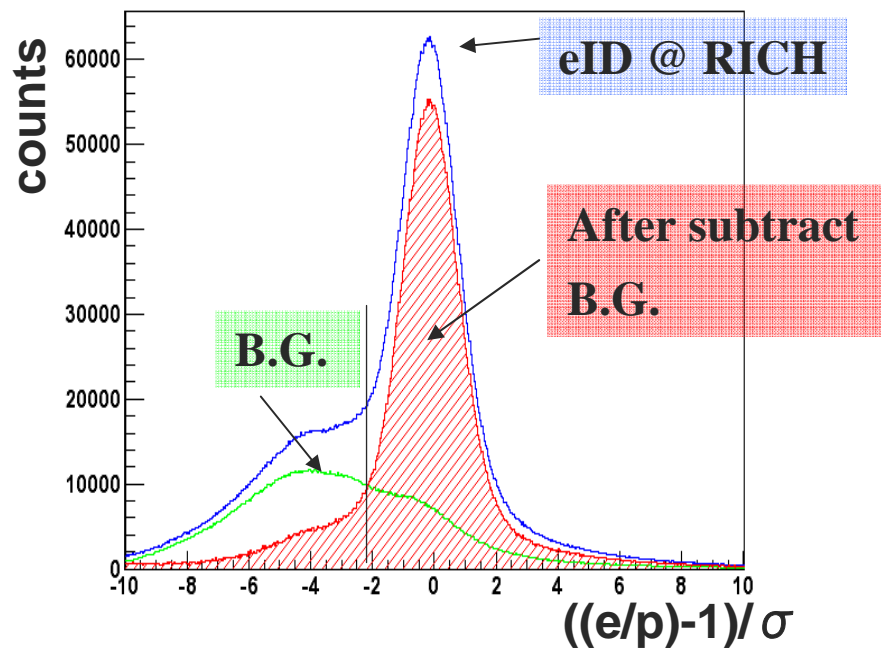
$R_{NP} = (\text{Non-}\gamma \text{ e}) / (\gamma \text{ e})$   
=> Measure

$v_2^{\gamma.e}$  ; Photonic electron  $v_2$   
=> Cocktail method (simulation) stat. advantage  
=> Converter method (experimentally)

# Electron ID @ PHENIX

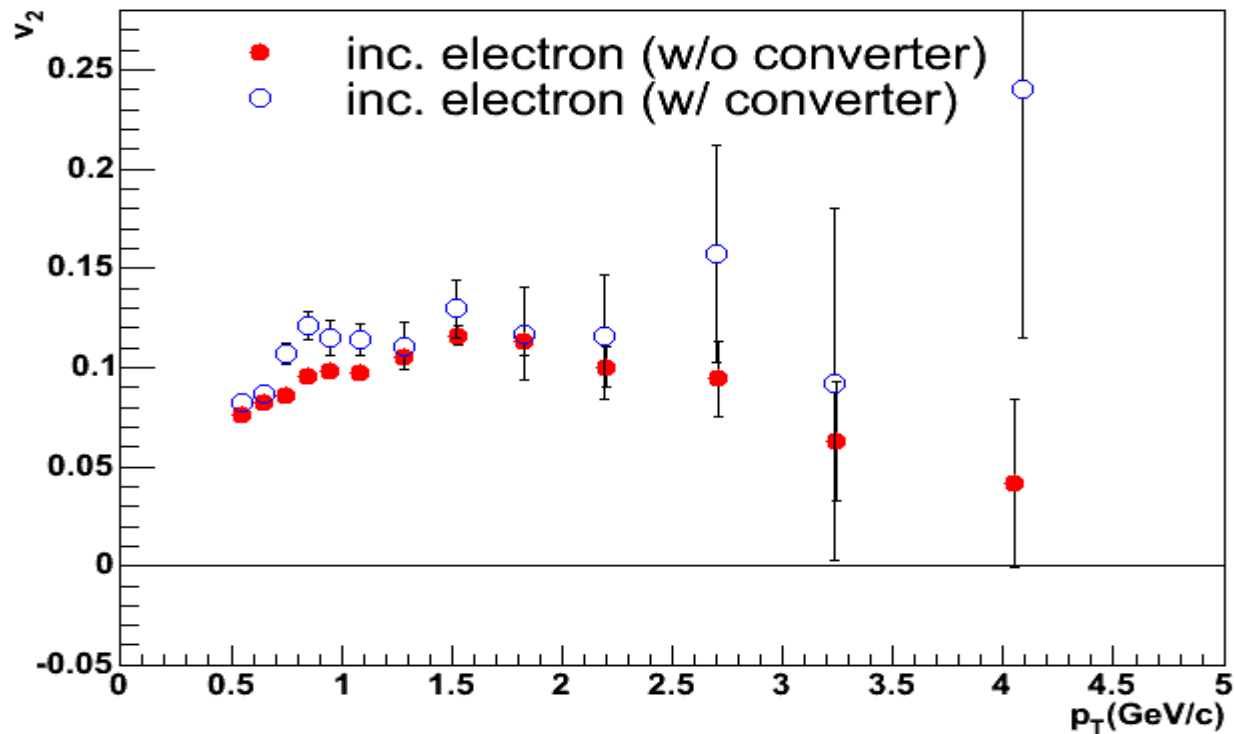
## ■ Electron ID

- RICH ; electron ID
- EMC ; measure E
- request E/p matching



■ Radiation length < 0.4 %

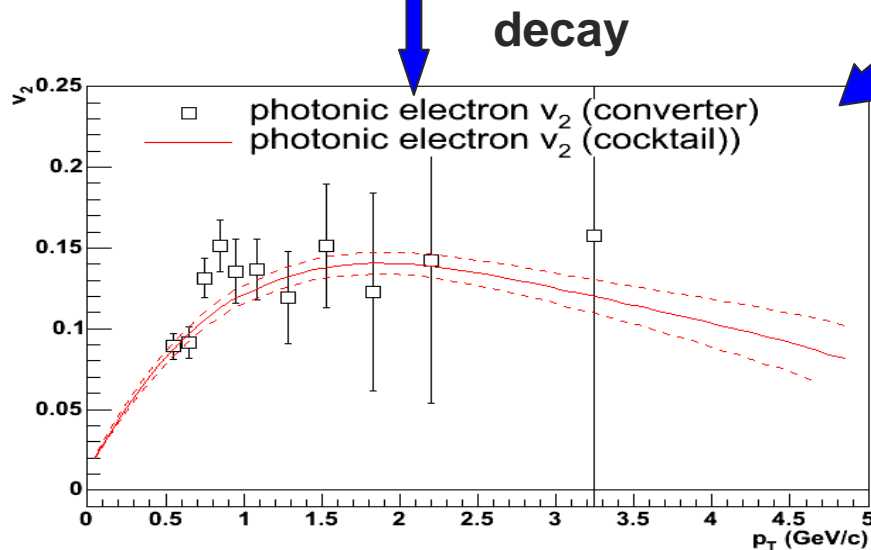
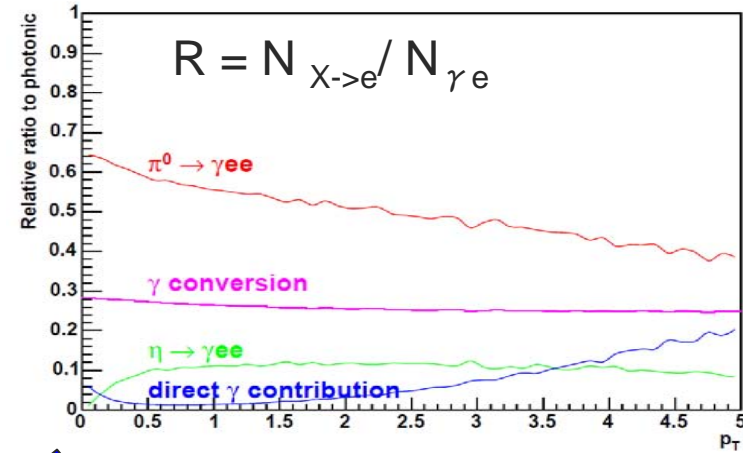
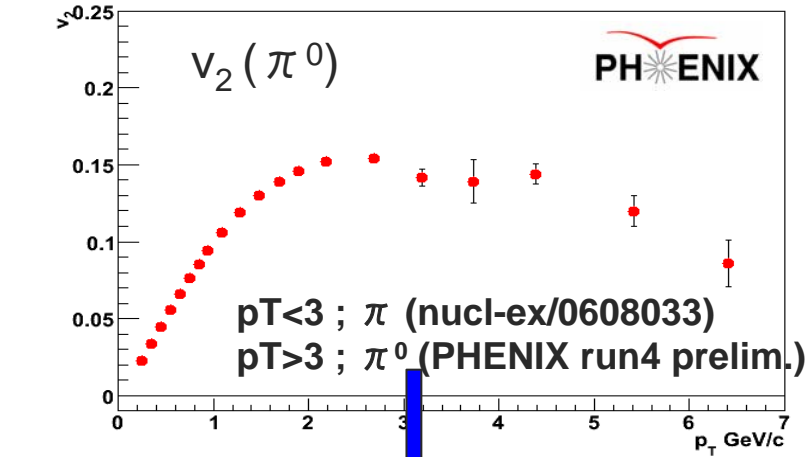
# Inclusive electron $v_2$



- inclusive electron  $v_2$  measured w.r.t reaction plane
- converter --- increase photonic electron
- photonic & non-photonic e  $v_2$  is different



# Photonic e $v_2$ determination

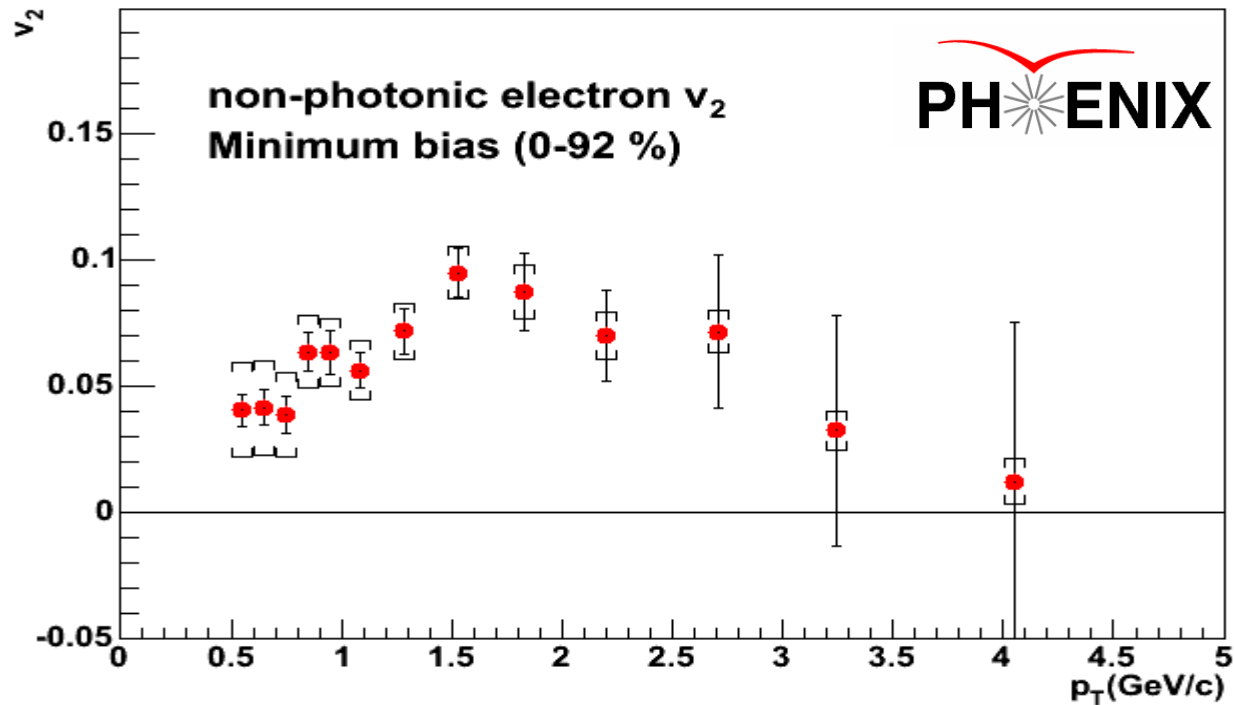


- photonic electron  $v_2$   
=> cocktail of photonic e  $v_2$

$$v_2^{\gamma.e} = \sum R \times v_2^{decay}$$

- good agreement  
converter method  
(experimentally determined)

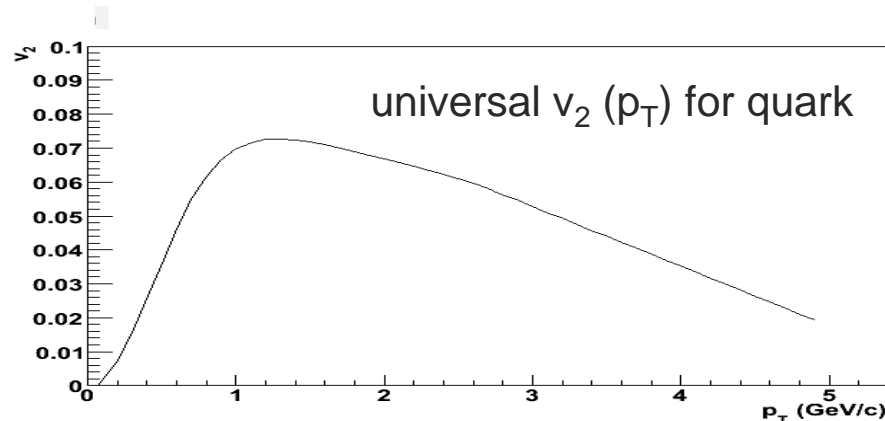
# Non-photonic electron $v_2$



- Strong elliptic flow for non-photonic electron
- Main source is D meson -> indicate non-zero D  $v_2$
- Charm  $v_2$  also non-zero ?

# Non-zero charm $v_2$ ? (1)

- Apply recombination model
- Assume universal  $v_2$  ( $p_T$ ) for quark



Shape is determined with measured identified particle  $v_2$

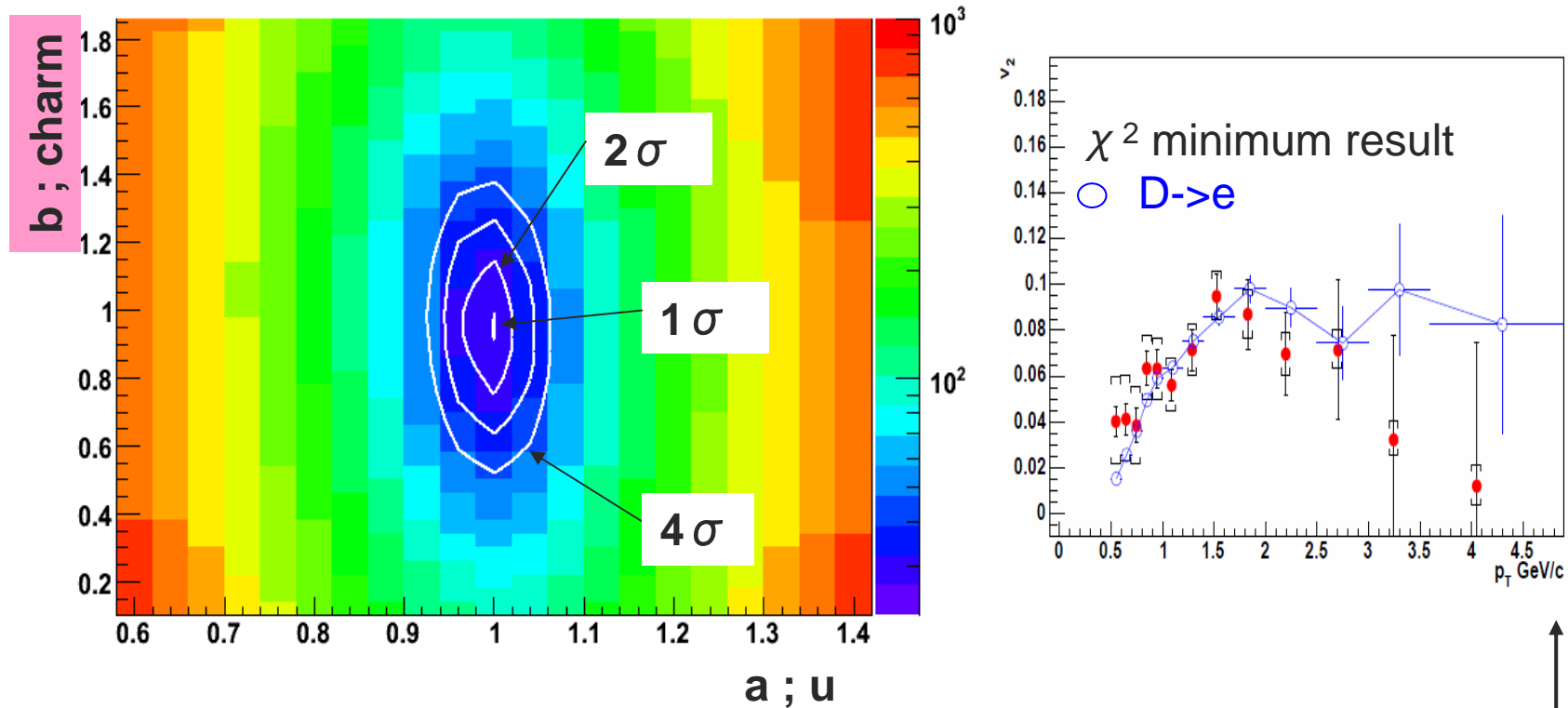
[PRC 68 044901  
Zi-wei & Denes]

$$v_2^D(p_T) = \underline{a} v_2^q \left( \frac{m_u}{m_D} p_T \right) + \underline{b} v_2^q \left( \frac{m_c}{m_D} p_T \right) \rightarrow v_2^e$$

a,b ; fitting parameters

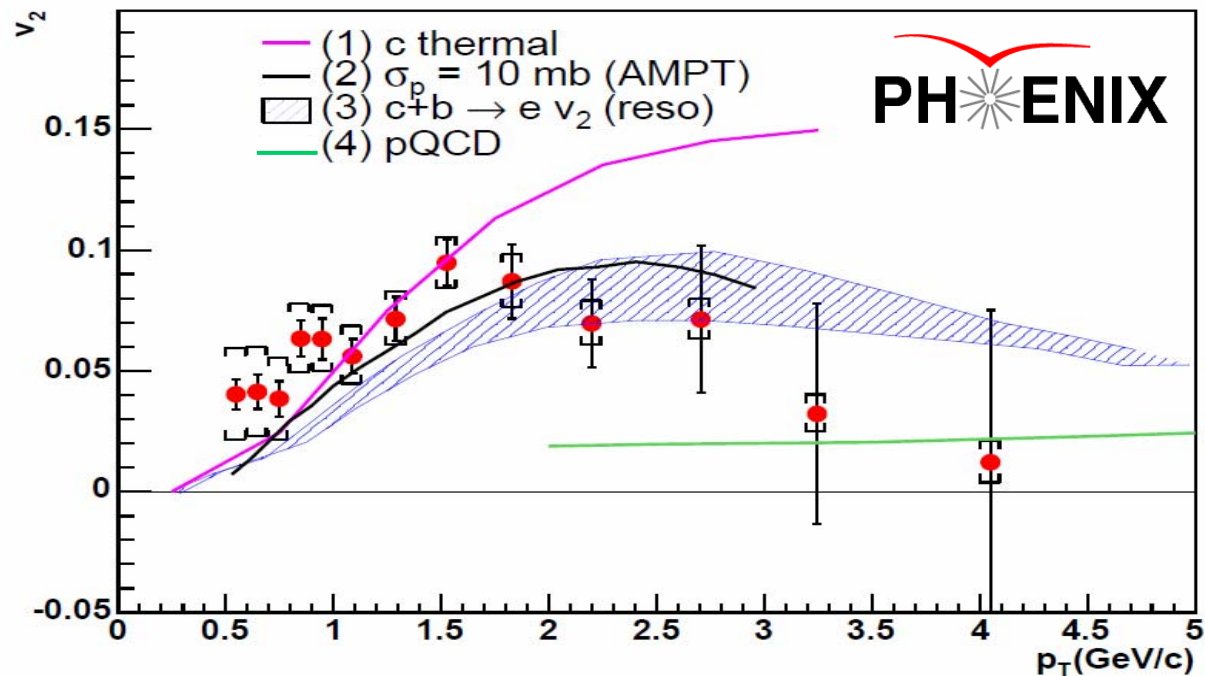
- simultaneous fit to  $v_2^\pi$ ,  $v_2^K$  and  $v_2^{\text{non-}\gamma e}$

# Non-zero charm $v_2$ ? (2)



- $\chi^2$  minimum ;  $a = 1$ ,  $b = 0.96$  ( $\chi^2/\text{ndf} = 21.85/27$ )
- Based on this recombination model, the data suggest non-zero  $v_2$  of charm quark.

# Compare with models



- (1) Charm quark thermal + flow [Phys.Lett. B595 202-208 ]
- (2) large cross section ;  $\sim 10$  mb [PRC72,024906]
- (3) Resonance state of D & B in sQGP [PRC73,034913]
- (4) pQCD [PRB637,362] --- fail

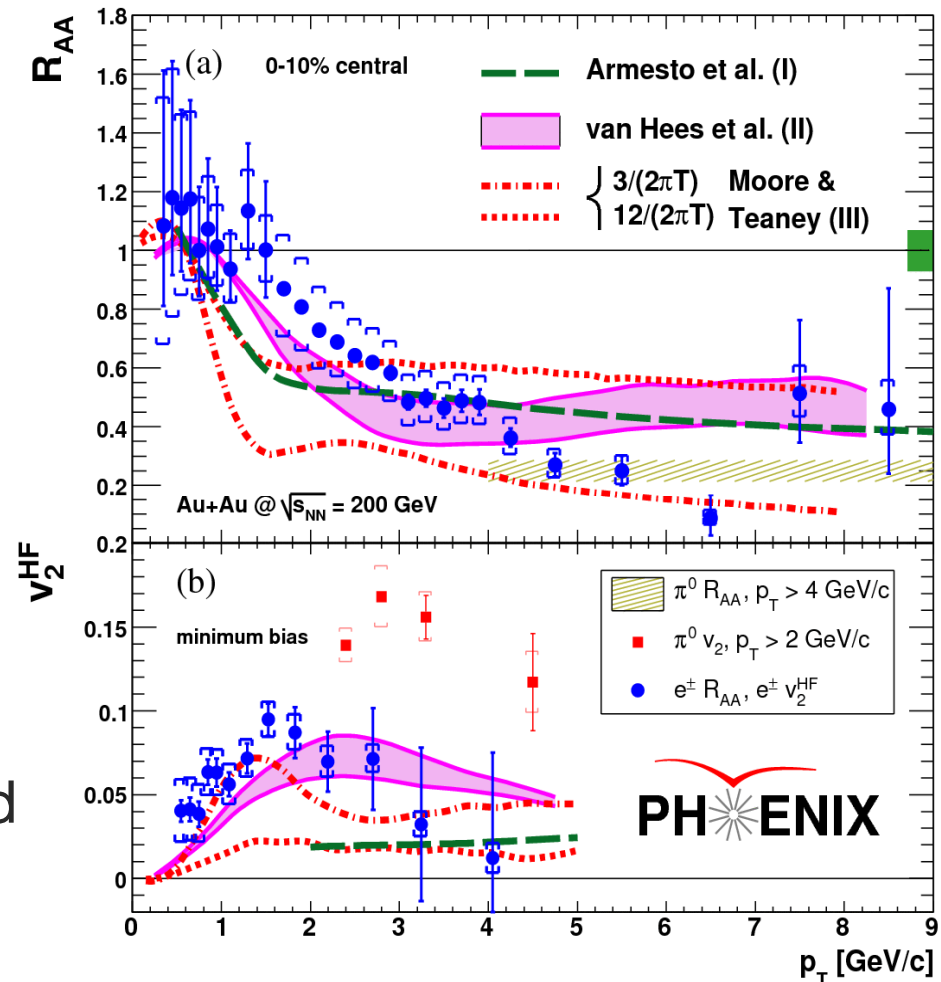
work

=> Charm quark strongly coupled to the matter

# Comparison with models; $R_{AA}$ & $v_2$

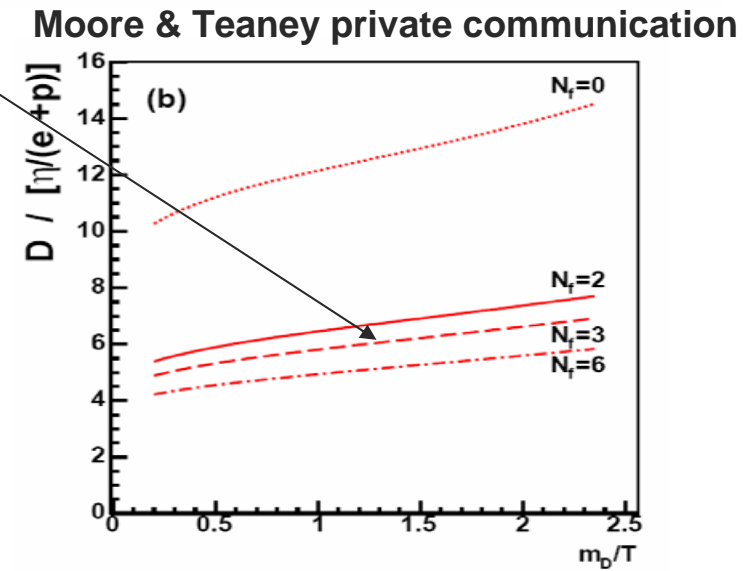
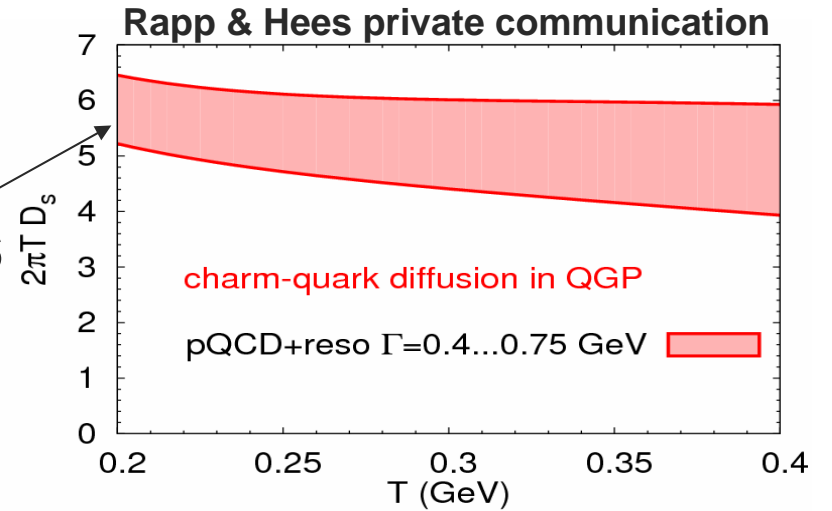
Nucl-ex/0611018

- Two models describes strong suppression and large  $v_2$ 
  - Rapp and Van Hees
    - ✓ Elastic scattering  
→ small  $\tau$
    - ✓  $D_{HQ} \times 2\pi T \sim 4 - 6$
  - Moore and Teaney
    - ✓  $D_{HQ} \times 2\pi T = 3 \sim 12$
- These calculations suggest that small  $\tau$  and/or  $D_{HQ}$  are required to reproduce the data.



# [ Constraining $\eta/s$ with PHENIX data ]

- Rapp and van Hees [Phys.Rev.C71:034907,2005](#)
  - Simultaneously describe PHENIX  $R_{AA}(E)$  and  $v_2(e)$  with diffusion coefficient in range  $D_{HQ} \times 2\pi T \sim 4-6$
- Moore and Teaney [Phys.Rev.C71:064904,2005](#)
  - Find  $D_{HQ}/(\eta/(\epsilon+p)) \sim 6$  for  $N_f=3$
  - Calculate perturbatively, argue result also plausible non-perturbatively
- Combining
  - Recall  $\epsilon+p = T s$  at  $\mu_B=0$
  - This then gives  $\eta/s \sim (1.5-3)/4\pi$
  - That is, within factor of 2 of conjectured bound



# [ Summary ]

- Non-photonic electron  $v_2$  mainly from charm decay was measured @  $\sqrt{s} = 200$  GeV in Au+Au collisions at RHIC-PHENIX & non-zero  $v_2$  is observed
- The data suggest non-zero  $v_2$  of charm quark.
- Charm quark strongly coupled to the matter
- Model comparison suggests
  - small  $\tau$  and/or  $D_{HQ}$  are required
  - $\eta/s$  is very small, near quantum bound.



Thanks!



[ BackUp

]

# Additional Remarks



## ■ What does $D_{\text{HQ}}/(\eta/(\varepsilon+p)) \sim 6$ mean?

### ○ Denominator:

- $D_{\text{HQ}}$  is diffusion length  $\sim$  heavy quark diffusion length  $\lambda_{\text{HQ}}$

### ○ Numerator:

- Note that viscosity  $\eta \sim n \langle p \rangle \lambda$

- $n$  = number density
- $\langle p \rangle$  = mean (thermal) momentum
- $\lambda$  = mean free path

- “Enthalpy”  $\varepsilon + P \sim n \langle p \rangle$

- Here  $P$  is pressure

- So  $\eta/(\varepsilon+P) = (n \langle p \rangle \lambda) / (n \langle p \rangle) \sim \lambda$

- Note this  $\lambda$  is for the **medium**, i.e., light quarks

### ○ Combining gives $D_{\text{HQ}}/(\eta/(\varepsilon+p)) \sim \lambda_{\text{HQ}} / \lambda$

- Not implausible this should be of order 6

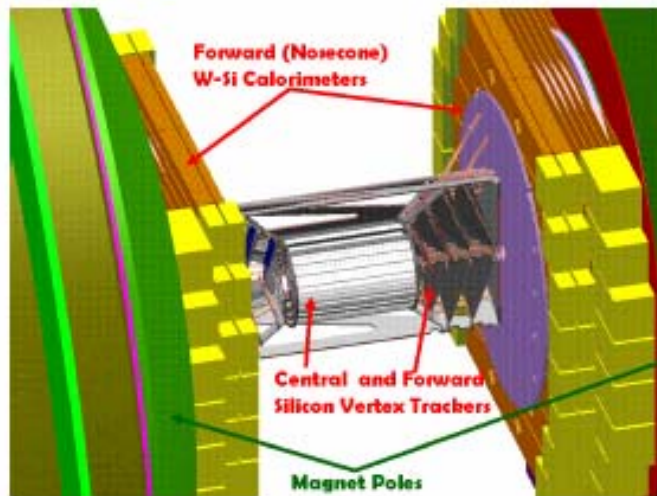
## ■ Notes

- Above simple estimates in Boltzmann limit of well-defined (quasi)-particles, densities and mfp's

- The “transport coefficient”  $\eta/(\varepsilon+p)$  is preferred by theorists because it remains well-defined in cases where Boltzmann limit does not apply (sQGP?)

# Outlook for heavy flavor $v_2$ study @ PHENIX

- new reaction plane detector
  - good resolution => reduce error from R.P.
  - $J/\psi$   $v_2$  & high  $p_T$  non-photon electron  $v_2$
- silicon vertex detector
  - direct measurement  $D$  meson  $v_2$

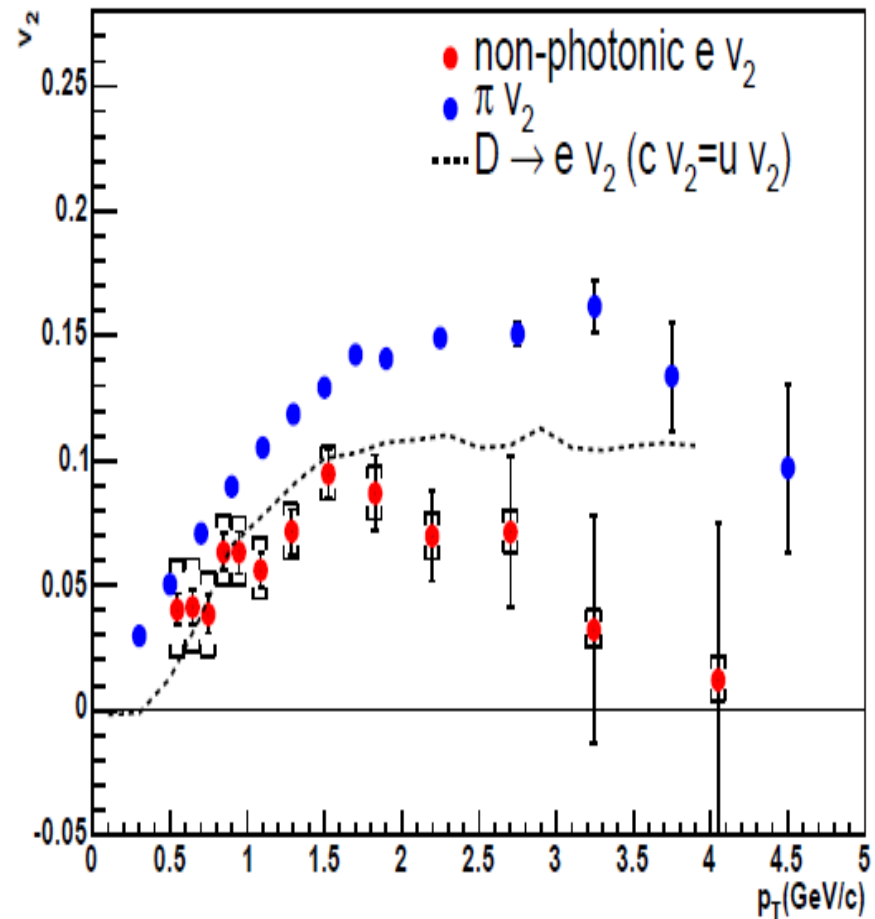


[Silicon vertex detector]



[Reaction plane detector]

- Line on the figure ;  $D \rightarrow e$   $v_2$ 
  - $v_{2,u} (pT) = v_{2,c} (pT)$
  - $v_{2,D} (pT)$ 
    - $= v_{2,u}(1/6 pT) + v_{2,c}(5/6 pT)$
  
- If charm & u has same  $v_2$ , the maximum  $v_2 = 0.1$ 
  - $\Rightarrow$  Non-photonic electron  $v_2$  is smaller than pi ( $\pi^0$ )  $v_2$



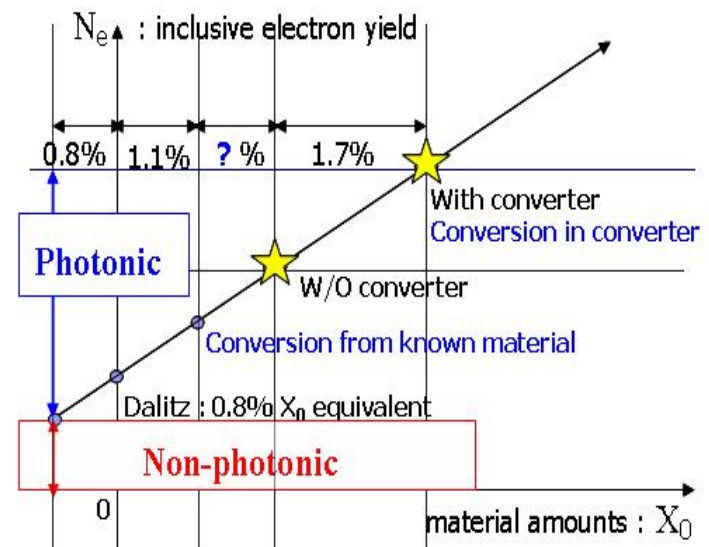


# Converter method

- install “photon converter” (brass ;  $X_0 = 1.7\%$ ) around beam pipe
- increase photonic electron yield
- Compare electron yield with & without converter
- experimentally separate

Non-converter ;  $N_{nc} = N_{\gamma} + N_{non-\gamma}$

Converter ;  $N_c = R_{\gamma} * N_{\gamma} + N_{non-\gamma}$



# Cocktail method

- estimate background electron with simulation
- sum up all background electrons
- Input
  - $\pi^0$  (dominant source)  
use measured pT @ PHENIX
  - other source  
assume mt scale of pi
- clear enhancement of inclusive electron w.r.t photonic electron

