



Multiplicity dependence of two-particle correlation in $\sqrt{s}=7\text{TeV}$ pp collisions at LHC-ALICE experiment



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Outline

1. Introduction

2. Analysis method

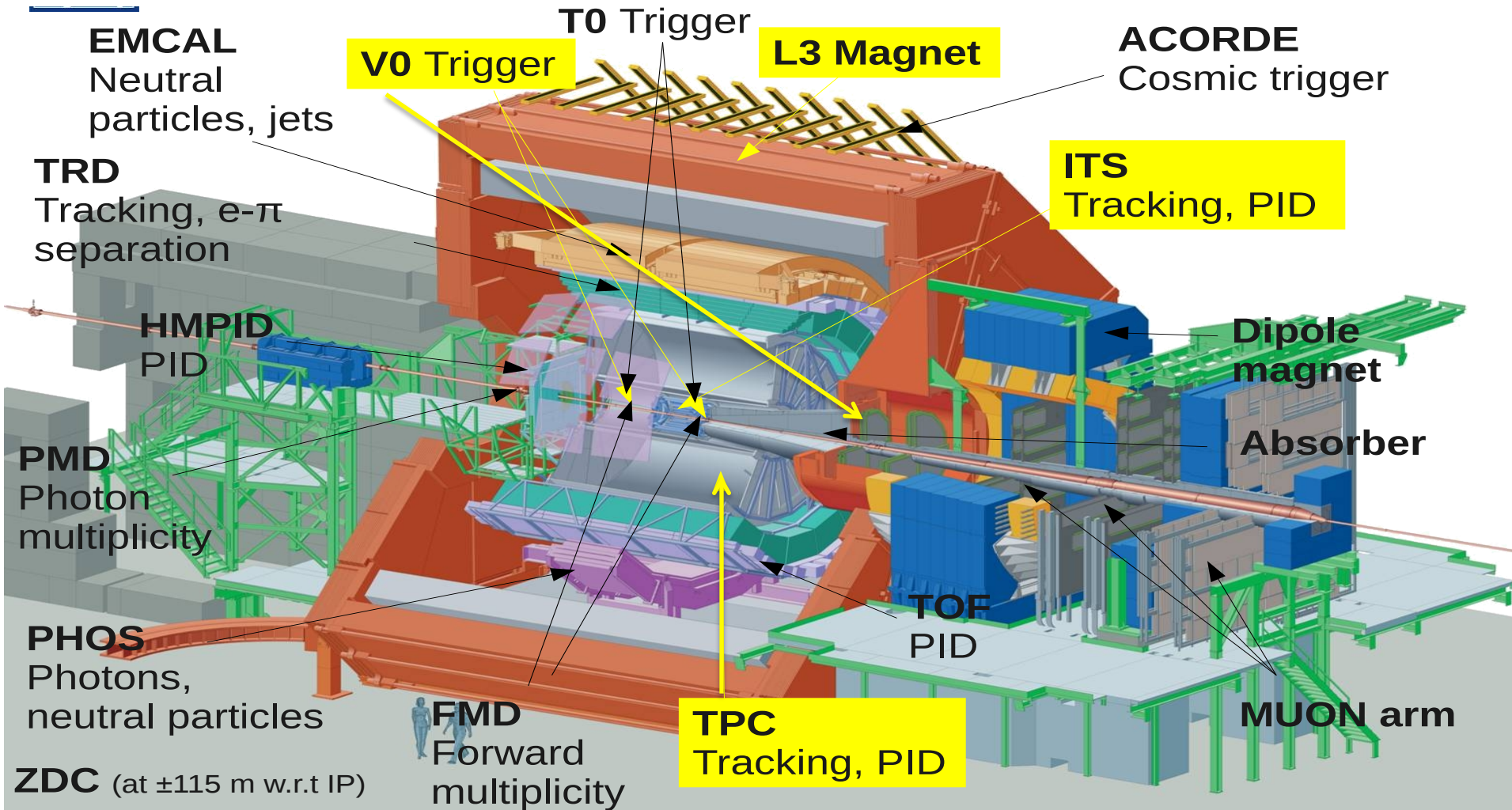
- Definition of two-particle correlation
- Event estimator
- Multiplicity dependence of Assoc. yields per Trig.
- Long range $\Delta\eta$ dependence of two-particle correlation.
- Extraction of double ridge from High - Low

3. Results

- Yields integration with multiplicity

4. Summary

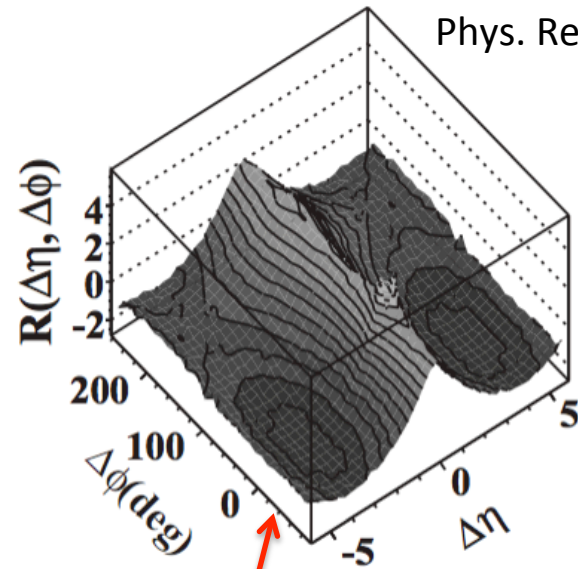
A Large Ion Collider Experiment



<http://aliweb.cern.ch/>

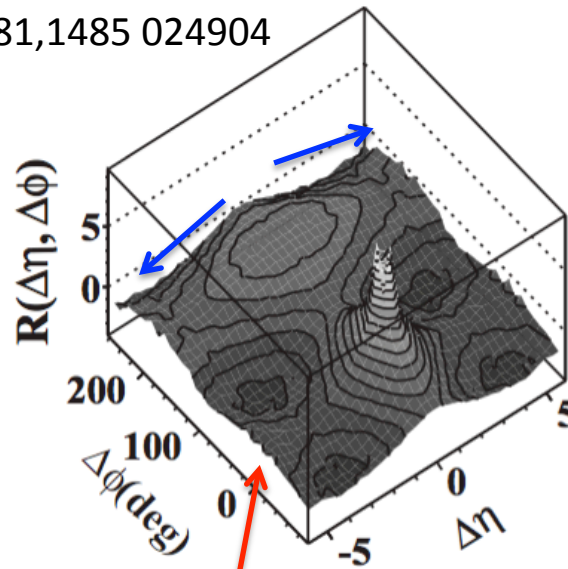
Introduction

(a) p+p 200 GeV



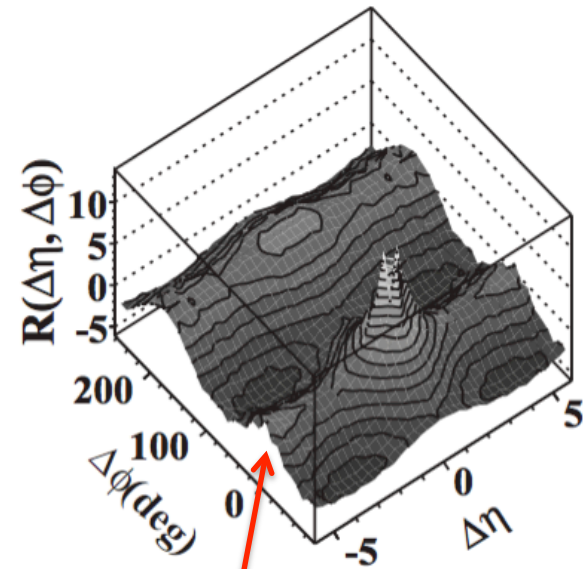
**An ordinary (?)
pp collisions**

(b) Cu+Cu 200 GeV, 0-10%



v2?

(c) Au+Au 200 GeV, 0-10%



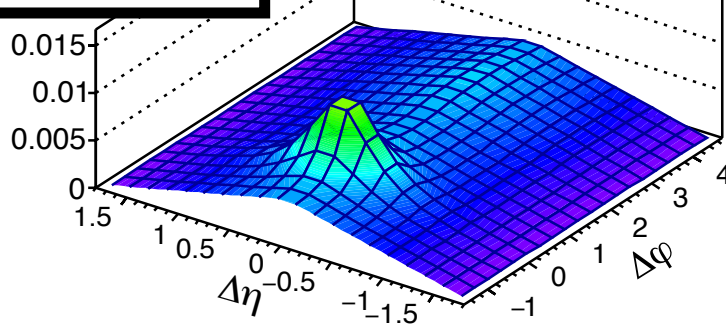
v2

- 2-D Two-particle angular correlation functions for (a) p + p, the central 10% (b) Cu + Cu and (c) Au + Au collisions at $\sqrt{s_{NN}} = 200$ GeV in PHOBOS.

Definition of correlation function

Same pair

$$S(\Delta\varphi, \Delta\eta) = \frac{1}{N_{\text{same}}} \frac{d^2 N_{\text{same}}}{d\Delta\varphi d\Delta\eta}$$



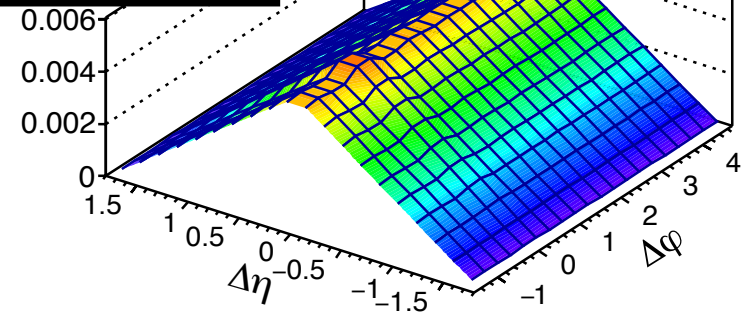
$$1 \leq p_{T, \text{Trig}} < 4 \text{ GeV}/c$$

$$1 \leq p_{T, \text{Assoc}} < 4 \text{ GeV}/c$$

Minimum Bias

mixing Background

$$B(\Delta\varphi, \Delta\eta) = \frac{1}{N_{\text{mix}}} \frac{d^2 N_{\text{mix}}}{d\Delta\varphi d\Delta\eta}$$



MB

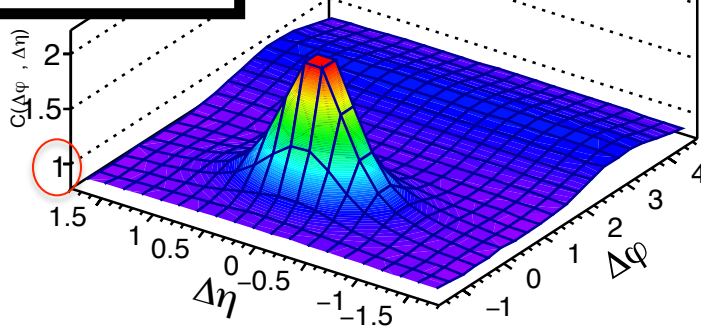
$$\Delta\varphi = \varphi_A - \varphi_T$$

$$\Delta\eta = \eta_A - \eta_T$$

work in progress

Correlation

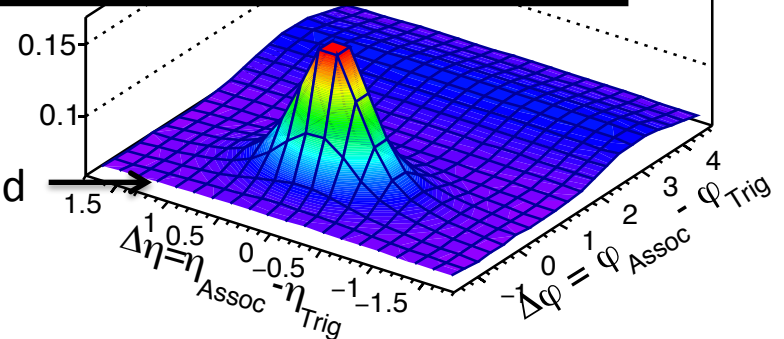
$$C(\Delta\varphi, \Delta\eta) = \frac{S(\Delta\varphi, \Delta\eta)}{B(\Delta\varphi, \Delta\eta)}$$



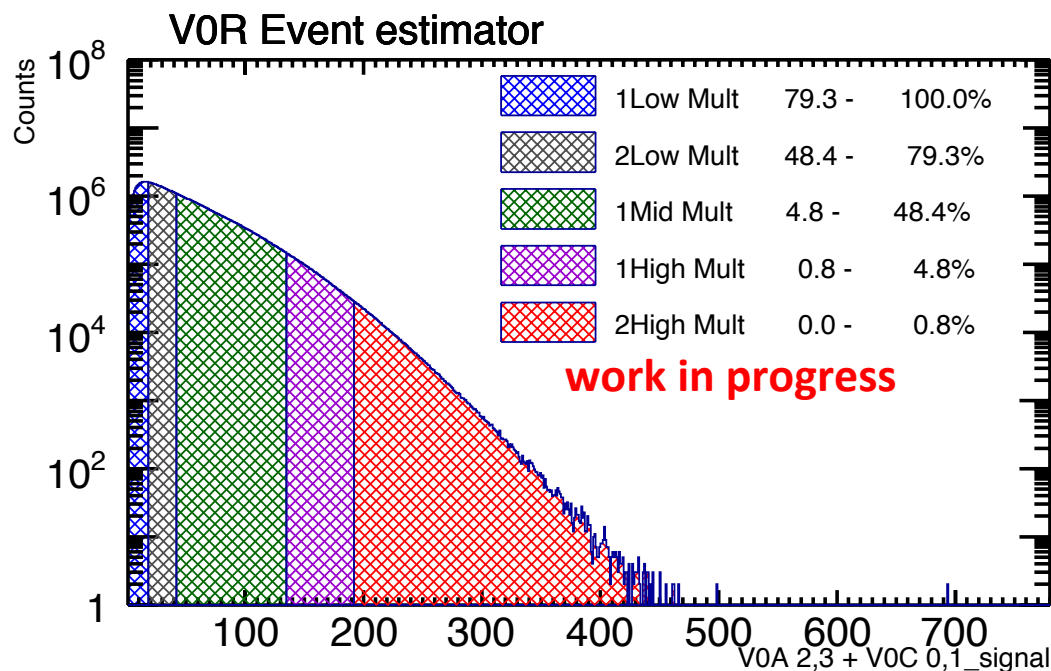
Associ. Yield per Trig.

$$\text{Yield}(\Delta\varphi, \Delta\eta) = \frac{N_{\text{same}}}{N_{\text{Trig}}} C(\Delta\varphi, \Delta\eta) \frac{1}{\text{efficiency}}$$

background



Event definition



Mean number of track
($|\eta| < 0.9$)

2.72 ± 0.000

4.34 ± 0.000

9.11 ± 0.001

16.99 ± 0.001

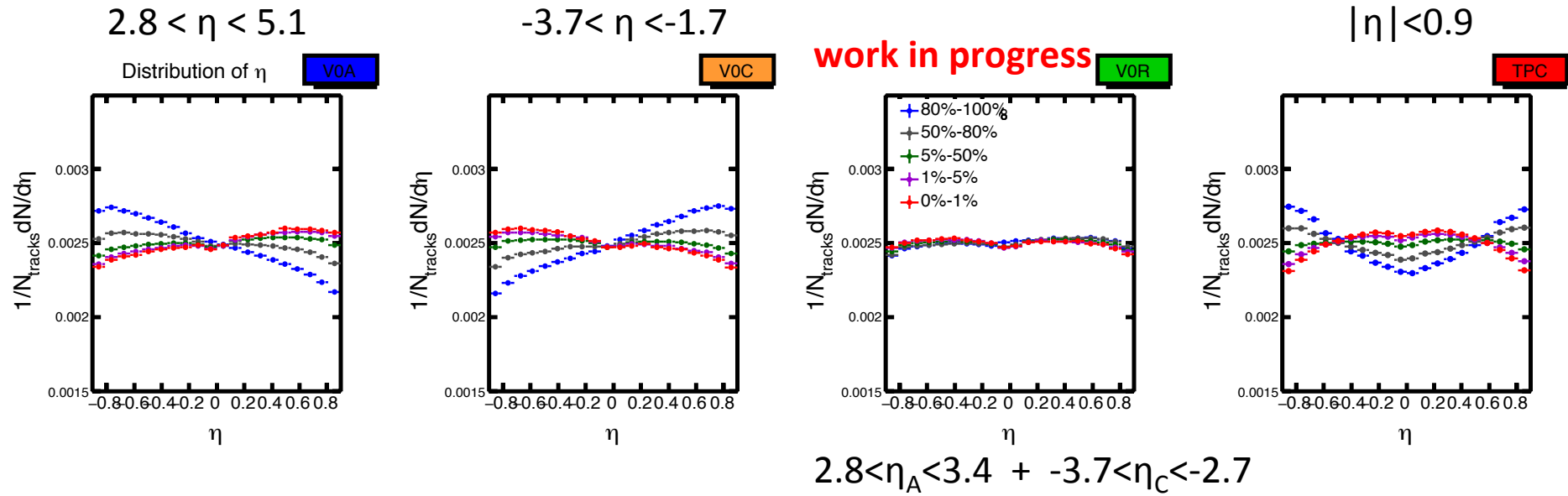
21.80 ± 0.001

V0R = V0A 2,3 Ring + V0C 0,1 Ring

→ $2.8 < \eta_A < 3.4$ + $-3.7 < \eta_C < -2.7$

→ Aliroot "V0S"

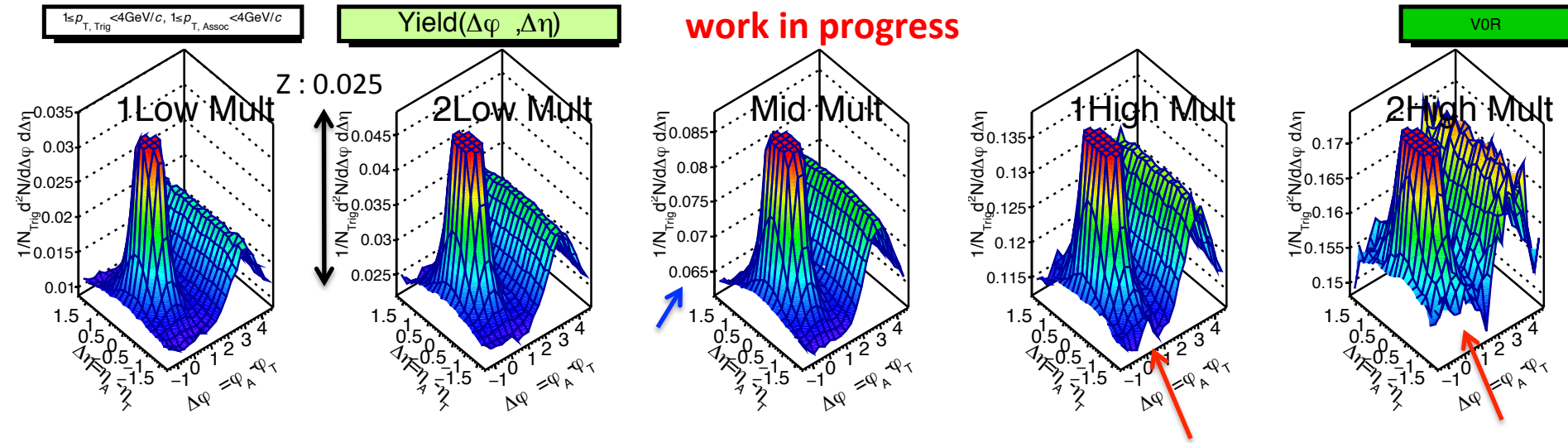
Single distribution of η by various event estimators



Measuring correlations in small systems has advantages (strong correlated particle production) and disadvantages (biased event centrality selection).

- In order to avoid jet biased multiplicity selection, hybrid event estimator (V0R) is applied.
- η in high multiplicities are less jet biased than low multiplicities.
- TPC event estimator show self-/auto correlation, such as wing shape.

Multiplicity dependence of two- particle correlation -Assoc. yields per Trig.



- Background increase with increasing multiplicities.
- Near side jets ($(\Delta\phi, \Delta\eta) \approx (0, 0)$) increase with increasing multiplicities.
- Ridge structures in the highest multiplicity and 2nd highest multiplicity in $\Delta\phi \approx 0$.

Long range correlation function

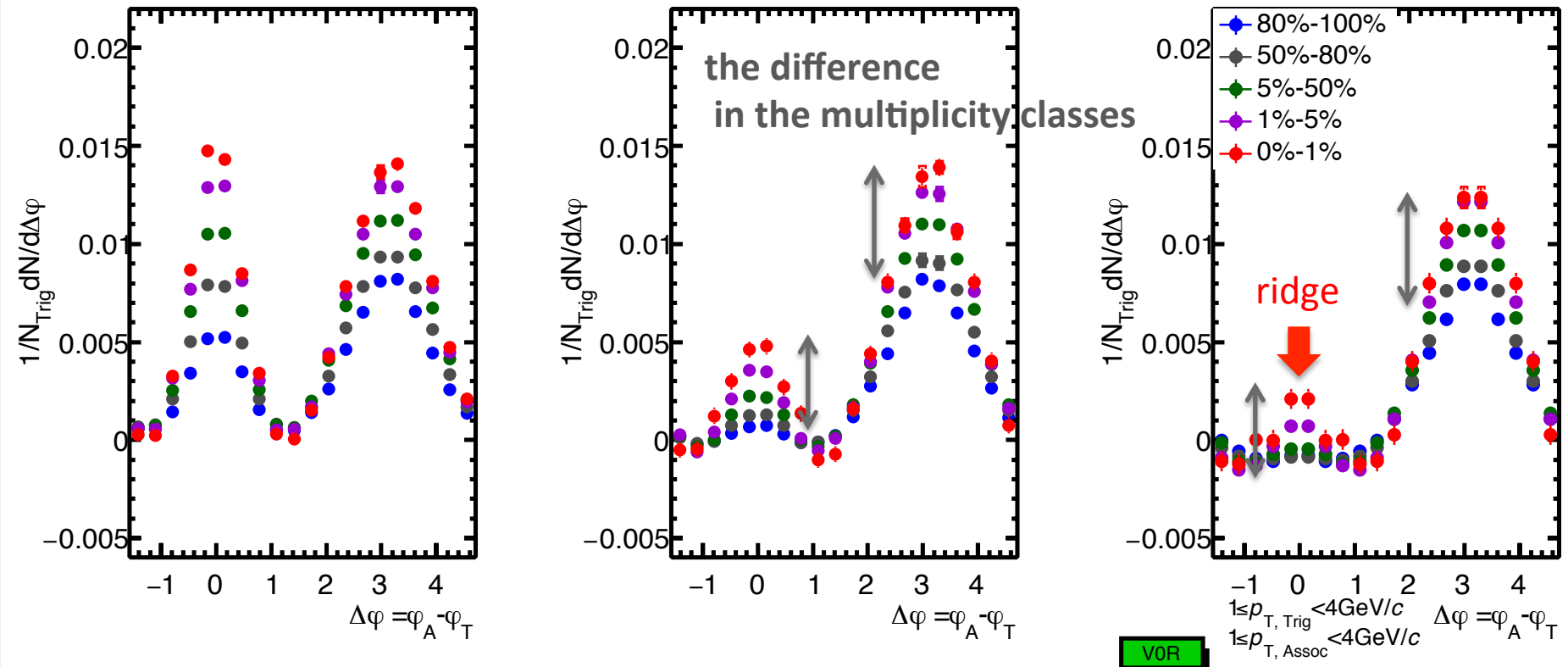
- after flat background (Avg.ZYAM) subtraction, near-side jet is gone for low multiplicities, but not at high multiplicities.

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$0.6 < |\Delta\eta| \leq 1.0$

$1.0 < |\Delta\eta| \leq 1.4$

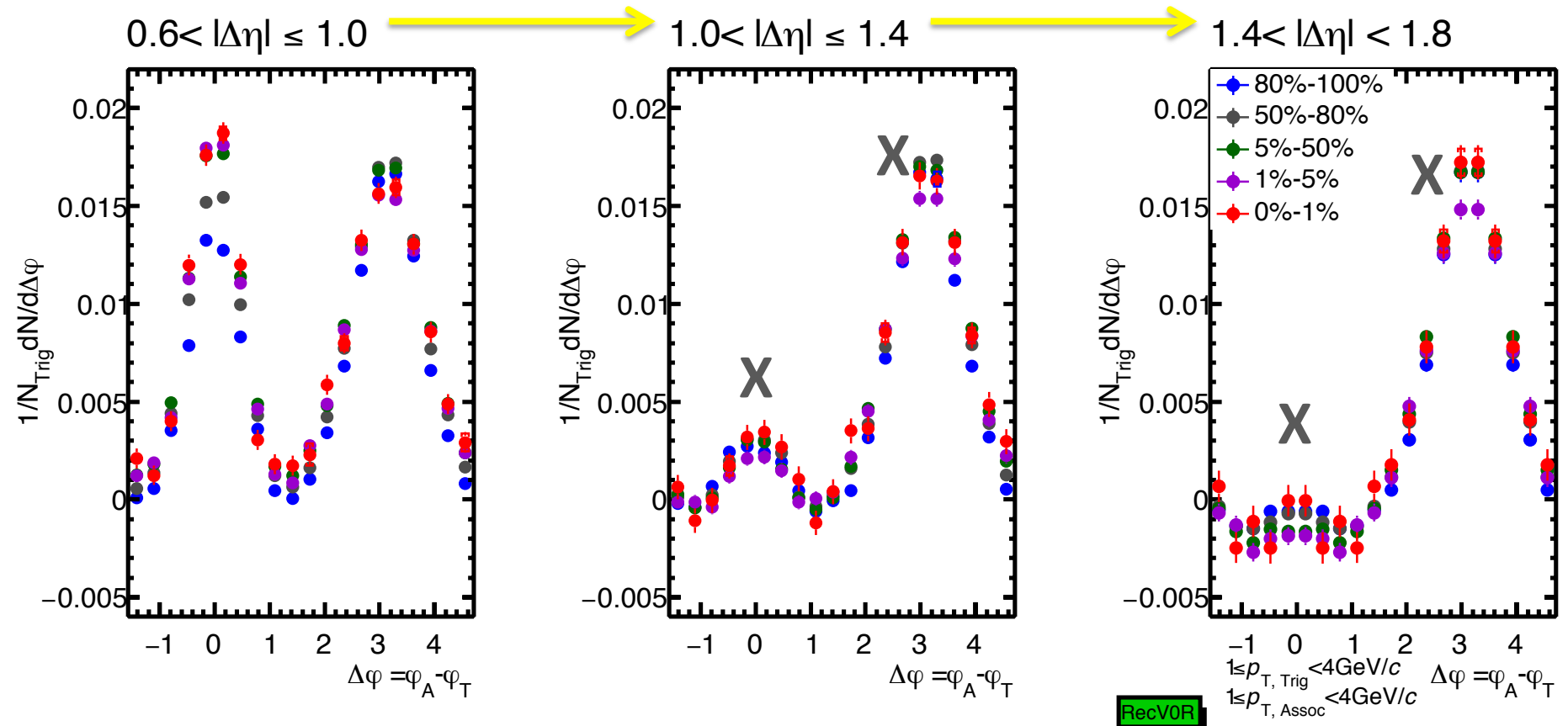
$1.4 < |\Delta\eta| < 1.8$



Long range correlation function, **Pythia**

- after flat background subtraction, near-side jet dies out at larger $\Delta\eta$

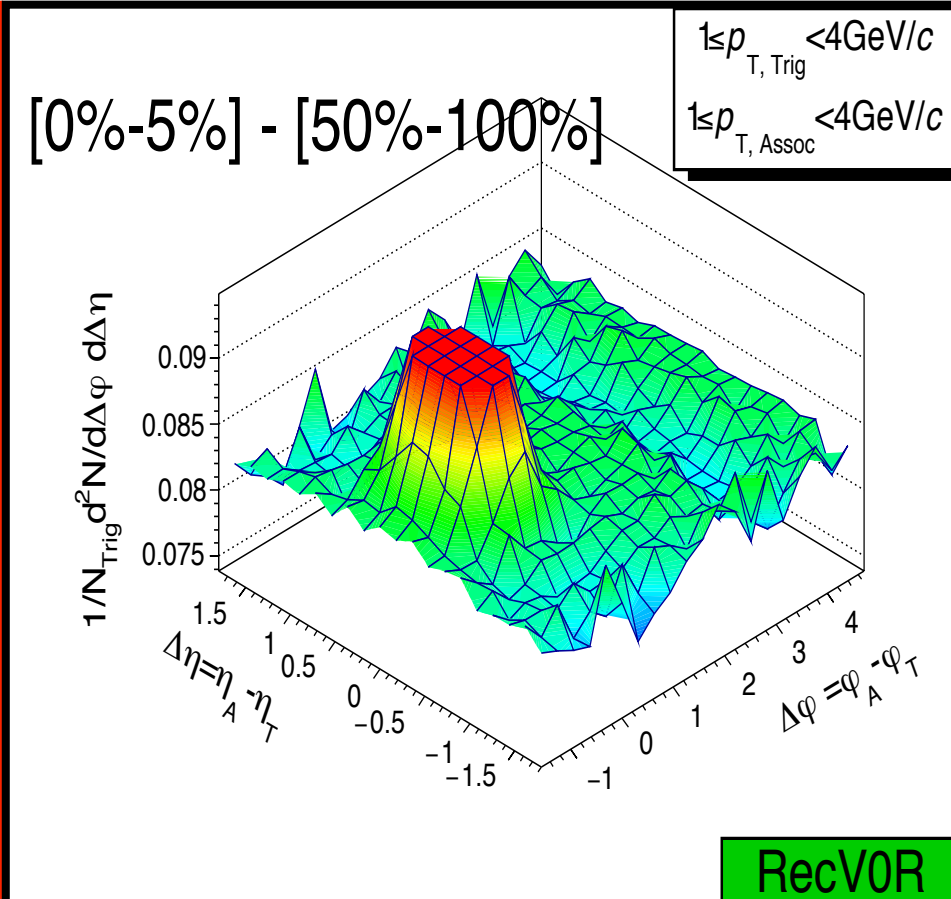
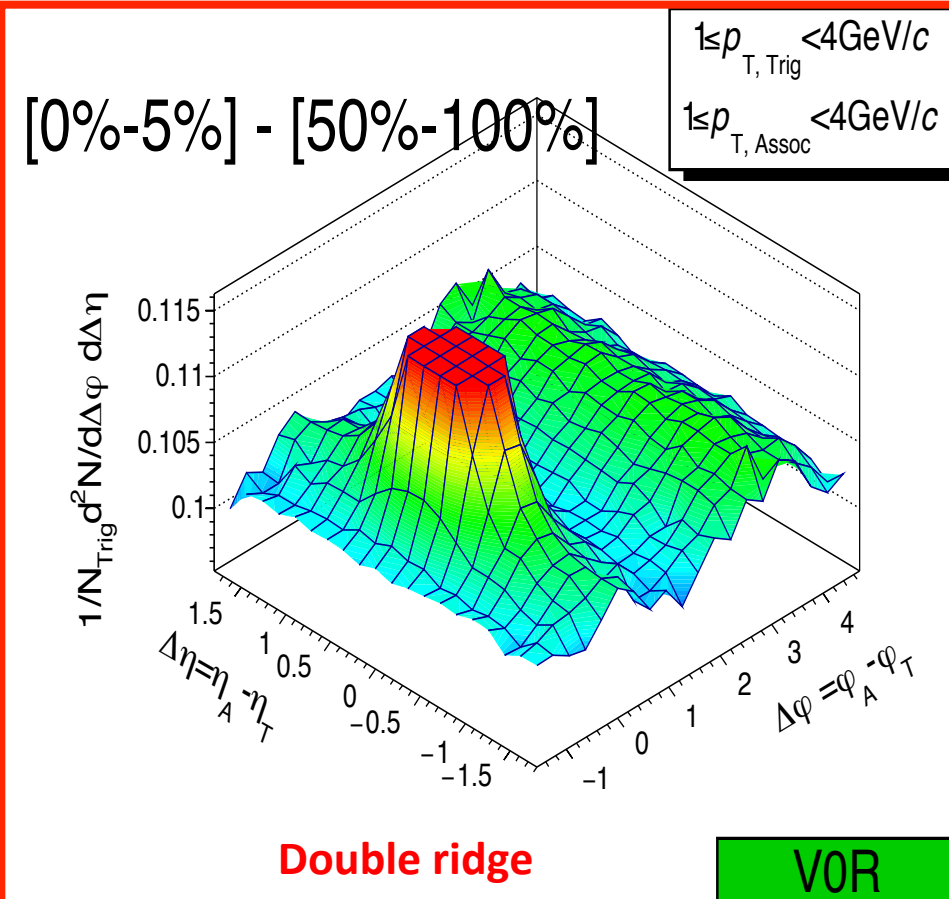
work in progress



High - Low

work in progress

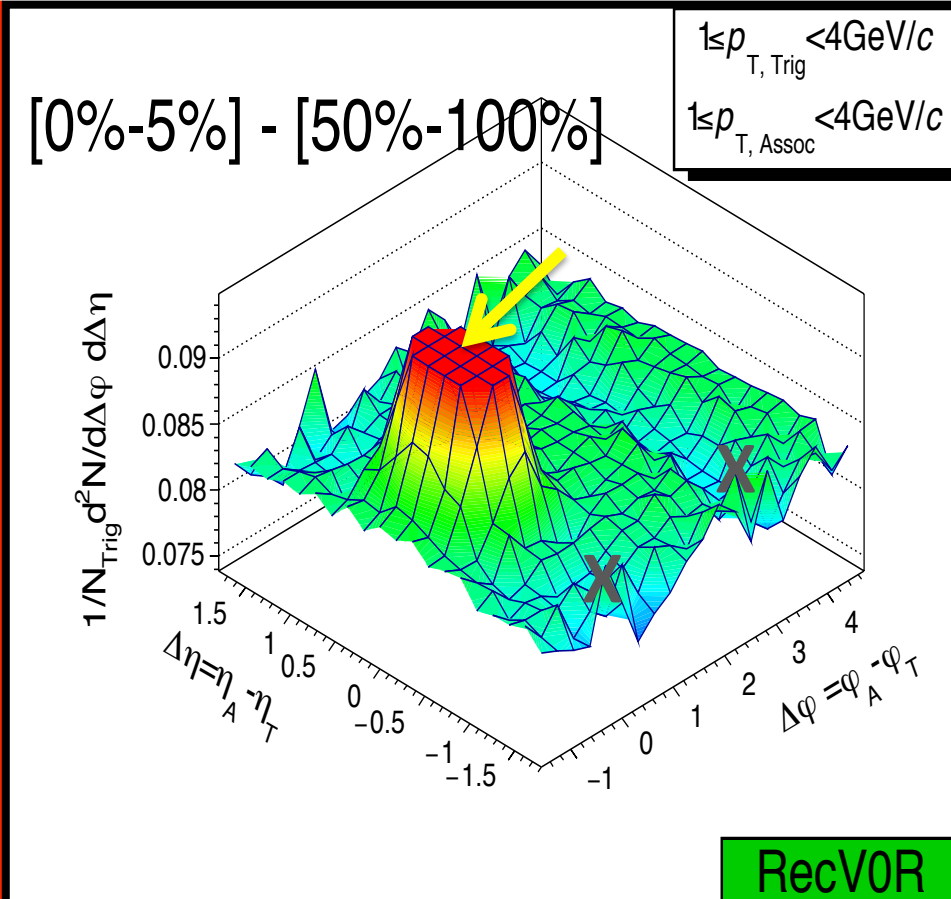
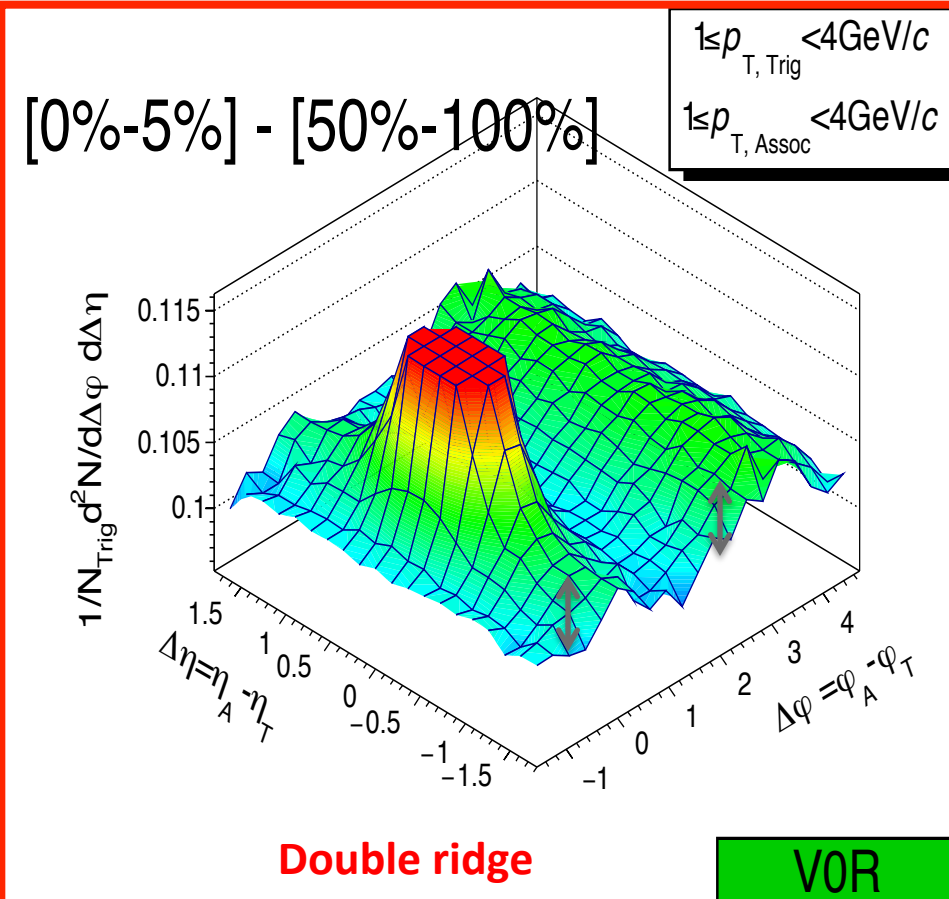
Pythia



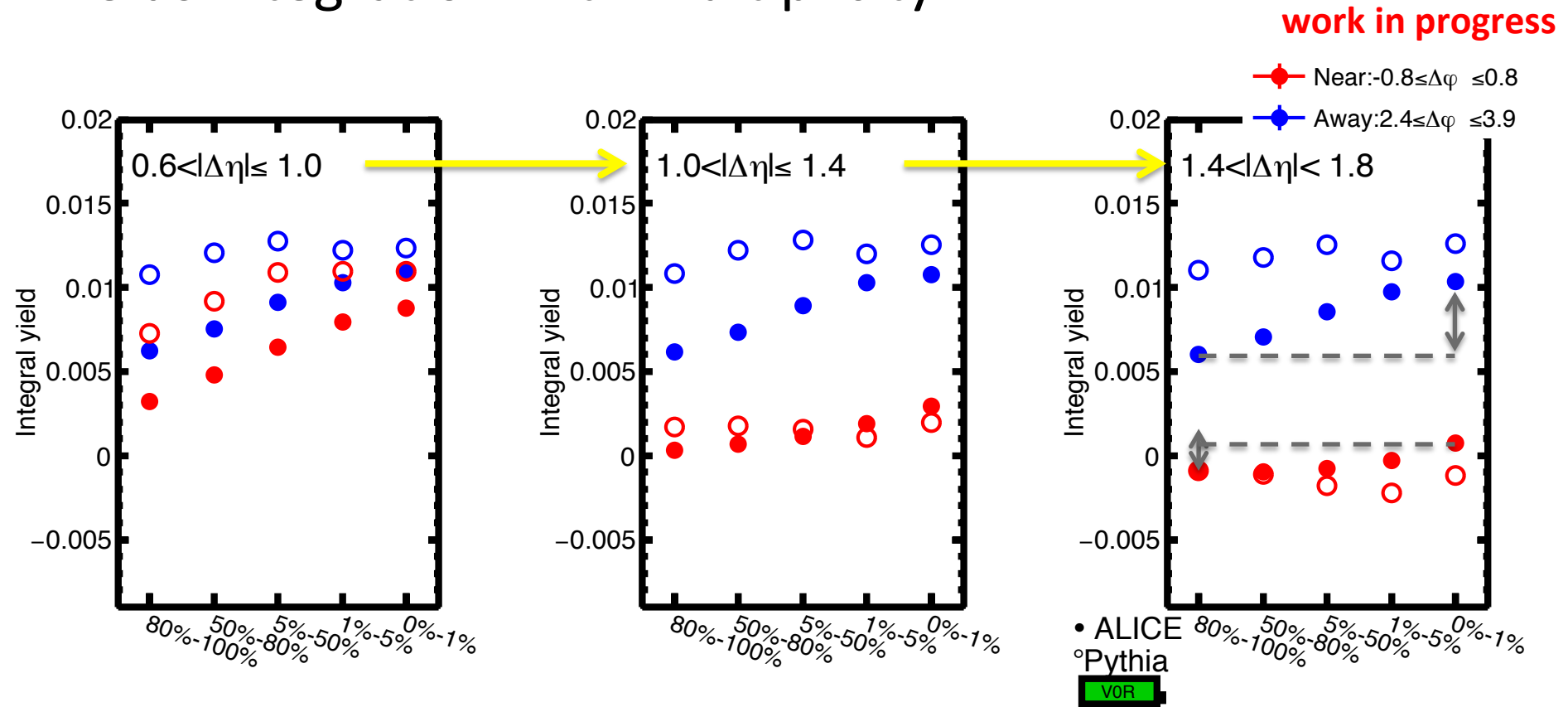
High - Low

work in progress

Pythia



Yields integration with multiplicity



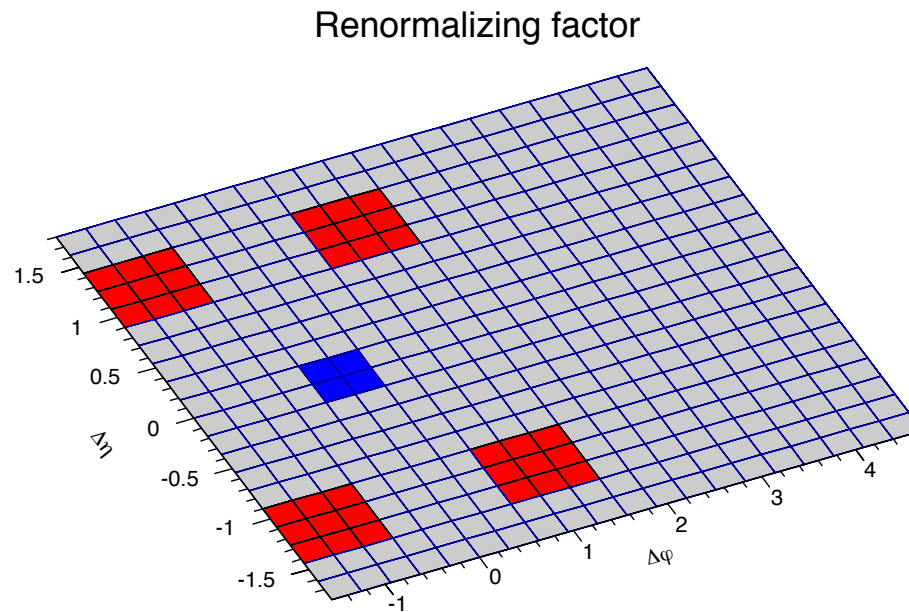
- Integrated yields in **near side** increase with increasing multiplicity.
- Integrated yields in **away side** are constant with $\Delta\eta$.
- $\Delta\eta$ dependence is clearly different between data and pythia model, especially with large rapidity.

Summary

- Multiplicity dependence of the correlation functions measured in $\Delta\eta$
 - ➔ Ridge/Double ridge at $\Delta\phi \approx 0$ and π in 0-5% high multiplicity.
- Integrated yield increases with multiplicity.
- Pythia can not reproduce ridge structure.

Key words: pp high multiplicity, ridge, hydrodynamical evolution

Backup

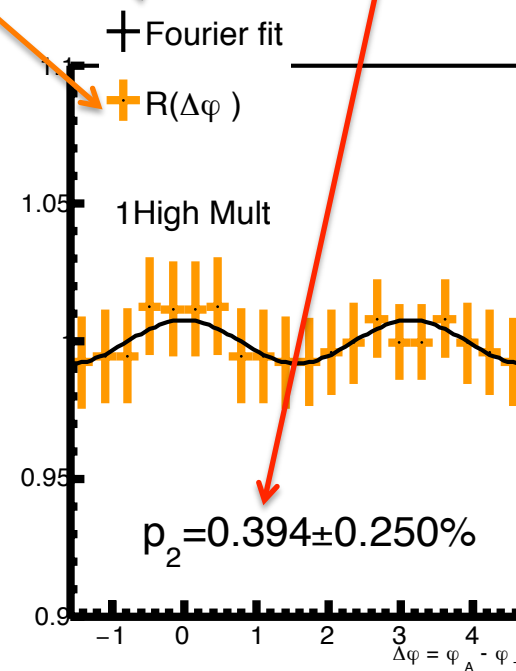
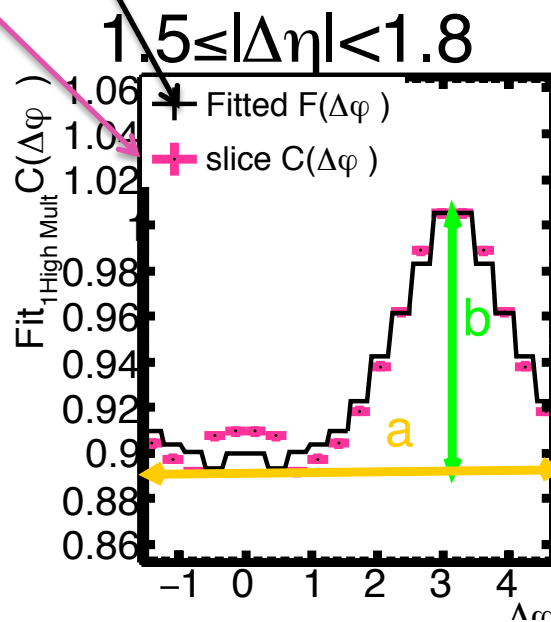
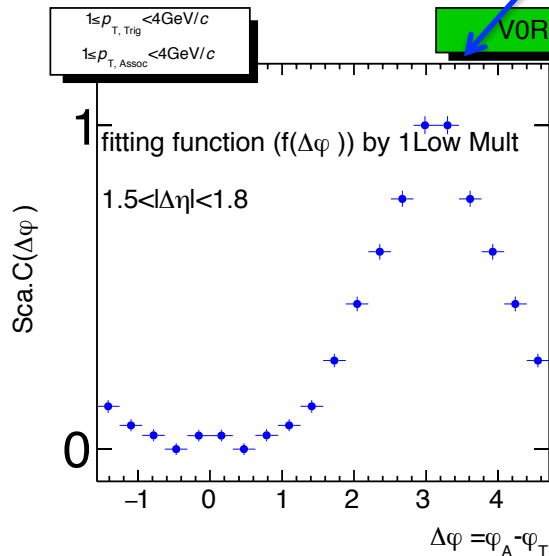


Strategy for p2 parameter

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$C(\Delta\phi, \Delta\eta) \rightarrow C(\Delta\phi) \rightarrow \text{Fitting function } F(\Delta\phi) = a + b f(\Delta\phi) \rightarrow R(\Delta\phi) = C(\Delta\phi)/F(\Delta\phi) \rightarrow \text{Fourier fit} \rightarrow \text{p2 parameter} = v_2^2 \text{ parameter}$

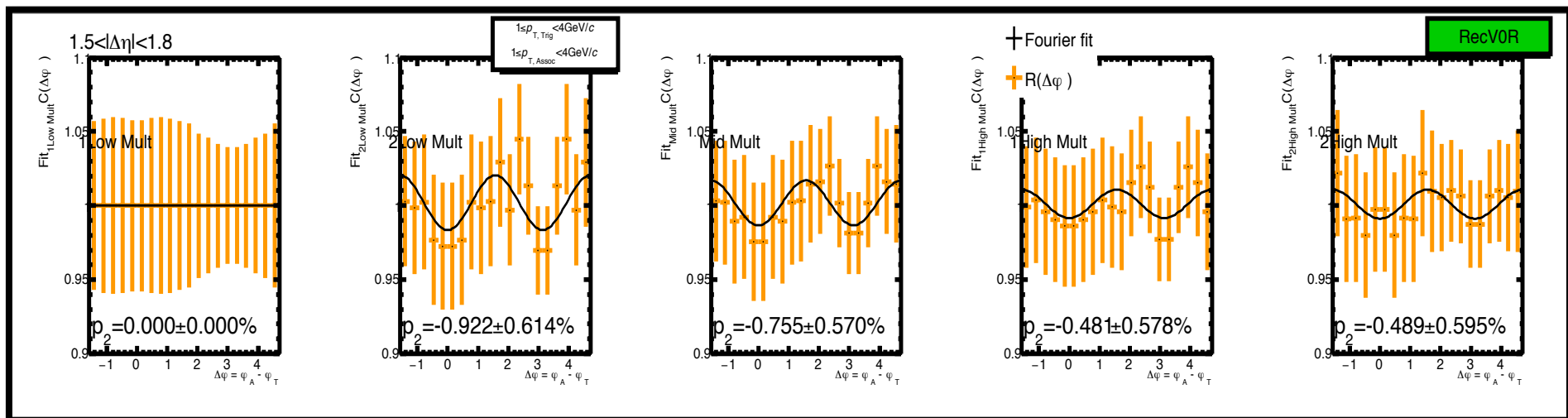
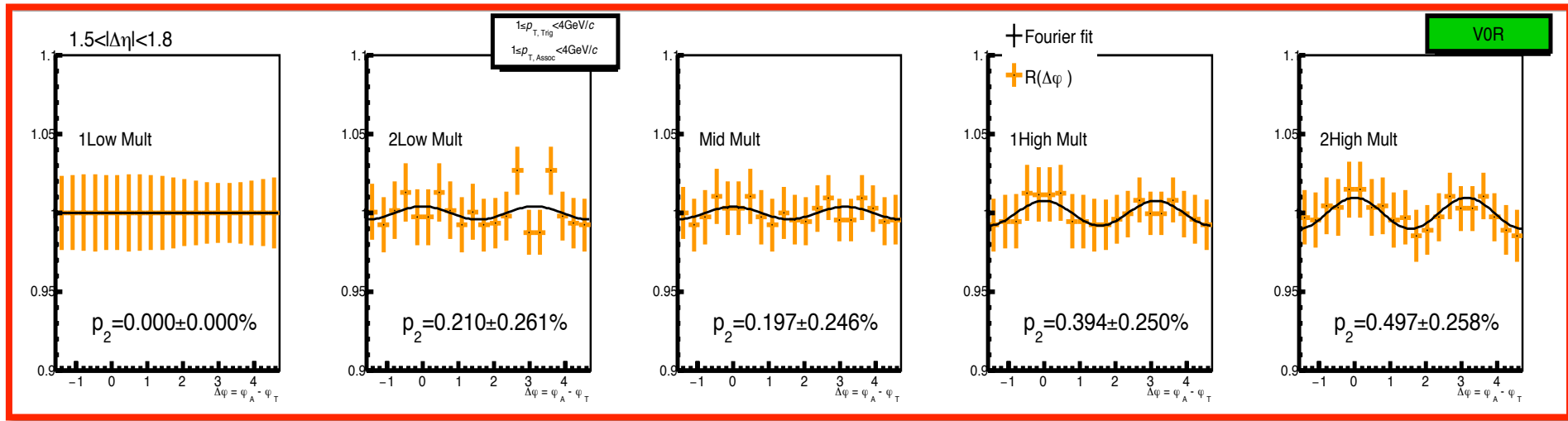
$f(\Delta\phi)$ by rescaling [0-1]
the lowest multiplicity data



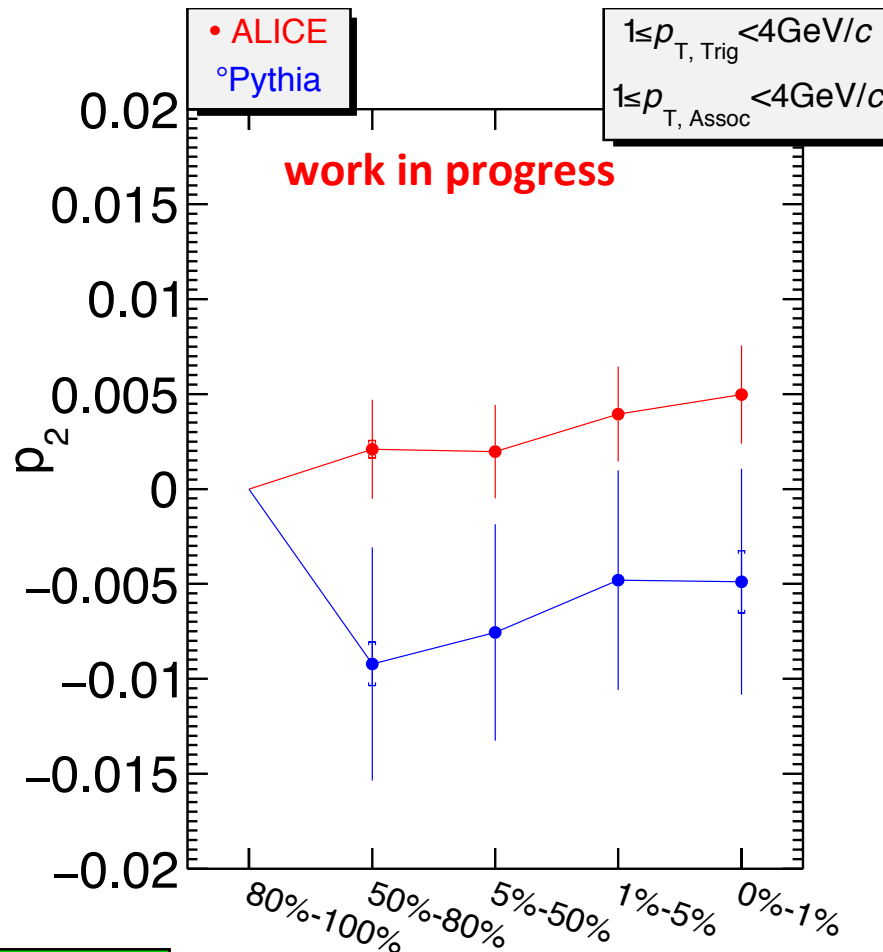
Fitted $F(\Delta\varphi)$ and Fourier fit in $1.5 \leq |\Delta\eta| < 1.8$

work in progress

Shapes ($C(\Delta\varphi)$) become narrower
with increasing multiplicities



P_2 parameter (V_2^2) in $1.5 \leq |\Delta\eta| < 1.8$



**p2 parameter
=0.2 - 0.5%**

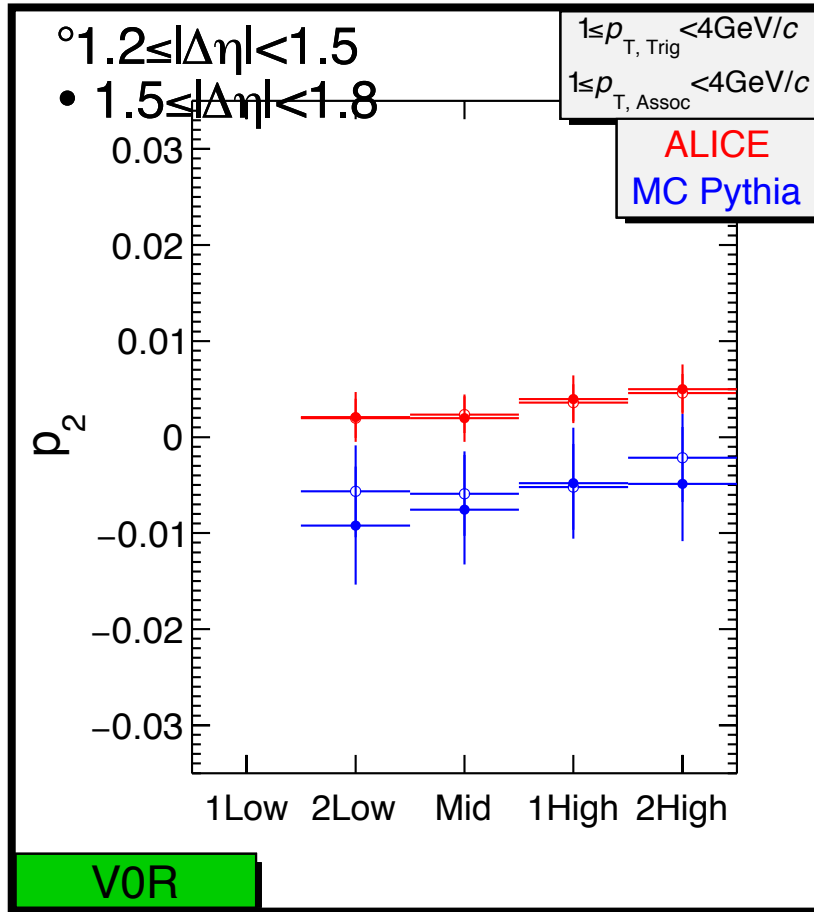
**p2 parameter
=-0.9 - -0.5%**

V0R

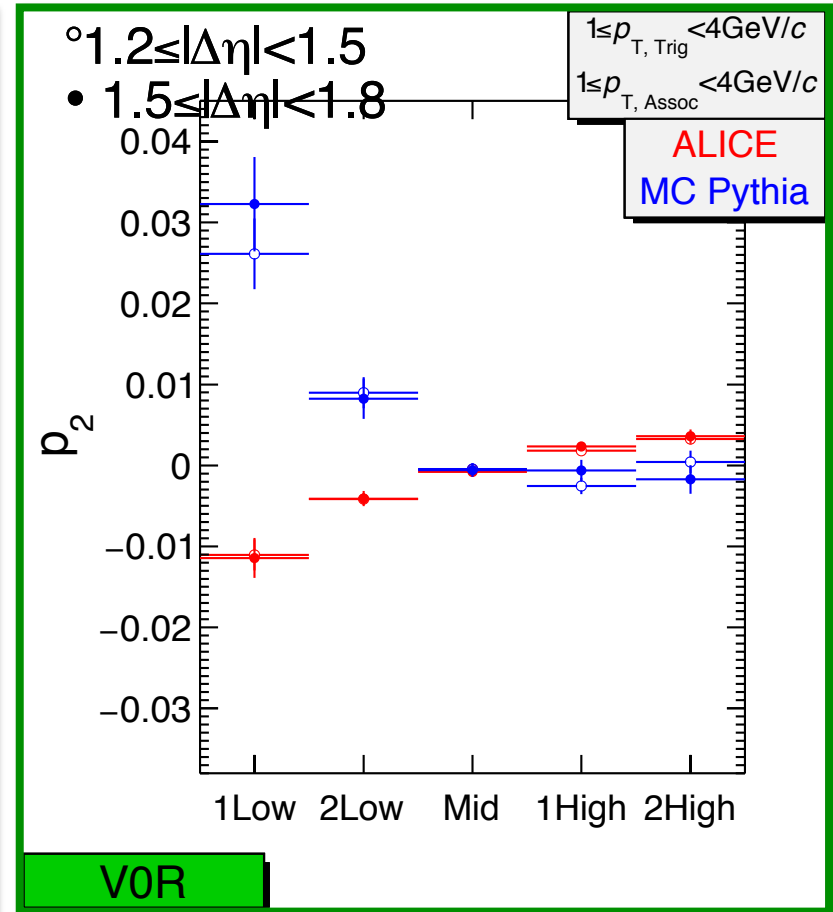
P2 parameter

work in progress

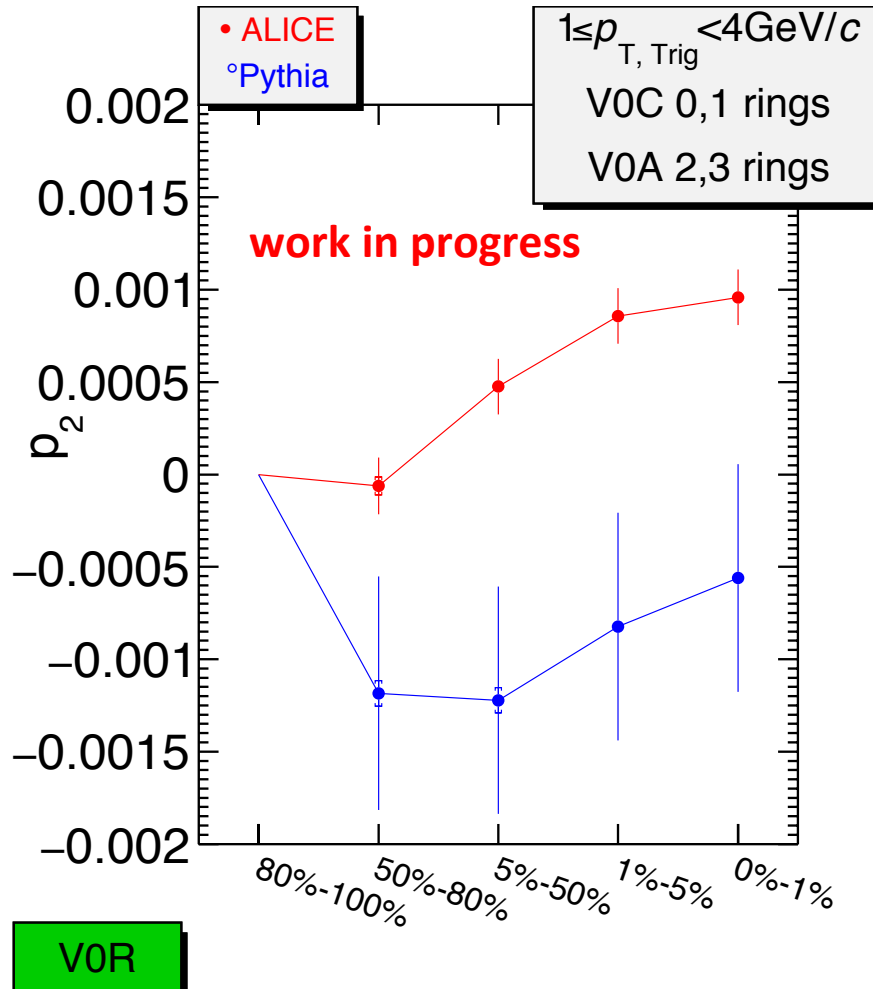
With respect to the lowest multiplicity



With respect to MB



P₂ parameter (V₂²) in TPC-V0 (2 < |Δη| < 4)

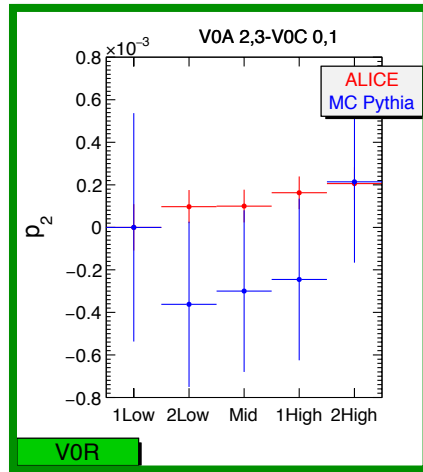
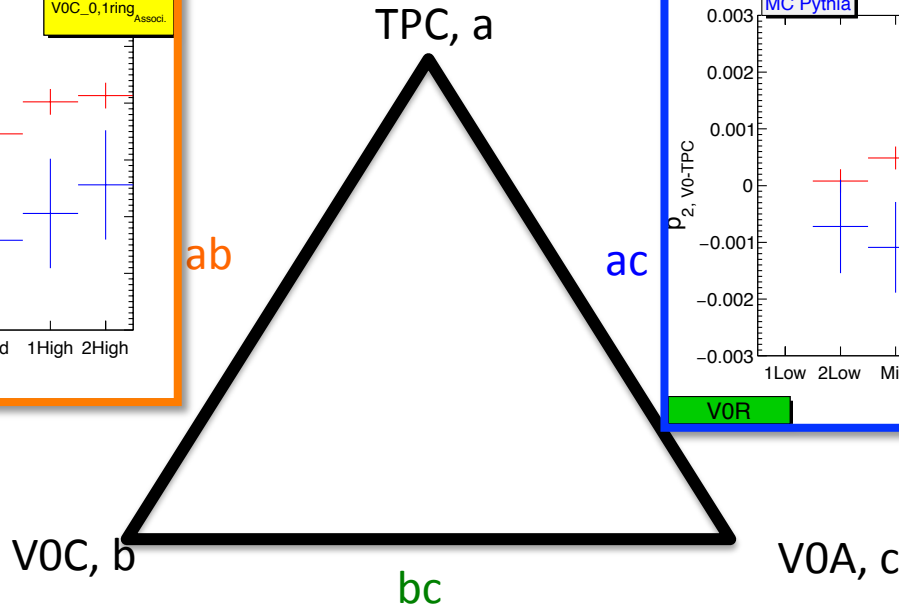
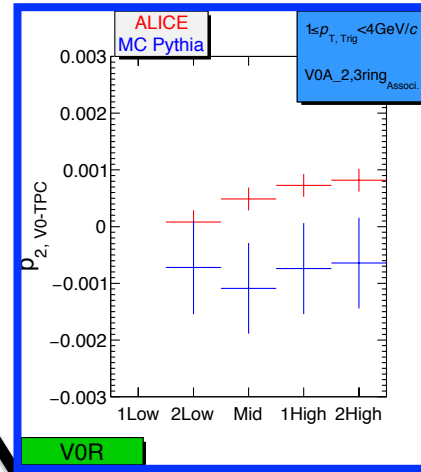
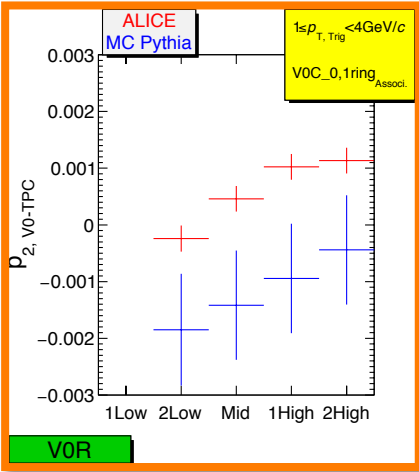


p₂ parameter
= 0 – 0.09%

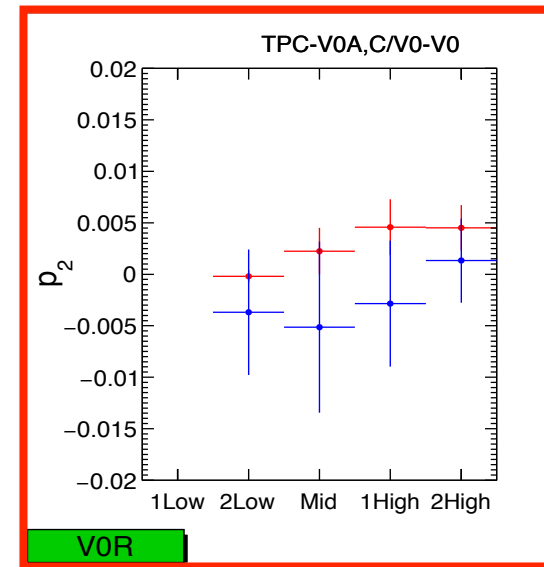
p₂ parameter
= -0.09 – -0.06%

The p2 extraction

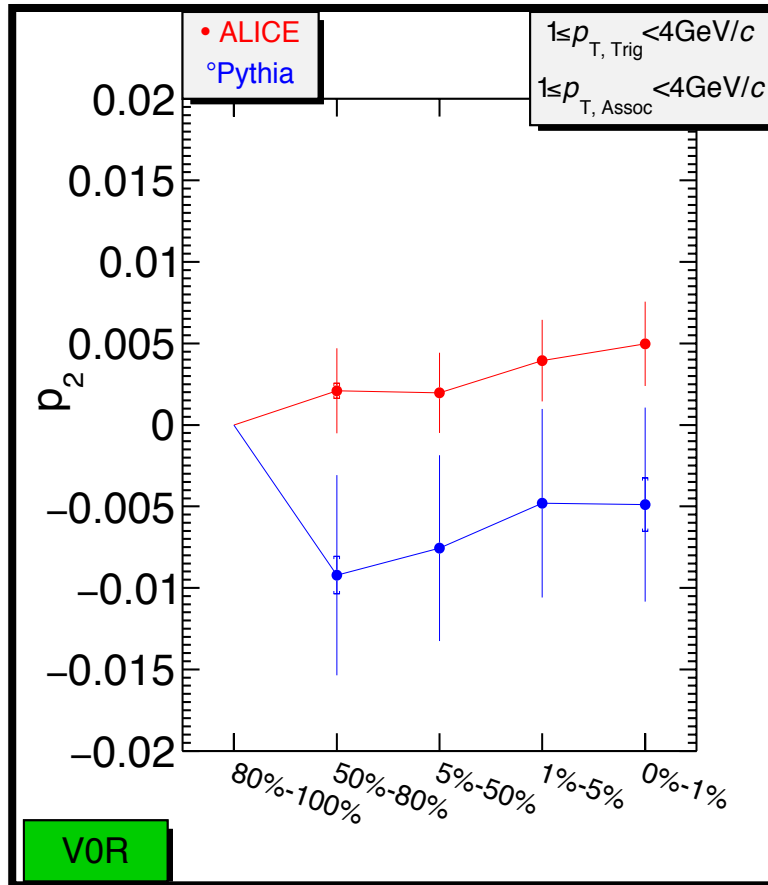
work in progress



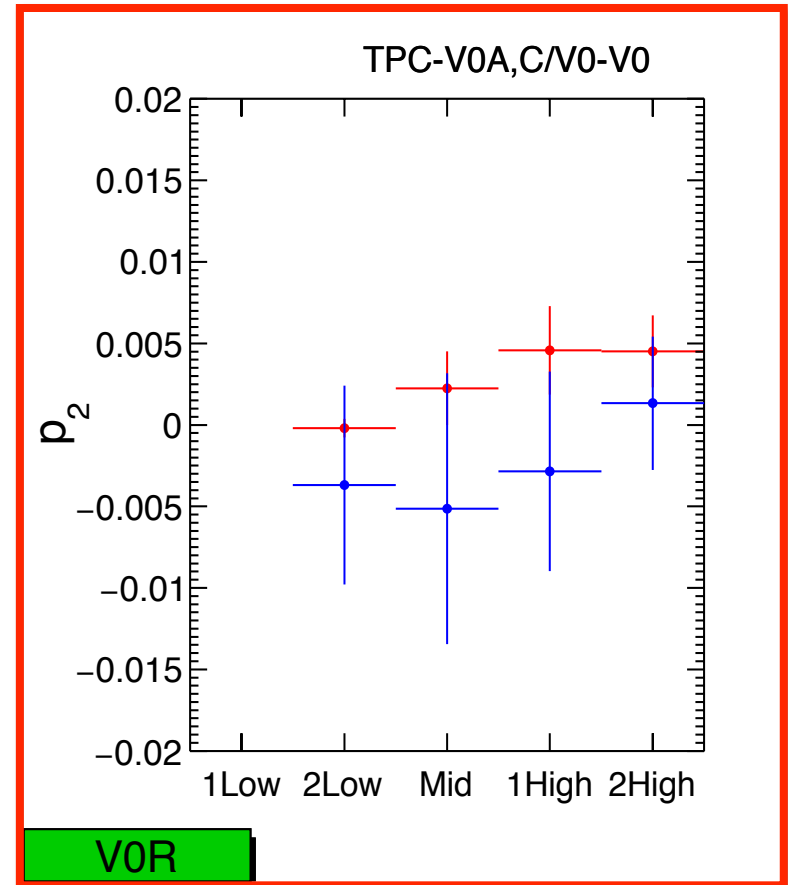
ab, ac = p2 of TPC-V0
bc = p2 of V0-V0
 $ab \times ac / bc = a^2$
 $a^2 = v_2^2$ of TPC



TPC-TPC extract v_2^2



Extraction of v_2^2 from V0-V0



Due to the most tight track cut in TPC

Data set

- LHC10d and LHC10e (AOD 147)
- Pythia, LHC10f6a
- Event selection
kMB
 $|\text{Vertex}_z| < 10\text{cm}$
- Track selection
(X) the hybrid track cut (IsHybridGlobalConstrainedGlobal()).
(O) track cuts 1 is the BIT(4) (kTrkGlobalNoDCA).
(OK) track cuts 2 is the BIT(5) (kTrkGlobal).