

Emission angle and particle mass dependence of HBT interferometry in Au+Au collisions at $\sqrt{s_{NN}} = 200$ GeV

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Contents

- Experimental setup and analysis
- HBT radius parameters between $\pi\pi$ and KK
- Azimuthal dependent HBT radii w.r.t. Ψ_2 or Ψ_3
- A new $\varepsilon_2^{\text{final}}$ measurement with Q_2 -vector event selection
- Summary and outlook

Experimental setup and analysis

centrality (BBC $|\eta|=3-3.9$)
 event plane (RXN $|\eta|=1-2.8$)
 charged particle tracking ($|\eta|<0.35$)
 π/K PID by EMcal-TOF

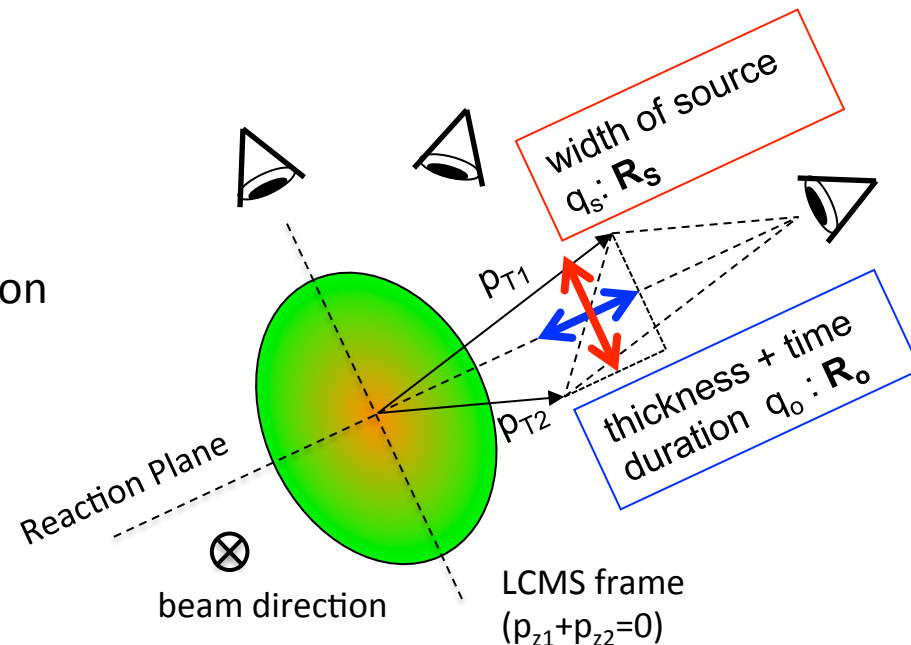
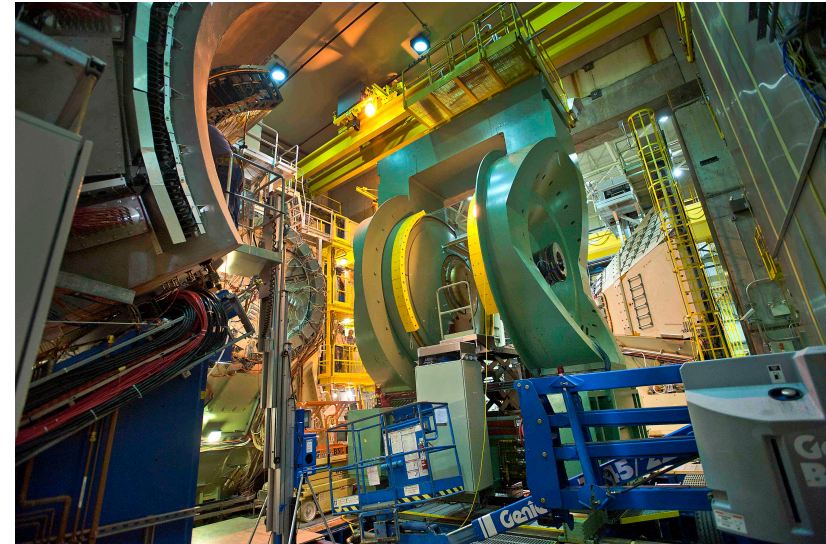
$$C_2 = P(p_1, p_2) / \{P(p_1)P(p_2)\} \sim 1 + |\rho \tilde{q}|^2$$

$$= C_2^{\text{core}} + C_2^{\text{halo}}$$

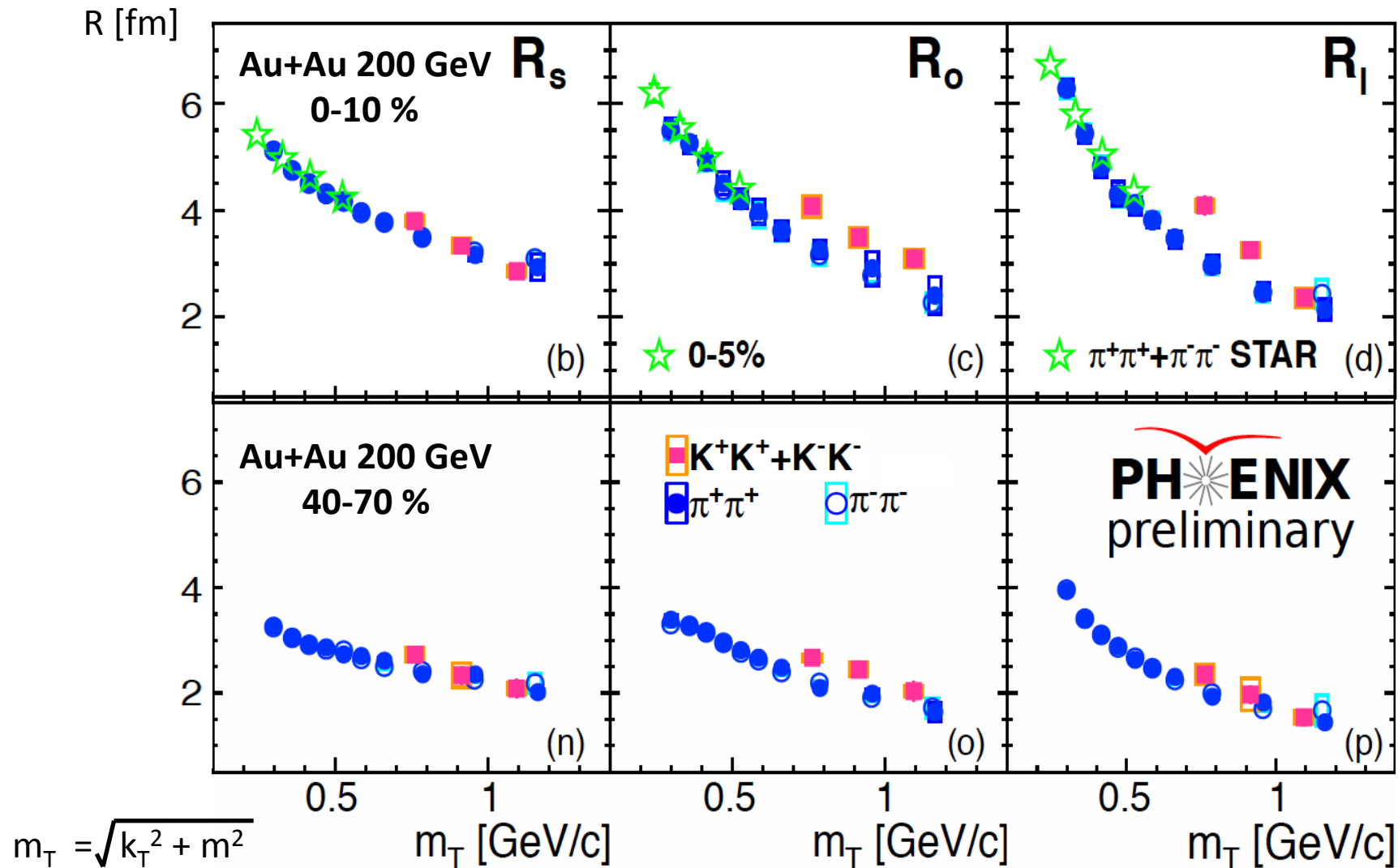
$$= [\lambda (1+G) F_{\text{coul}}] + [1-\lambda]$$

$$G = \exp(-R_s^2 q_s^2 - R_o^2 q_o^2 - R_L^2 q_L^2 - 2R_{os}^2 q_o q_s)$$

s : (sideward) geometrical size
 o : (outward) geometry and time duration
 L : (longitudinal) beam direction
 os : outward-sideward cross term
 F_{coul} : coulomb correction factor
 λ : fraction of pairs in the core

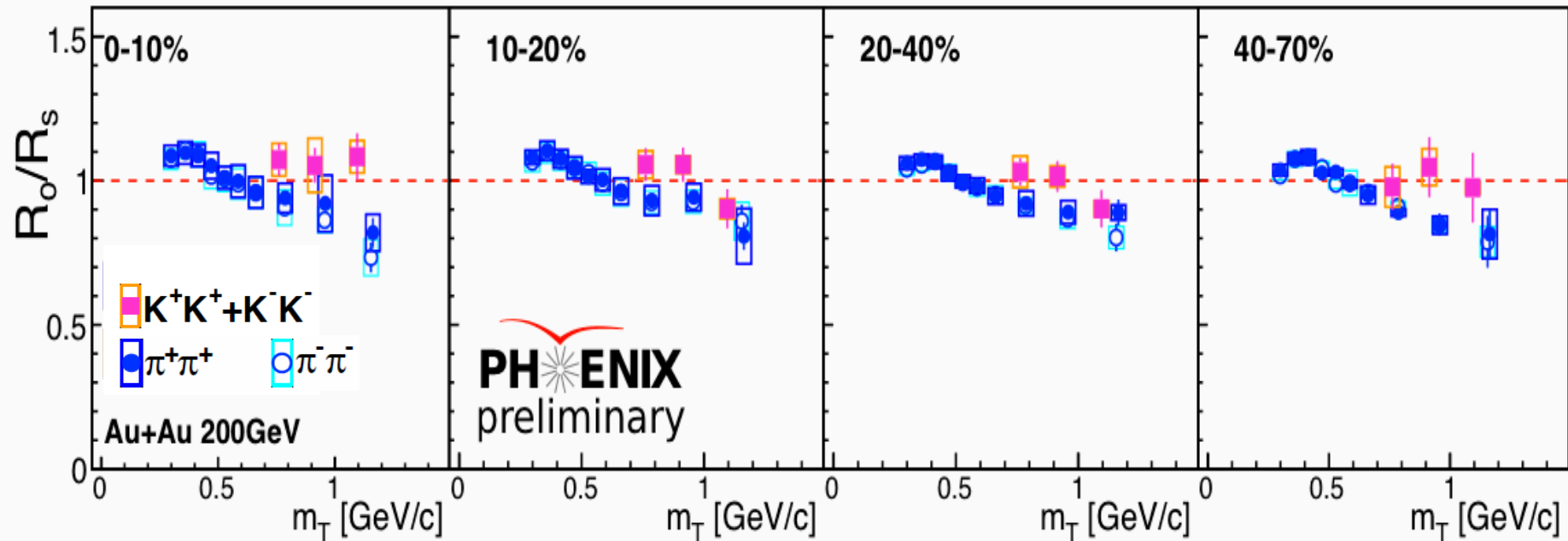


m_T dependence of 3D HBT radii



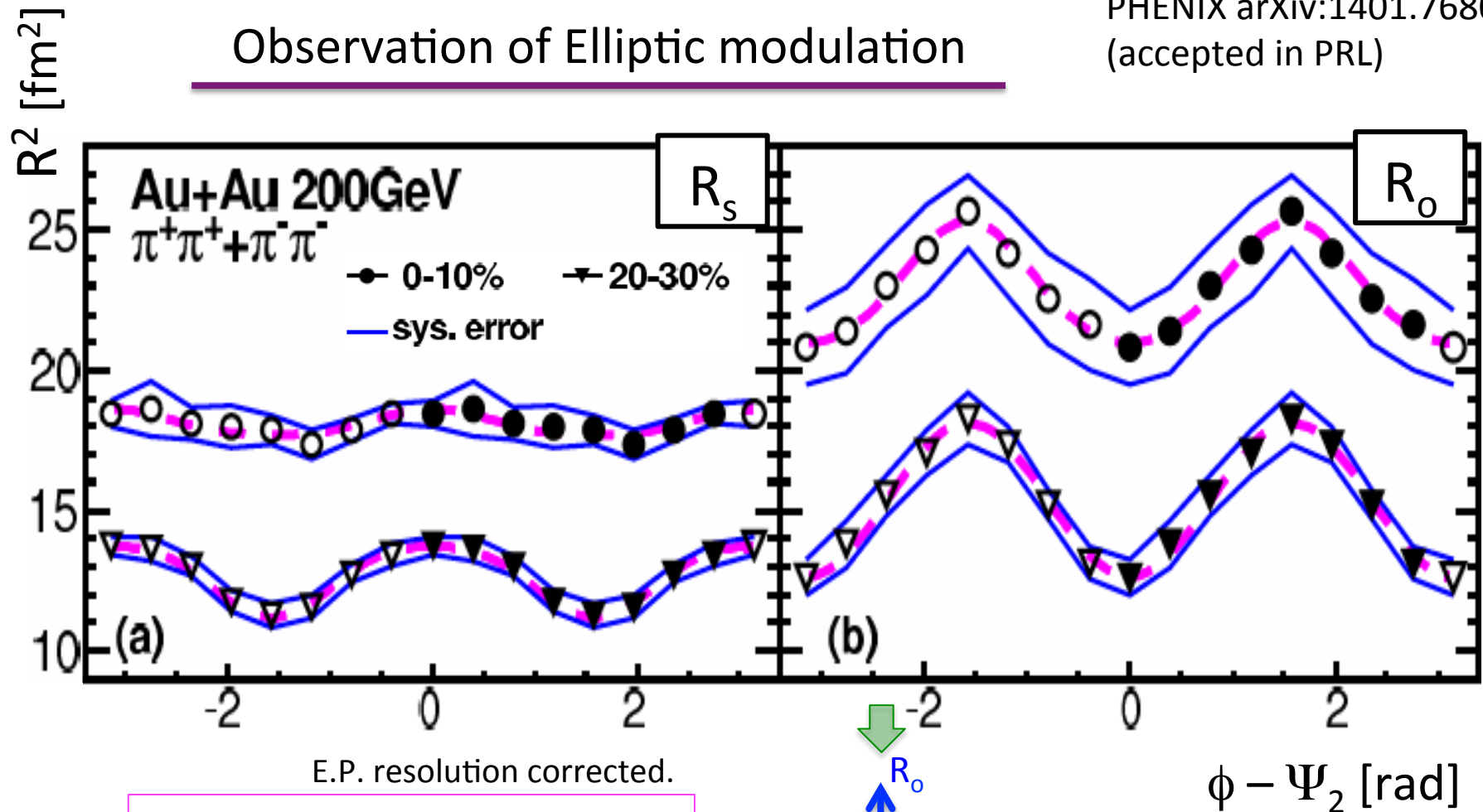
1. strong m_T dependence indicates strong radial flow in central collisions
2. breaking of the m_T scaling between π and K (improved stat. + sys. error)

$R_{\text{out}}/R_{\text{side}}$ ratio vs m_T for $\pi\pi$ and KK



0. If $R_o/R_s=1$, then $\Delta\tau=0$ for static source.
1. $R_o/R_s\sim 1$ does not mean sudden freeze-out for expanding source.
2. possible indication of longer duration time for K than for π

Observation of Elliptic modulation

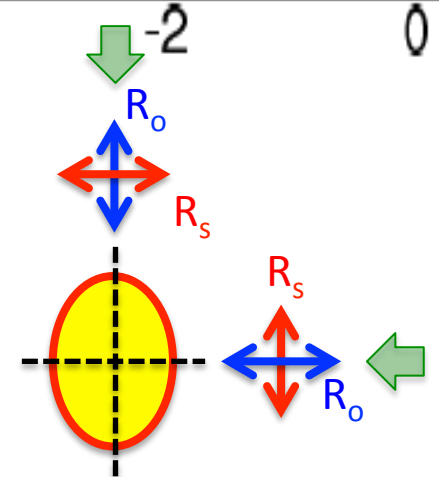


$$R_s^2(\phi) = R_{s,0}^2 + 2R_{s,2}^2 \cos(2\phi)$$

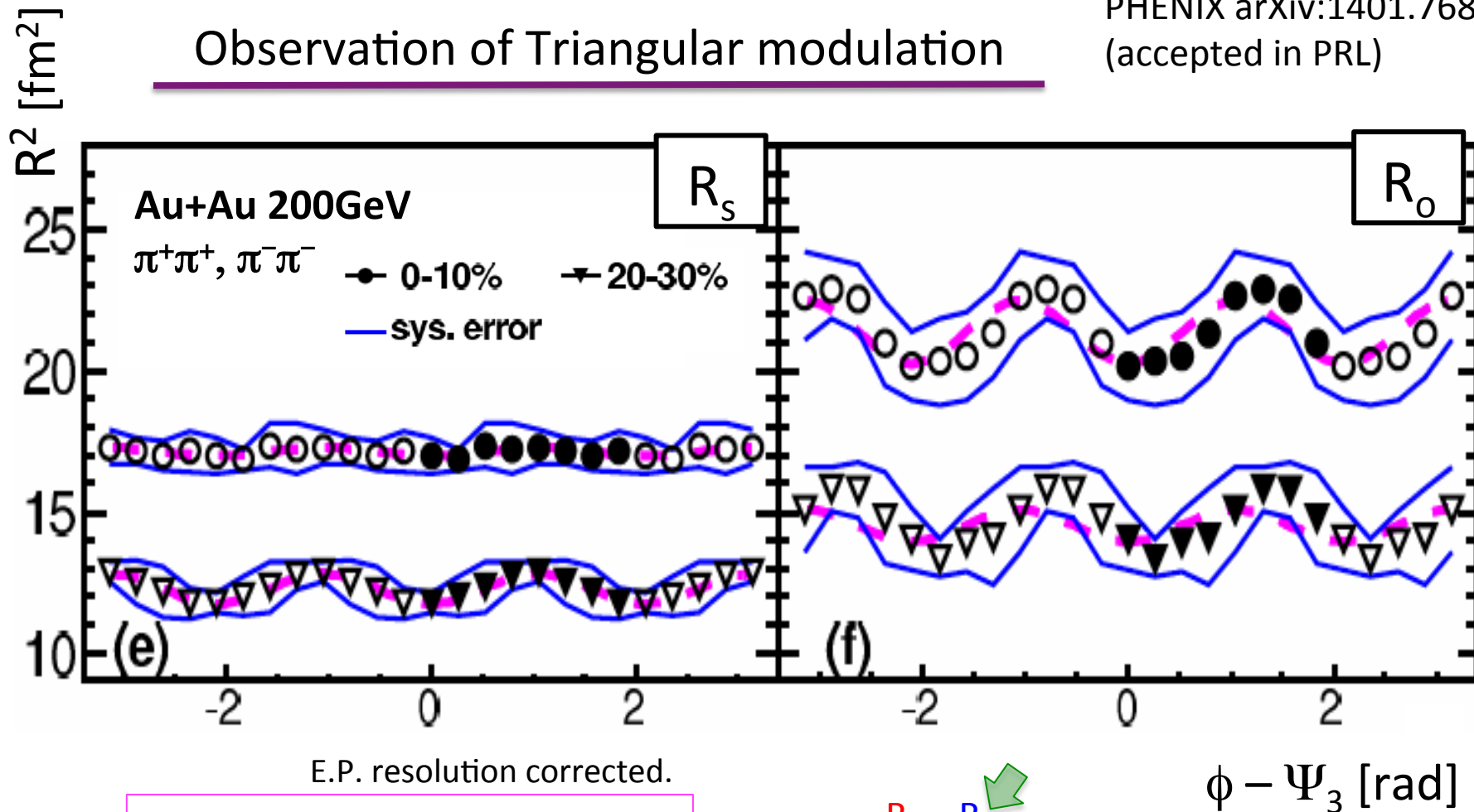
$$R_o^2(\phi) = R_{o,0}^2 + 2R_{o,2}^2 \cos(2\phi)$$

$$\epsilon_2^{\text{final}} : 2R_{s,2}^2 / R_{s,0}^2$$

$$-2R_{o,2}^2 / R_{o,0}^2$$



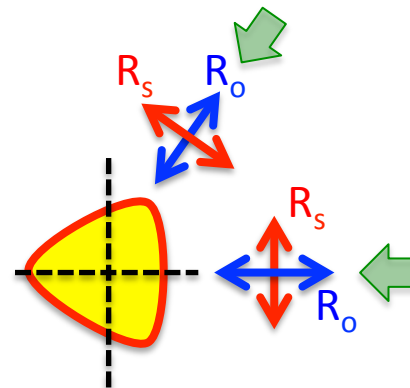
Observation of Triangular modulation



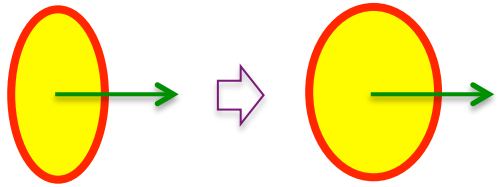
$$R_s^2(\phi) = R_{s,0}^2 + 2R_{s,3}^2 \cos(3\phi)$$

$$R_o^2(\phi) = R_{o,0}^2 + 2R_{o,3}^2 \cos(3\phi)$$

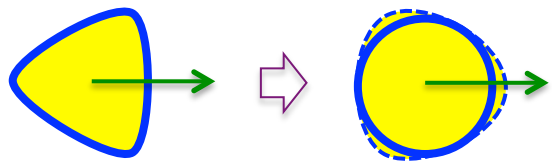
$$\epsilon_3^{\text{final}} : \begin{matrix} 2R_{s,3}^2 / R_{s,0}^2 \\ -2R_{o,3}^2 / R_{o,0}^2 \end{matrix}$$



initial -> final
eccentricity
($\epsilon_2^{\text{initial}} \rightarrow \epsilon_2^{\text{final}}$)



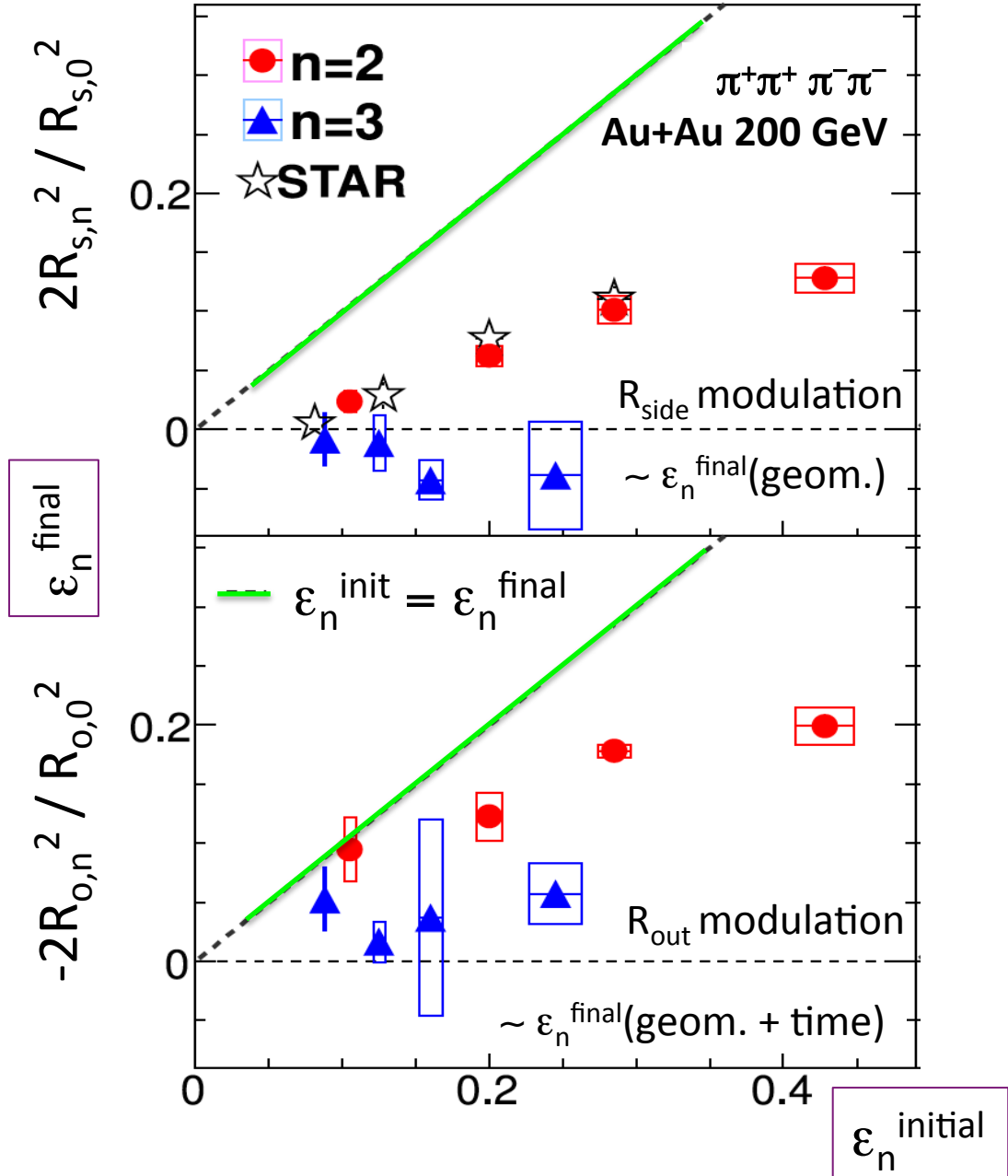
initial -> final
triangularity
($\epsilon_3^{\text{initial}} \rightarrow \epsilon_3^{\text{final}}$)



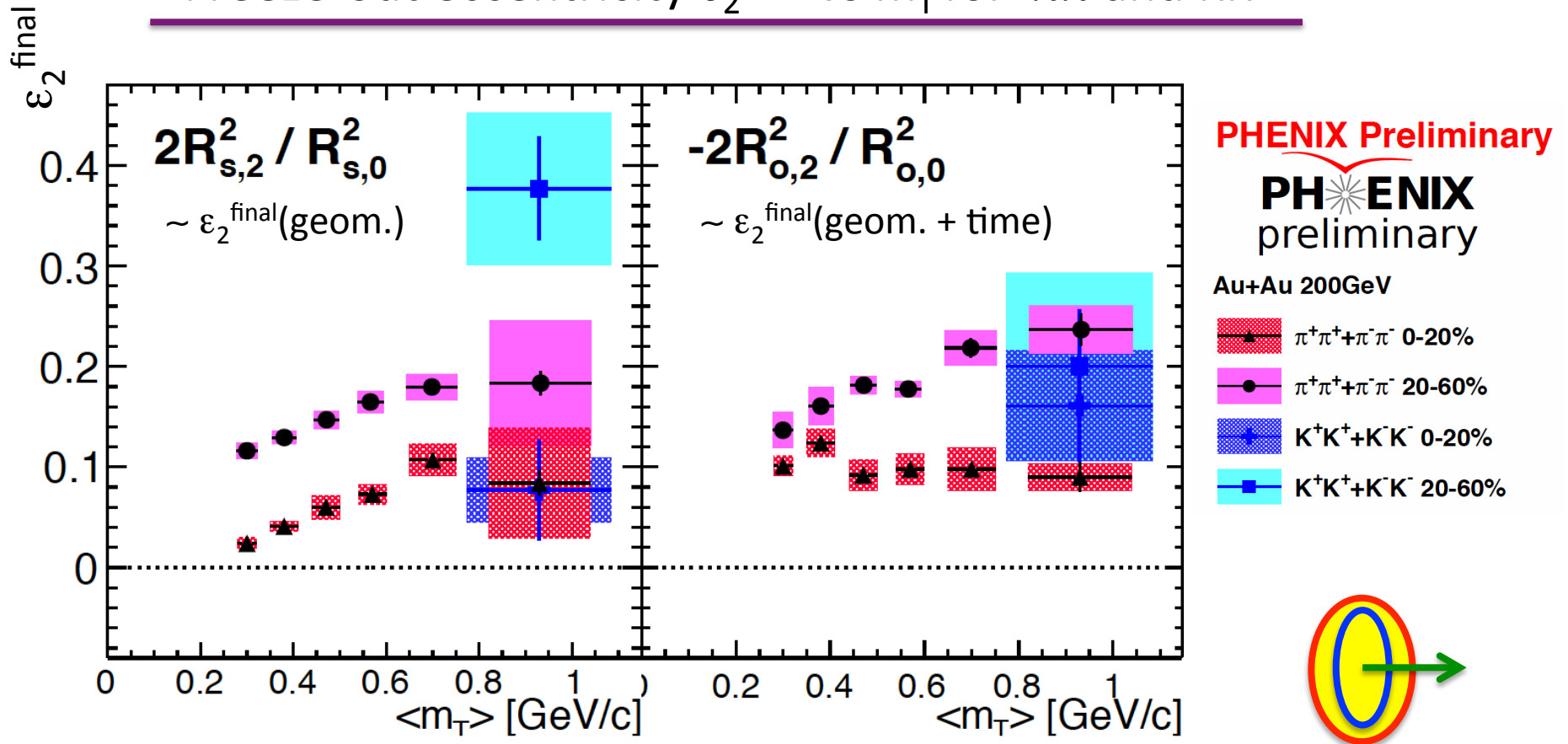
$$\epsilon_2^{\text{final}} \sim 0.5 \epsilon_2^{\text{initial}}$$

$$\epsilon_3^{\text{final}} \sim 0$$

PHENIX arXiv:1401.7680



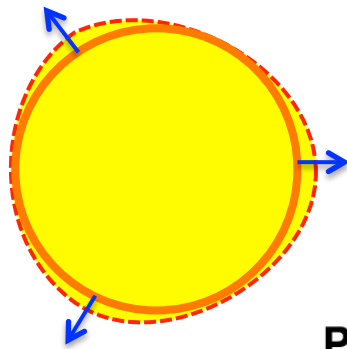
Freeze-out eccentricity $\varepsilon_2^{\text{final}}$ vs m_T for $\pi\pi$ and KK



1. “ ε_2 vs m_T ” and “ v_2 vs p_T ” --- spatial and momentum anisotropy at freeze-out
2. The larger $\varepsilon_2^{\text{final}}$ for K could mean **earlier emission time for K** than for π

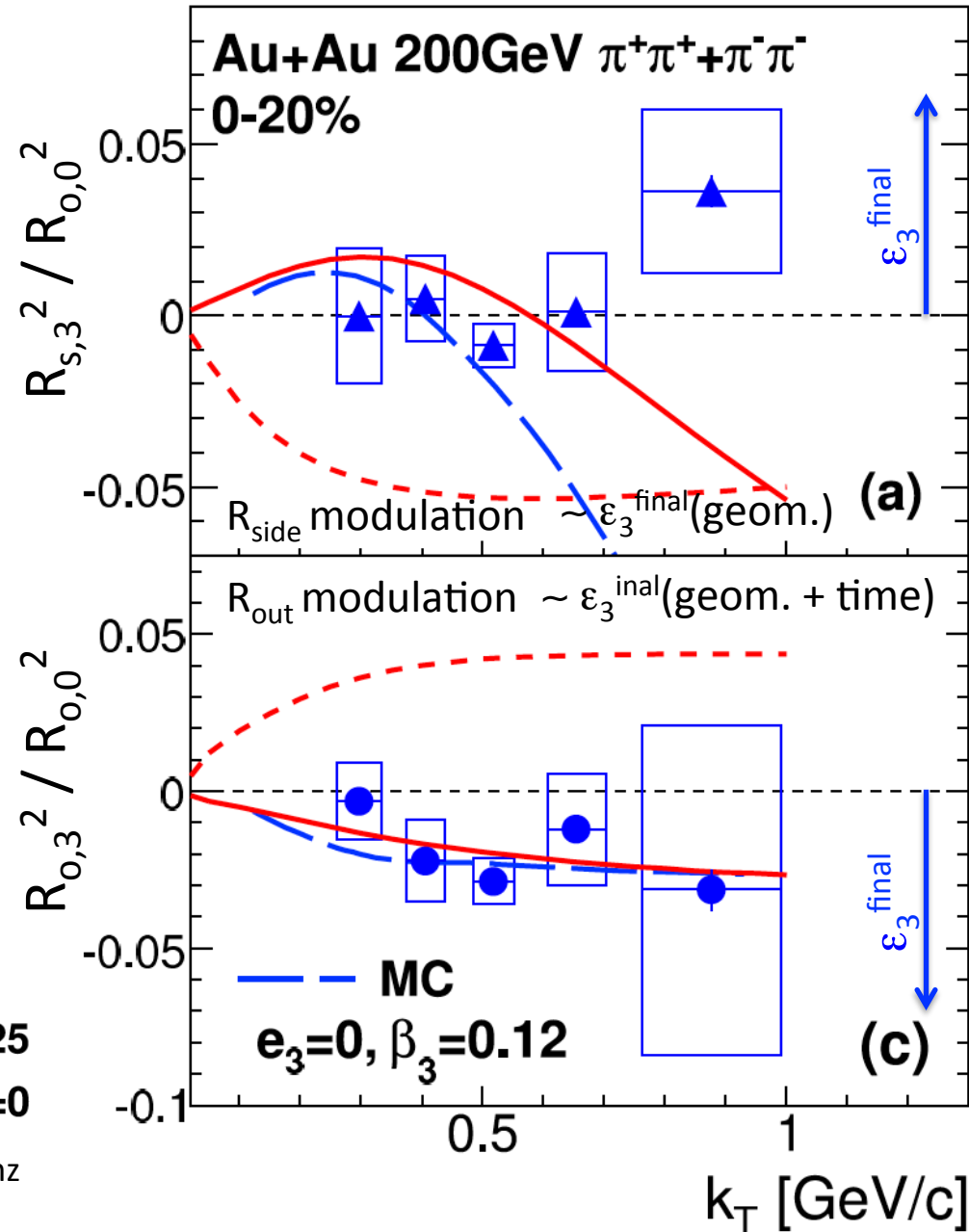
k_T dependence of final triangularity $\epsilon_3^{\text{final}}$

1. small freeze-out triangularity ($e_3 \sim 0$)
 $R(\phi) = R_0 [1 - 2 e_3 \cos(3\phi)]$
2. finite triangular flow ($\beta_3 > 0$)
 $\beta_T(\phi) = \beta_0 [1 + 2 \beta_3 \cos(3\phi)]$



PRC88,044914
 — $\bar{e}_3=0, \bar{v}_3=0.25$
 - - - $\bar{e}_3=0.25, \bar{v}_3=0$

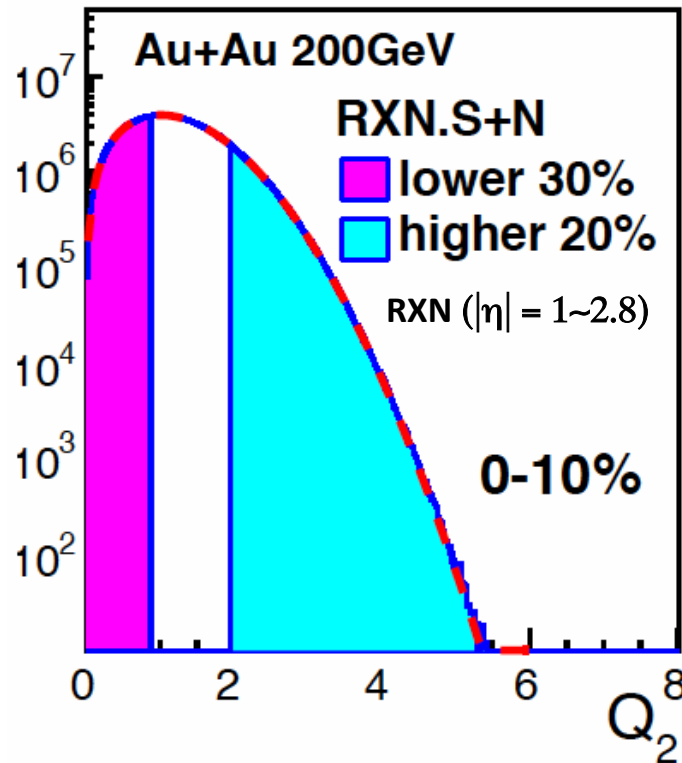
C. J. Plumberg, C. Shen, and U. Heinz



Event Shape Engineering (arXiv:1208.4563)

flow-vector Q_2 distribution reflects event-by-event v_2

$$\varepsilon_2^{\text{initial}} \sim Q_2 \sim v_2 \sim \varepsilon_2^{\text{final}}$$



- Flow-vector :

$$Q_{2,x} = \sum w_i \cos(2\phi_i)$$

$$Q_{2,y} = \sum w_i \sin(2\phi_i)$$

- Event Plane :

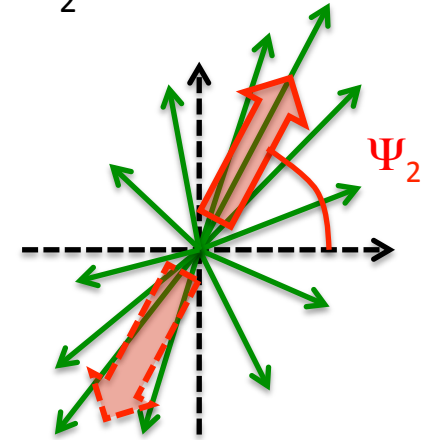
$$\Psi_2 = \text{atan2}(Q_{2,y}, Q_{2,x}) / 2$$

- Length of flow-vector Q_2 :

$$Q_{2,\text{raw}} = \sqrt{Q_{2,x}^2 + Q_{2,y}^2} / \sqrt{\sum w_i}$$

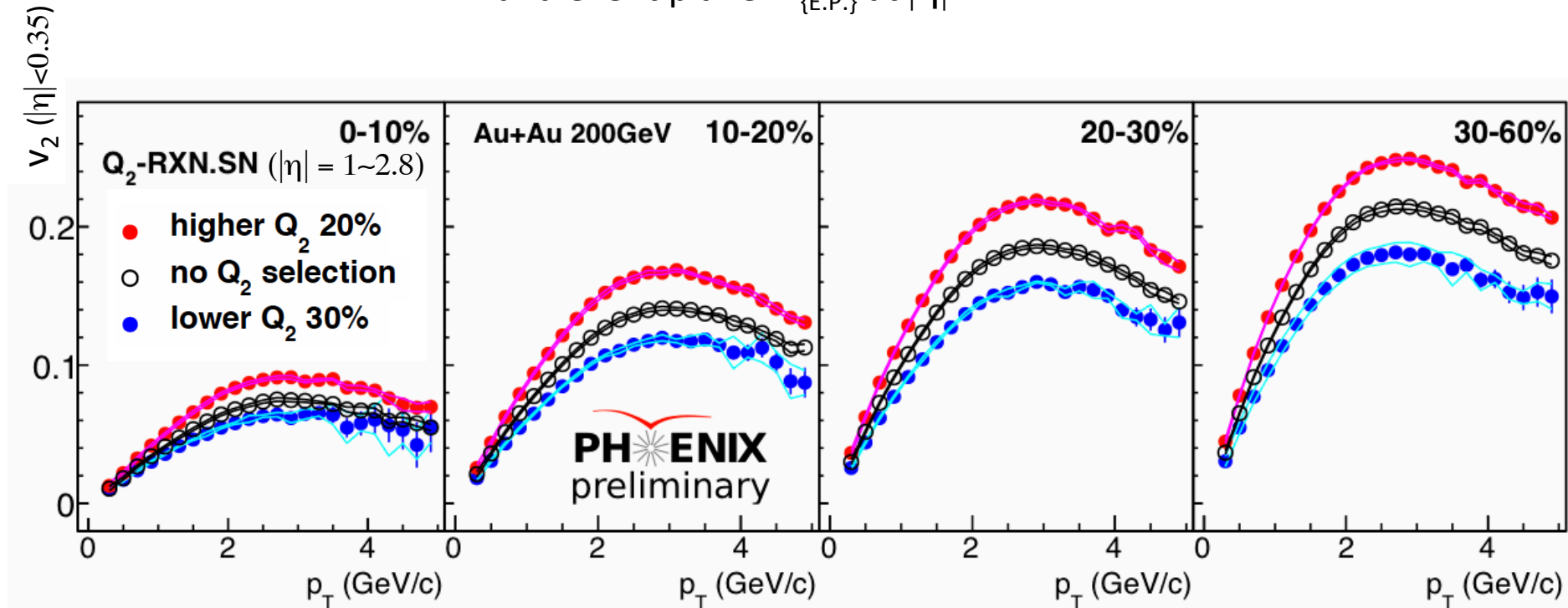
- Re-normalization of Q_2 :

$$Q_2 \sim Q_{2,\text{raw}} / \langle Q_{2,\text{raw}} \rangle$$



v_2 measured at central rapidity ($|\eta| < 0.35$)

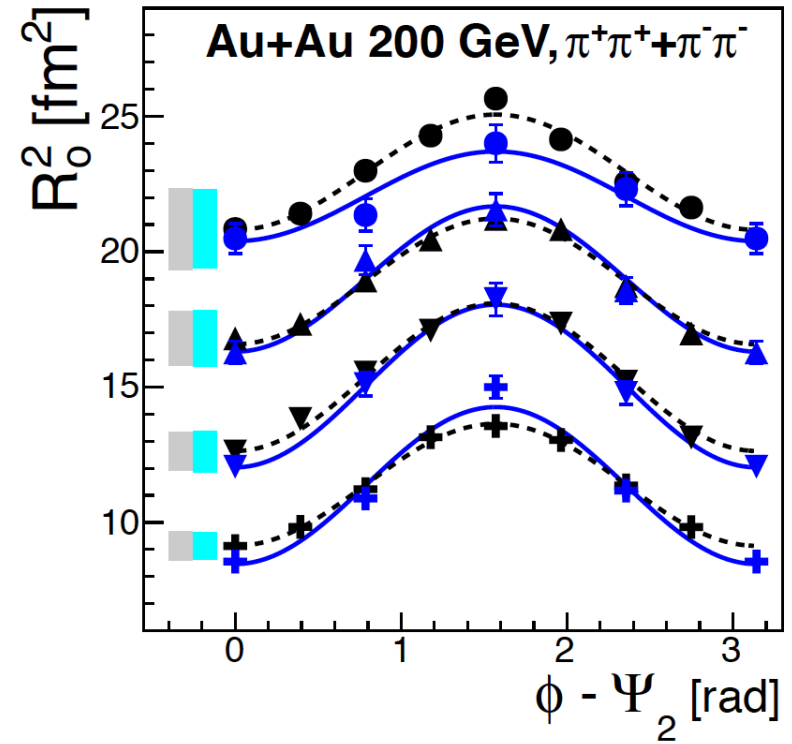
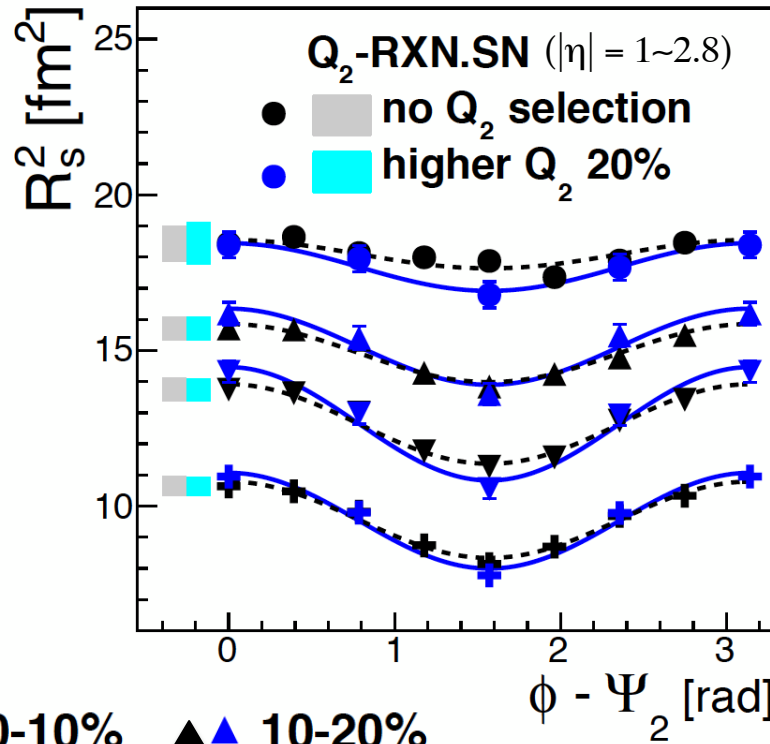
with Q_2 -vector selection at $|\eta| = 1\sim 2.8$
and event plane $\Psi_{\{E.P.\}}$ at $|\eta| = 1\sim 2.8$



Confirmed the engineering on v_2 with Q_2 selection in forward rapidity

R_{side} and R_{out} vs $\phi - \Psi_2$ with/without Q_2 cut

$\pi\pi$ HBT measurement at $|\eta| < 0.35$
 with Q_2 -vector selection at $|\eta| = 1\sim 2.8$
 and event plane $\Psi_{\{\text{E.P.}\}}$ at $|\eta| = 1\sim 2.8$



●● 0-10% ▲▲ 10-20%
 ▼▼ 20-30% ++ 30-60%

$R_{\text{side}}/R_{\text{out}}$ modulation in deed changes with Q_2 cut.

Freeze-out eccentricity

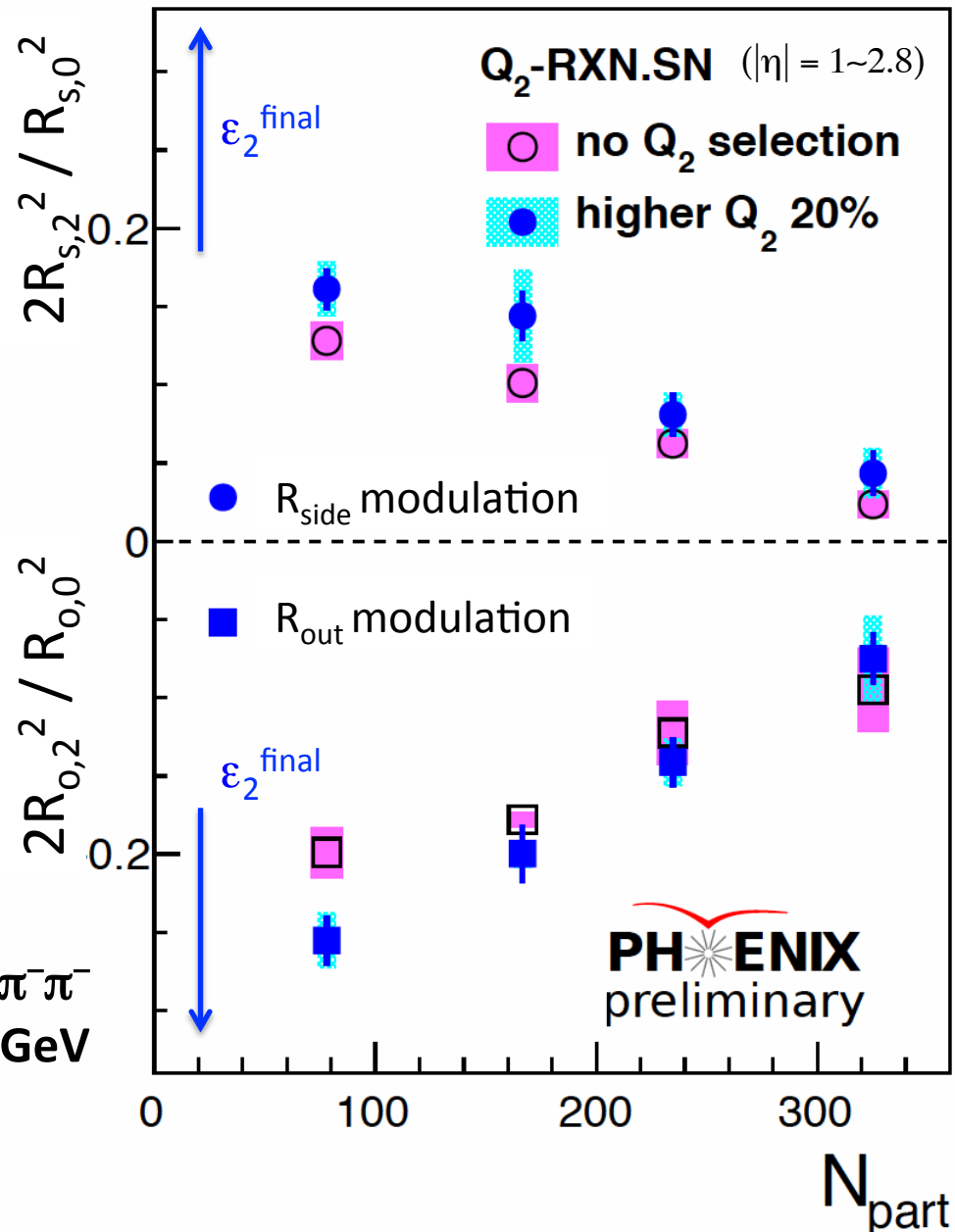
$\epsilon_2^{\text{final}}$ vs N_{part}
with/without Q_2 -cut

1. Higher $Q_2(v_2)$ cut has found to increase the measured $\epsilon_2^{\text{final}}$ by HBT radii.

$$Q_2(v_2) \rightarrow \epsilon_2^{\text{final}}$$

2. It is most likely originated from the relation between $\epsilon_2^{\text{initial}}$ and $\epsilon_2^{\text{final}}$.

$\pi^+\pi^+ \pi^-\pi^-$
Au+Au 200 GeV



Summary and outlook

- HBT radius parameters with $\pi\pi$ or KK

K source might indicate earlier and longer duration time than π source.

- Azimuthal dependent radii w.r.t. Ψ_2 or Ψ_3

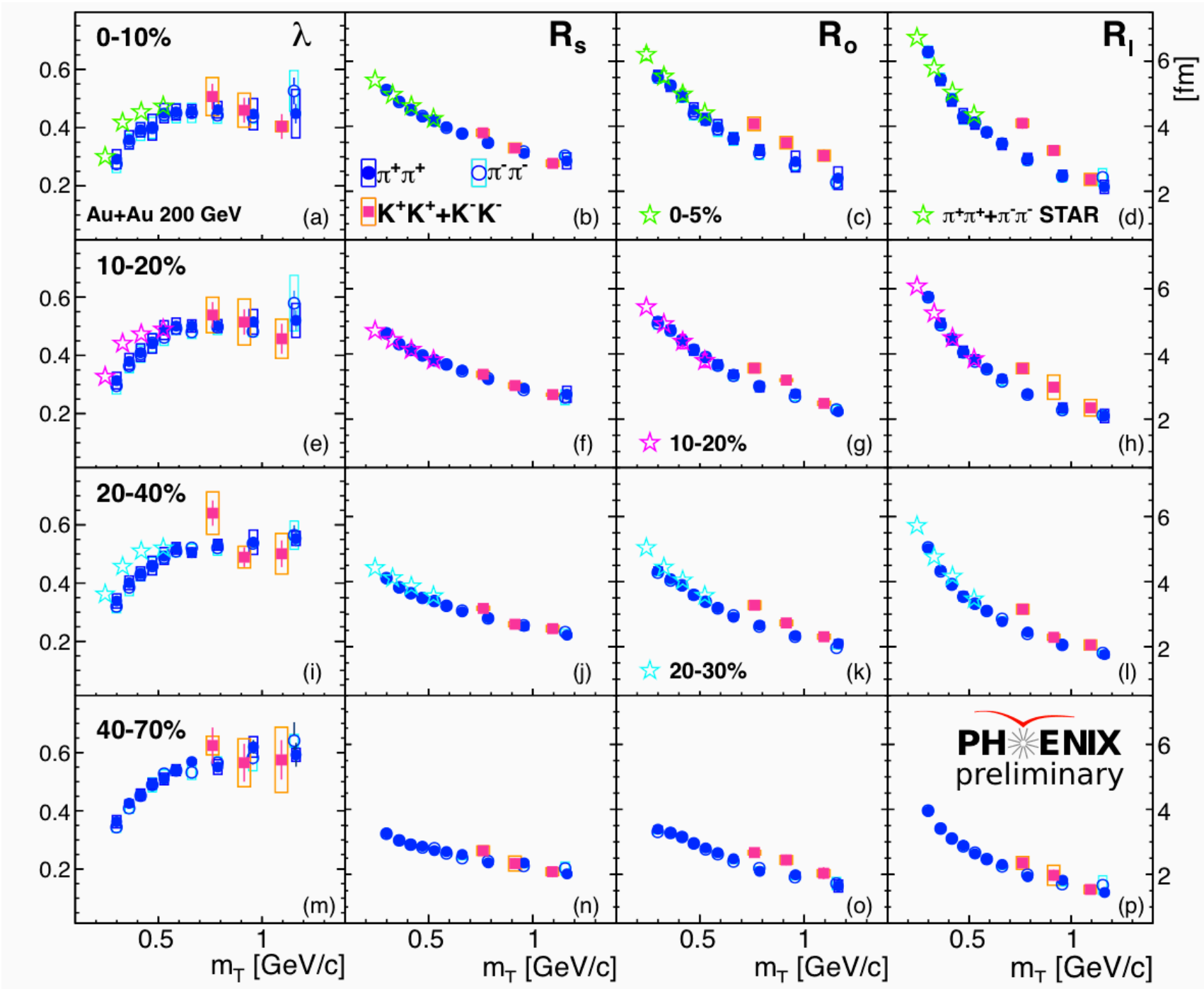
$\varepsilon_3^{\text{final}}$ is mostly quenched in contrast to $\varepsilon_2^{\text{final}}$ case, which is also consistent with PIDed v_n measurements.

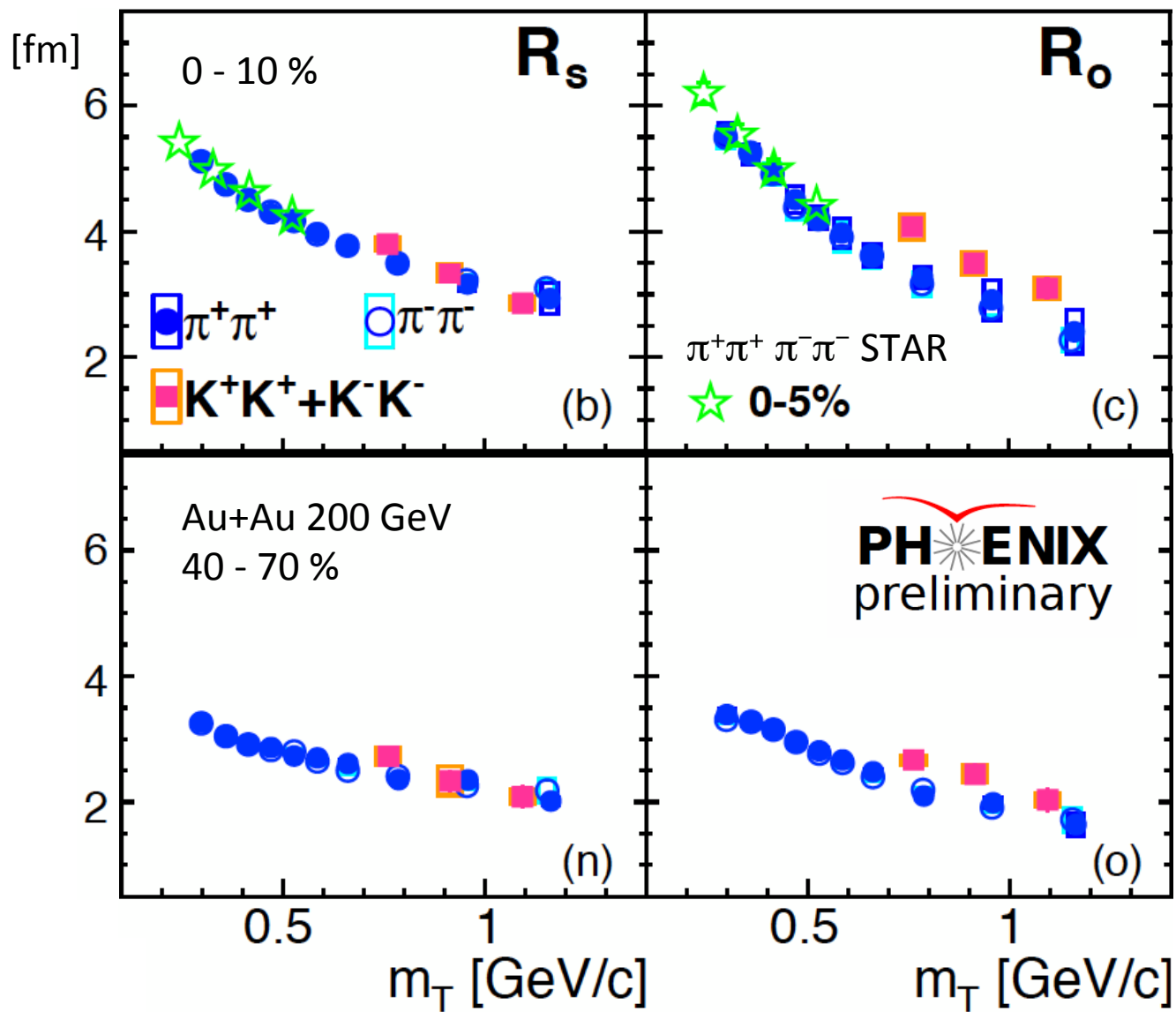
- Q_2 -vector event selection

**Large $Q_2(v_2)$ selection enhances $\varepsilon_2^{\text{final}}$.
connection between $\varepsilon_2^{\text{initial}}$ and $\varepsilon_2^{\text{final}}$
 Q_3 selection etc...**

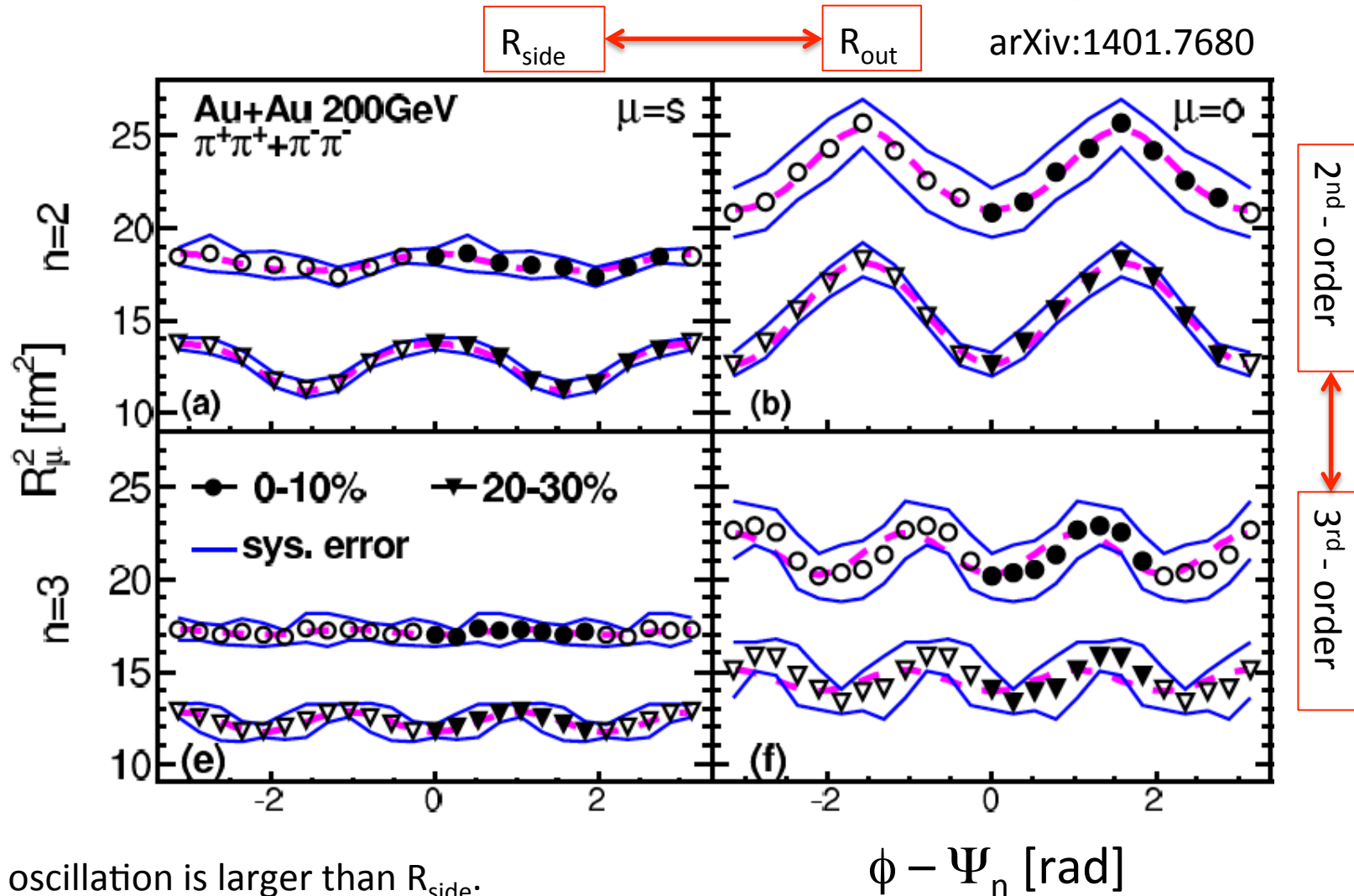
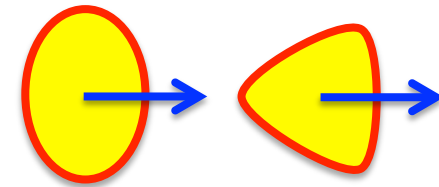


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Observation of Elliptic/Triangular dependences



R_{out} oscillation is larger than R_{side} .
Possible opposite sign between 2nd and 3rd for R_{side}

