

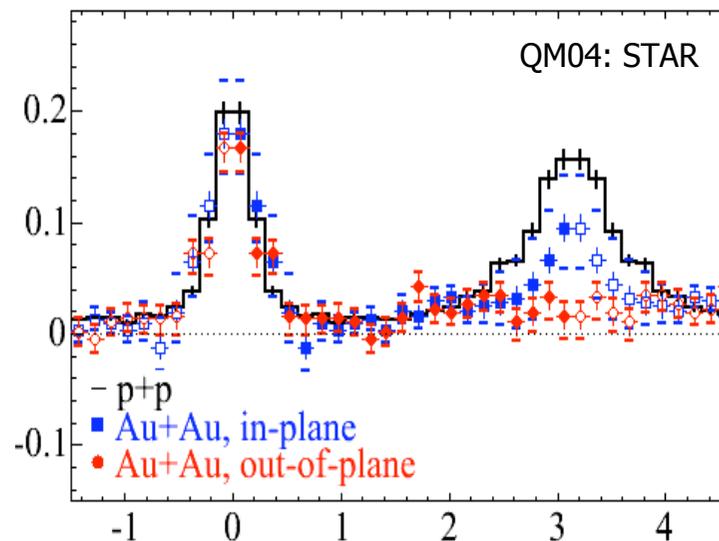
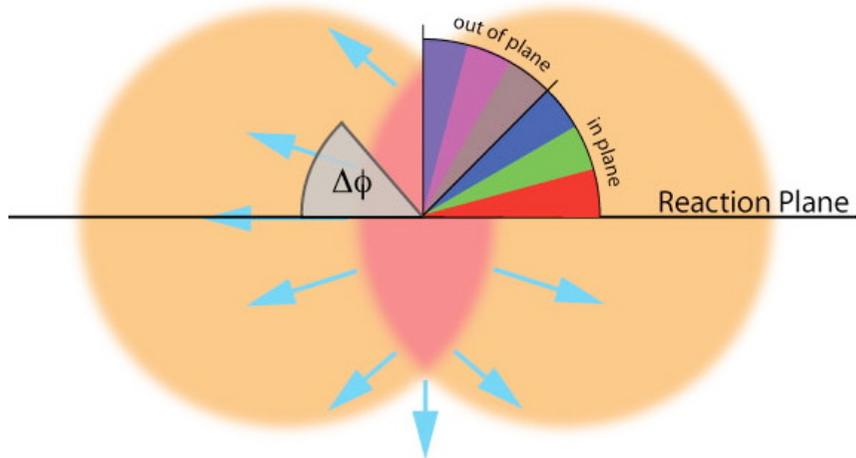
Flow and non-flow in jet correlation

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Jiangyong Jia (Stony Brook Univ.)



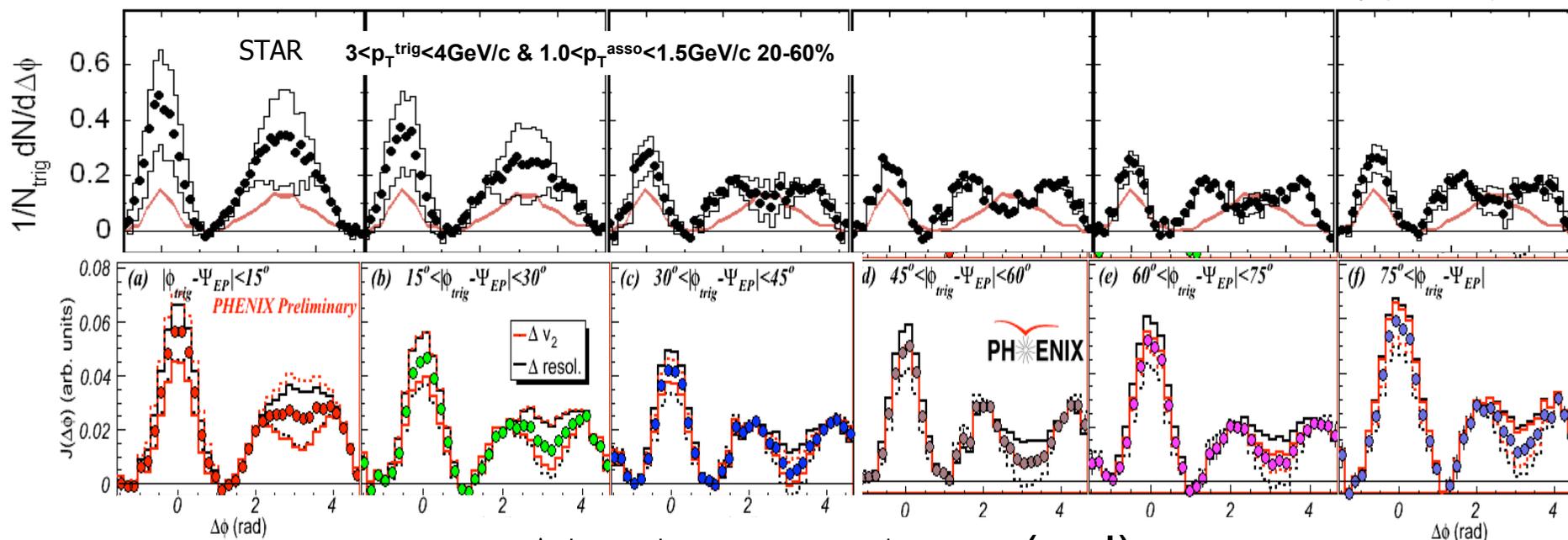
flow : any-correlation with R.P.
non-flow : random w.r.t. R.P.

- Jet : If it's correlated with R.P. ---> flow (high p_T $v_2 > 0$) and non-flow
If it's not correlated with R.P. ---> pure non-flow (B.G. for true v_2)
- (1) “non-flow” effect modifies the measured v_2 , when they give any correlations between R.P. detector and v_2 detector.
 - (2) If medium responses (mach-cone, ridge) are related with jet, they will also be a part of “flow” or “non-flow” according to jet.
 - (3) Inclusive v_2 should contain all of them (jet, mach-cone, ridge), “non-flow” should always reduce the inclusive (true) v_2 , while “flow” of (jet, mach-cone, ridge) can enhance the (true) v_2 .
 - (4) Recent results tell “medium responses” do change its shape and yield as a function of relative angle w.r.t. R.P.



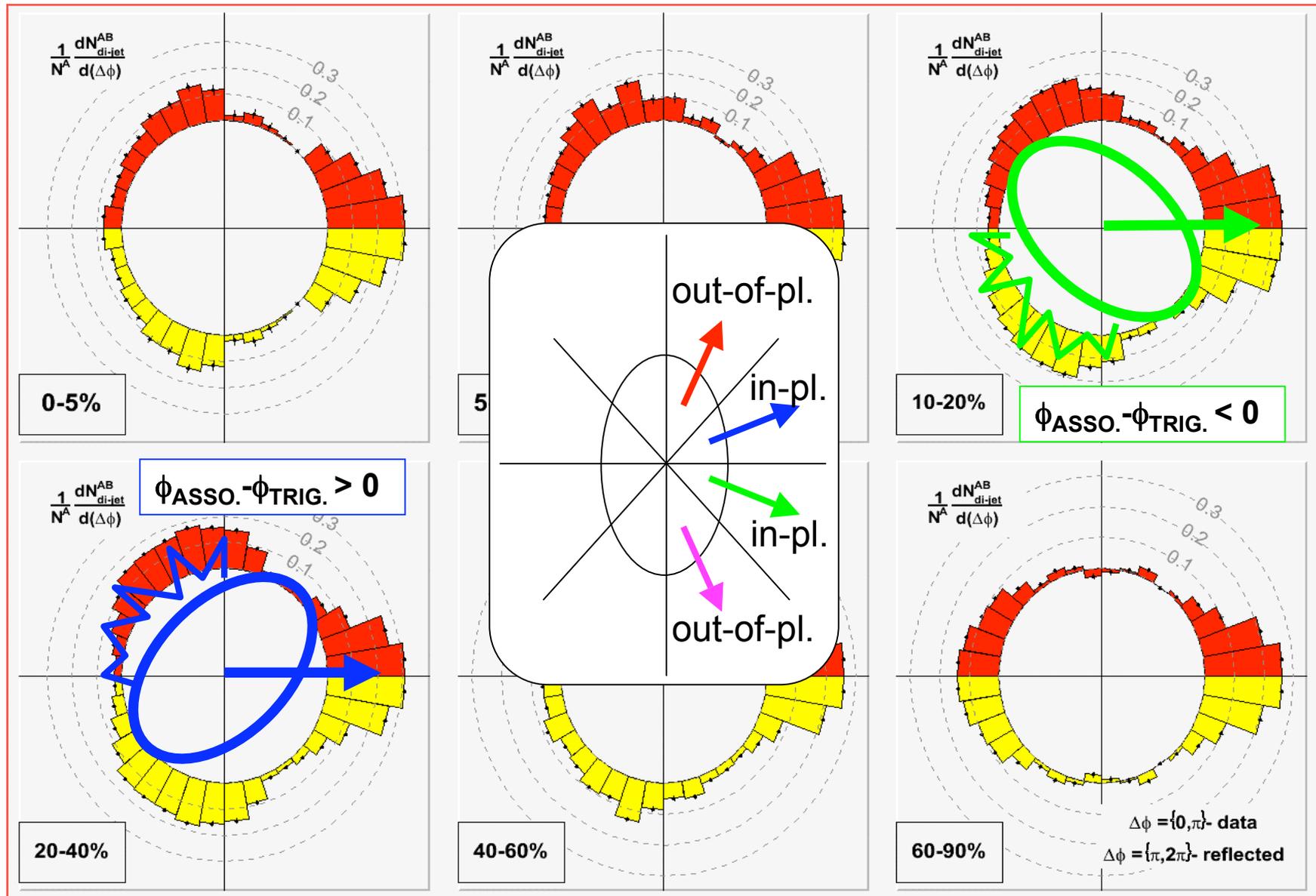
QM08: STAR, PHENIX

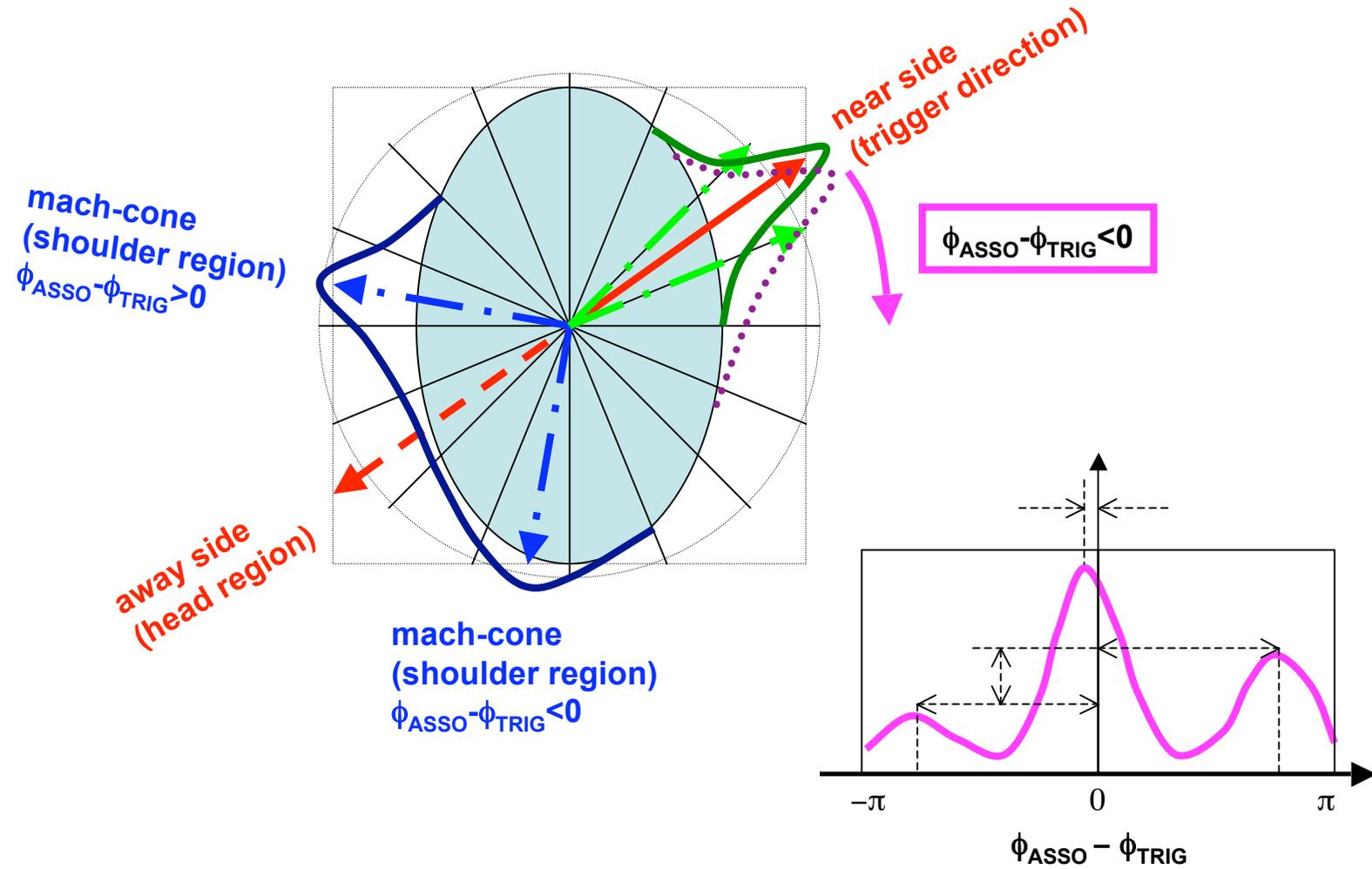
$\Delta \phi$ (radians)

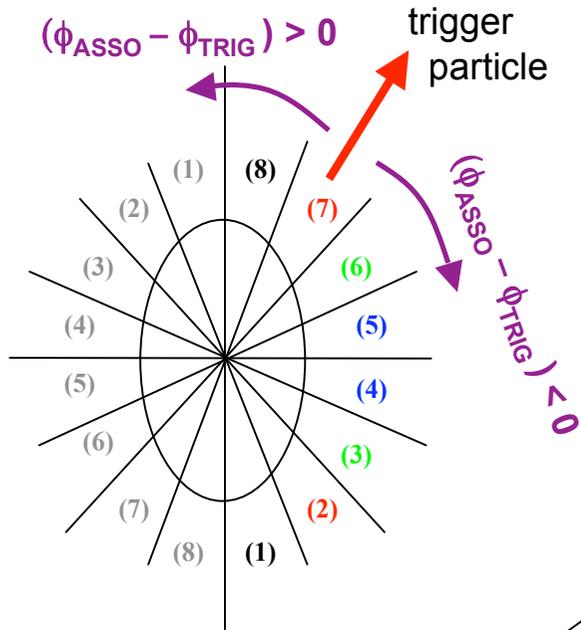


$$\Delta \phi = \phi_{\text{associate}} - \phi_{\text{trigger}} \text{ (rad)}$$

Understanding of Mach-cone shape of ($p_T^{\text{Asso}}=1\sim 2\text{GeV}/c$)
 with trigger angle selected 2-particle correlation ($p_T^{\text{Trig}}=2\sim 4\text{GeV}/c$)

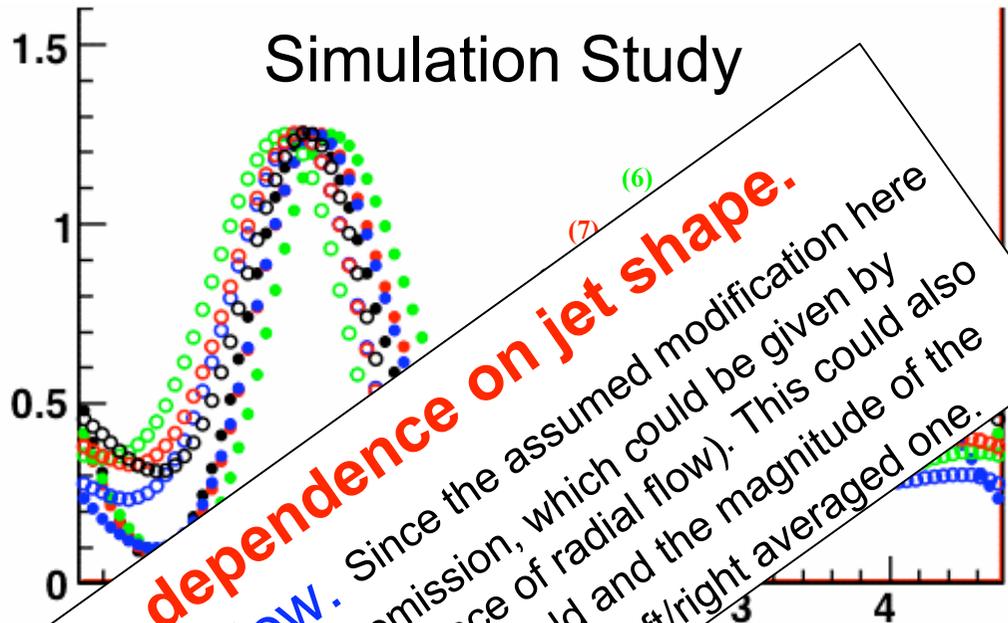




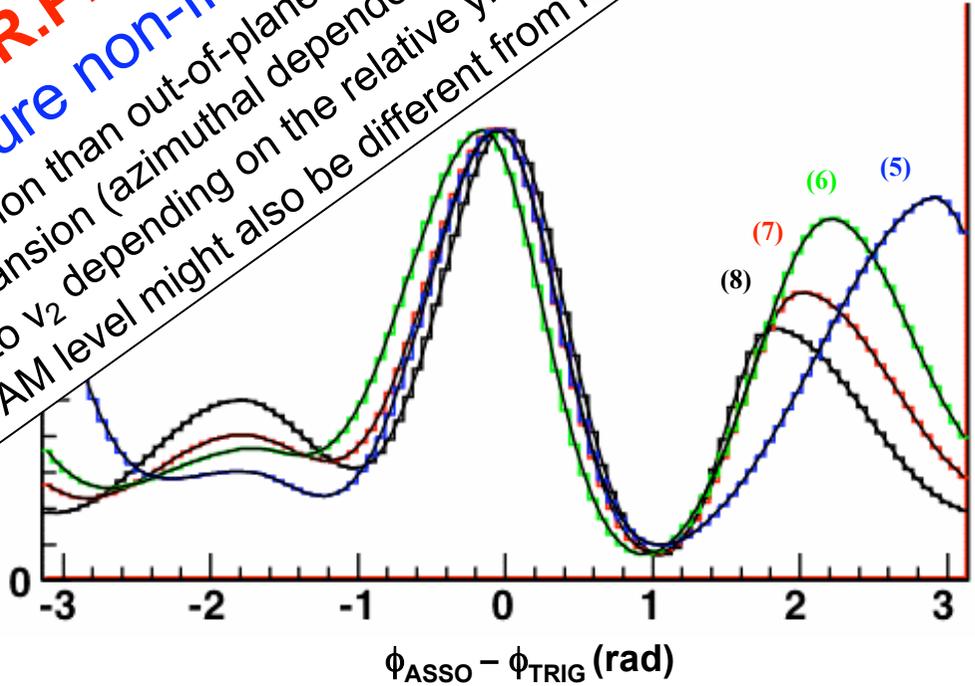


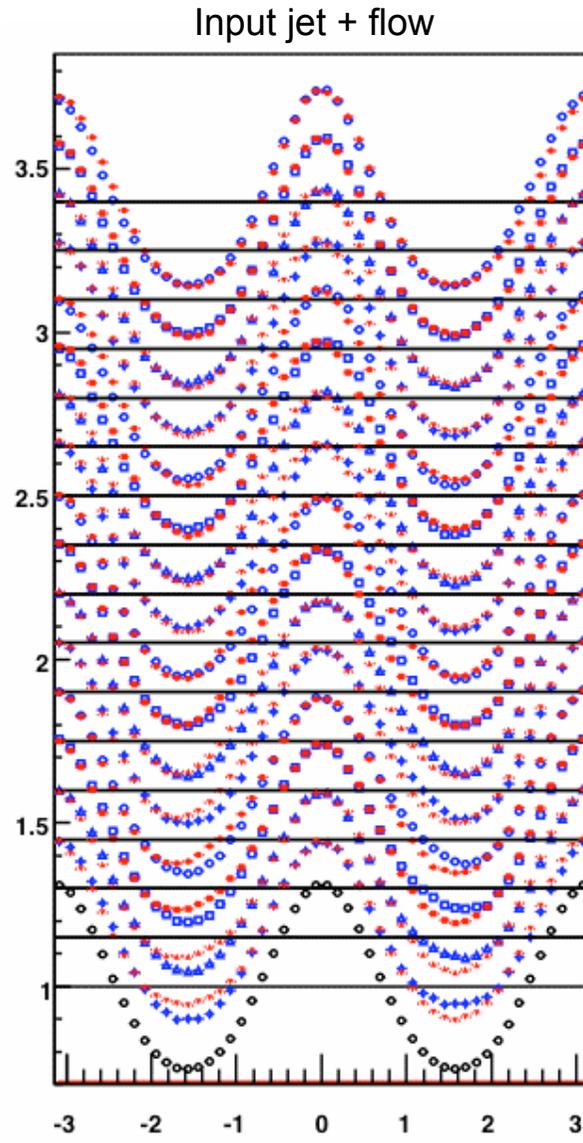
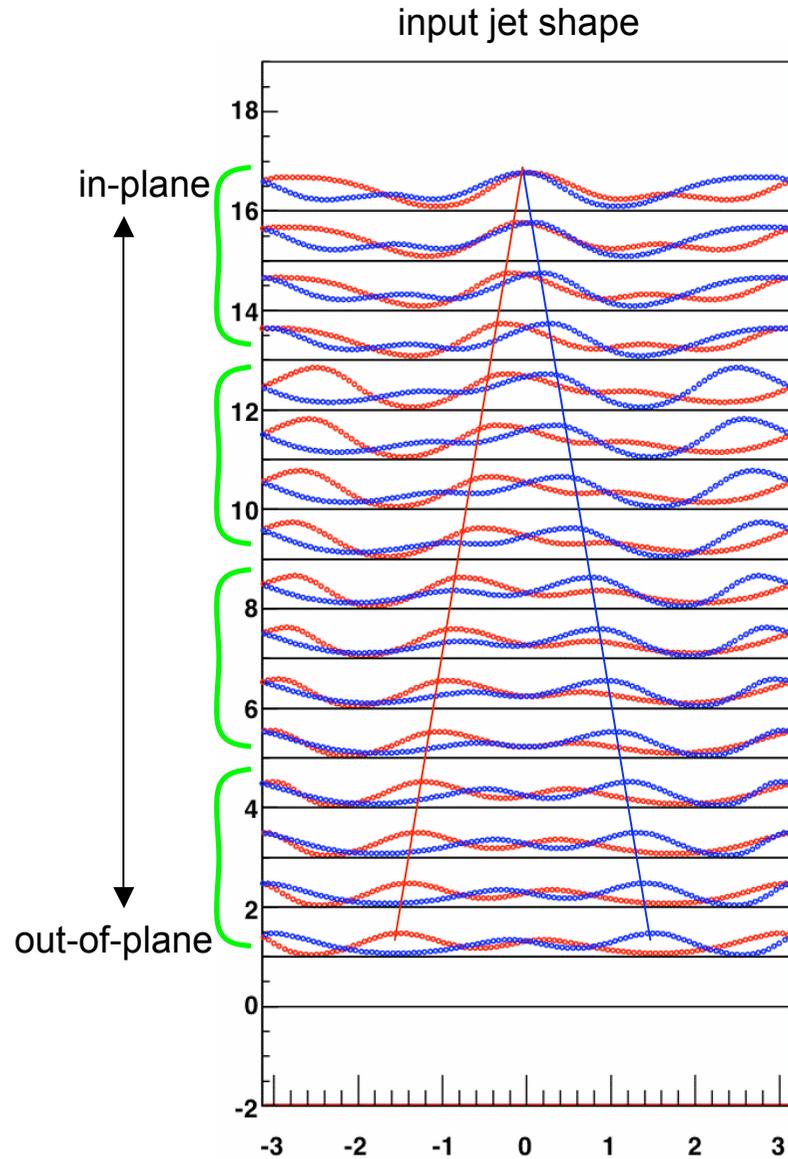
- shape(1) = $f_1(x)$
- shape(2) = $f_2(x)$
- shape(3) = $f_3(x)$
- shape(4) = $f_4(x)$
- shape(5) = $f_5(x)$
- shape(6) = $f_6(x)$
- shape(7) = $f_7(x)$
- shape(8) = $f_8(x)$

3 x (peak, ...)
+ 2 x (relative ...)
shape modification. ZYAM level might also be different from left/right averaged one.



Assume very strong R.P. dependence on jet shape.
This will NOT be a pure non-flow. Since the assumed modification here always prefer in-plane emission than out-of-plane emission, which could be given by geometry or by elliptic expansion (azimuthal dependence of radial flow). This could also be a strong contribution to v_2 depending on the relative yield and the magnitude of the shape modification. ZYAM level might also be different from left/right averaged one.



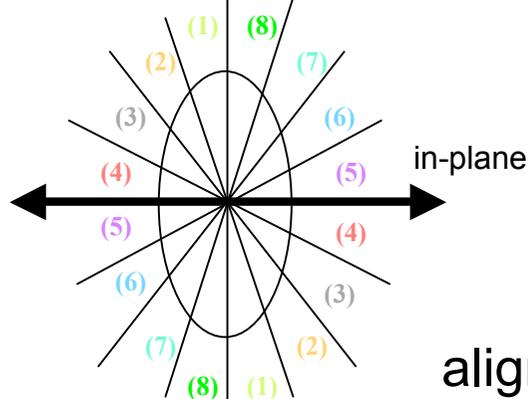
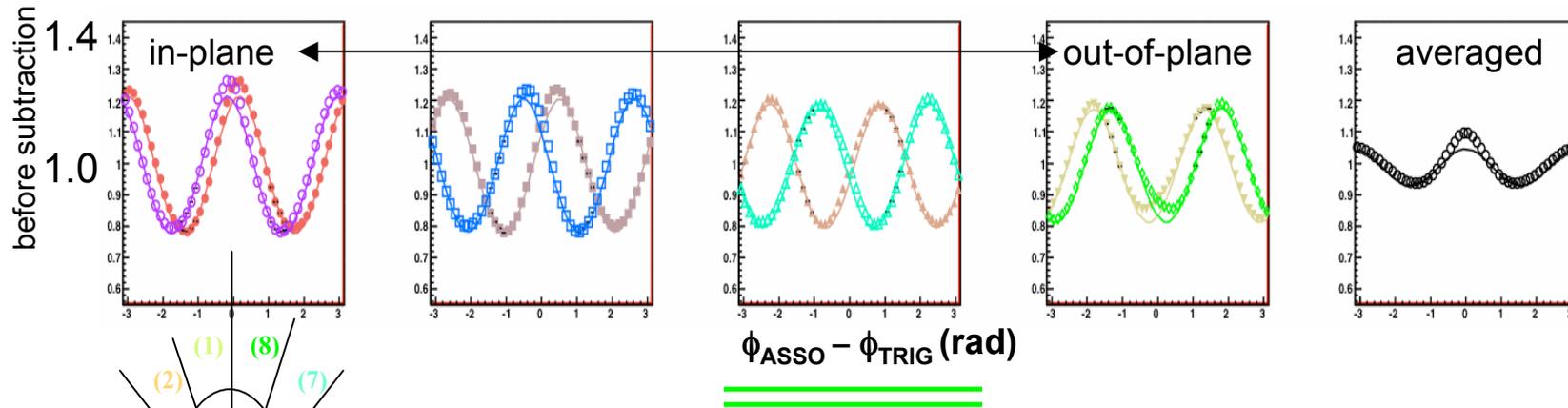


- Input parameters
- (1) Jet shape (11x4)
 - (2) $v_{2,4}^{\text{Trig}}$ (soft)
 - (3) $v_{2,4}^{\text{Asso}}$ (soft)
 - (4) $v_{2,4}^{\text{Jet}}$ (hard)
 - (5) $v_{2,4}^{\text{PTY}}$ (hard)
 - (6) $n_{\text{Trig}} / \text{eve}$ (soft)
 - (7) $n_{\text{Asso}} / \text{eve}$ (soft)
 - (8) $n_{\text{Jet}} / \text{eve}$ (hard)
 - (9) $n_{\text{PTY}} / \text{jet}$ (hard)

- Output parameters
- (a) $v_{2,4}^{\text{Trig}}$ (incl)
 - (b) $v_{2,4}^{\text{Asso}}$ (incl)
 - (c) $n_{\text{Trig}} / \text{eve}$ (incl)
 - (d) $n_{\text{Asso}} / \text{eve}$ (incl)
 - (e) hard/soft frac. (true frac.) (z Yam frac.)

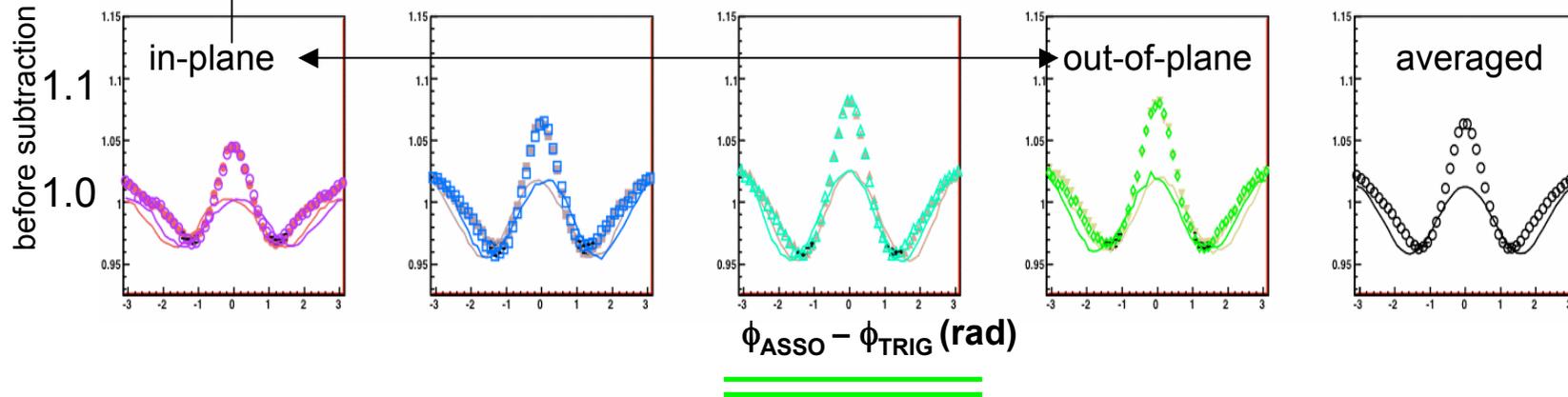
$\phi_{\text{Asso}} - \Phi_{\text{R.P.}}$ (trigger angle ϕ_{Trig} selection w.r.t. R.P., where, ϕ_{Trig} gives the sign of 2nd order $\Phi_{\text{R.P.}}$)

random R.P. mixing (total flow + jet)

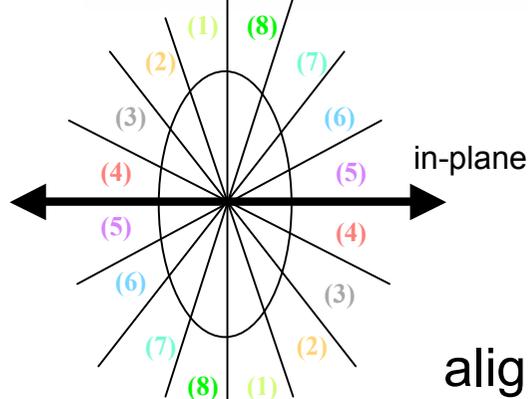
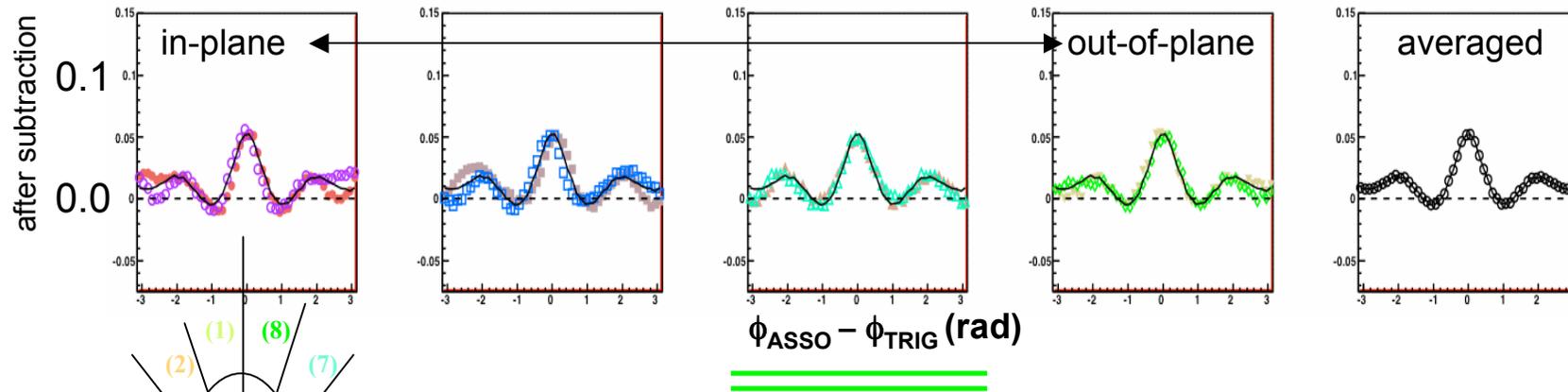


2-particle correlation : before subtraction

aligned R.P. mixing (reduced flow + jet)

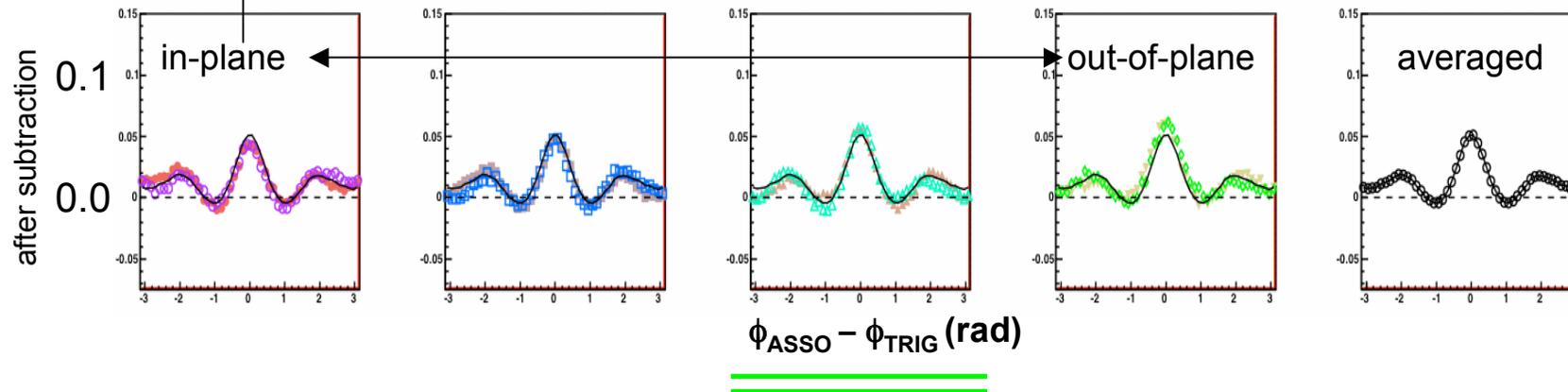


random R.P. mixing (total flow subtracted jet)

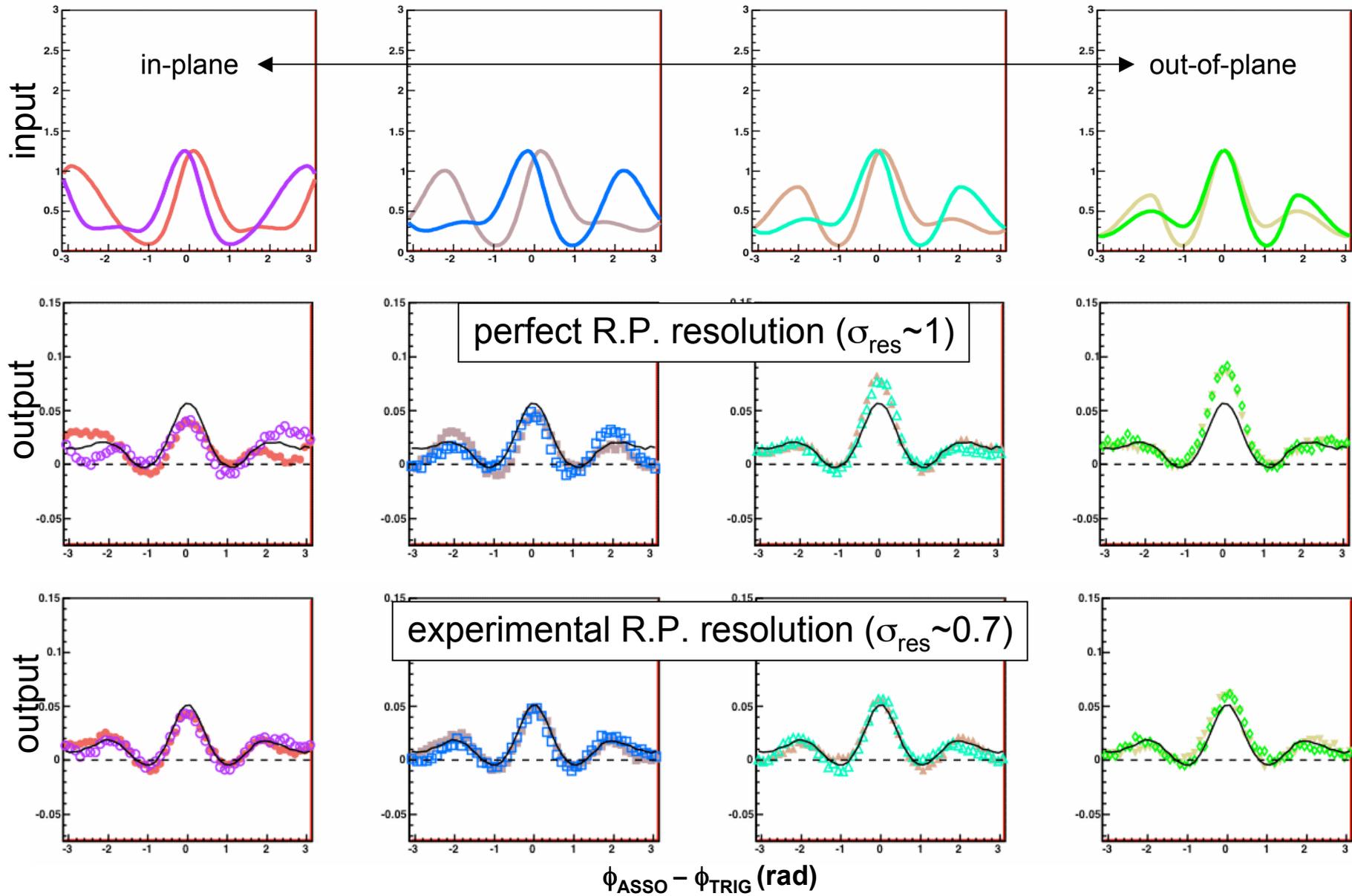


2-particle correlation : after subtraction

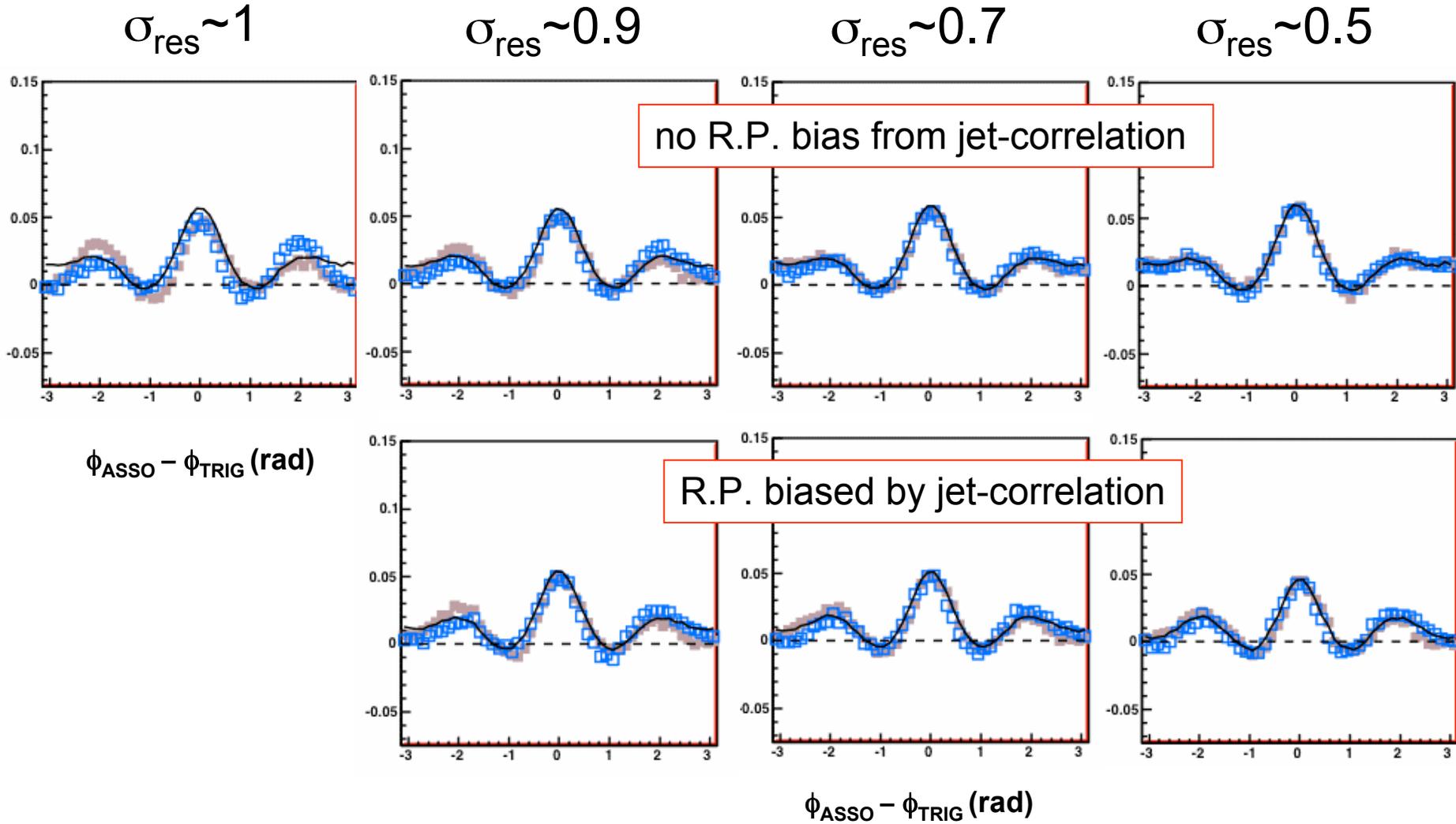
aligned R.P. mixing (reduced flow subtracted jet)

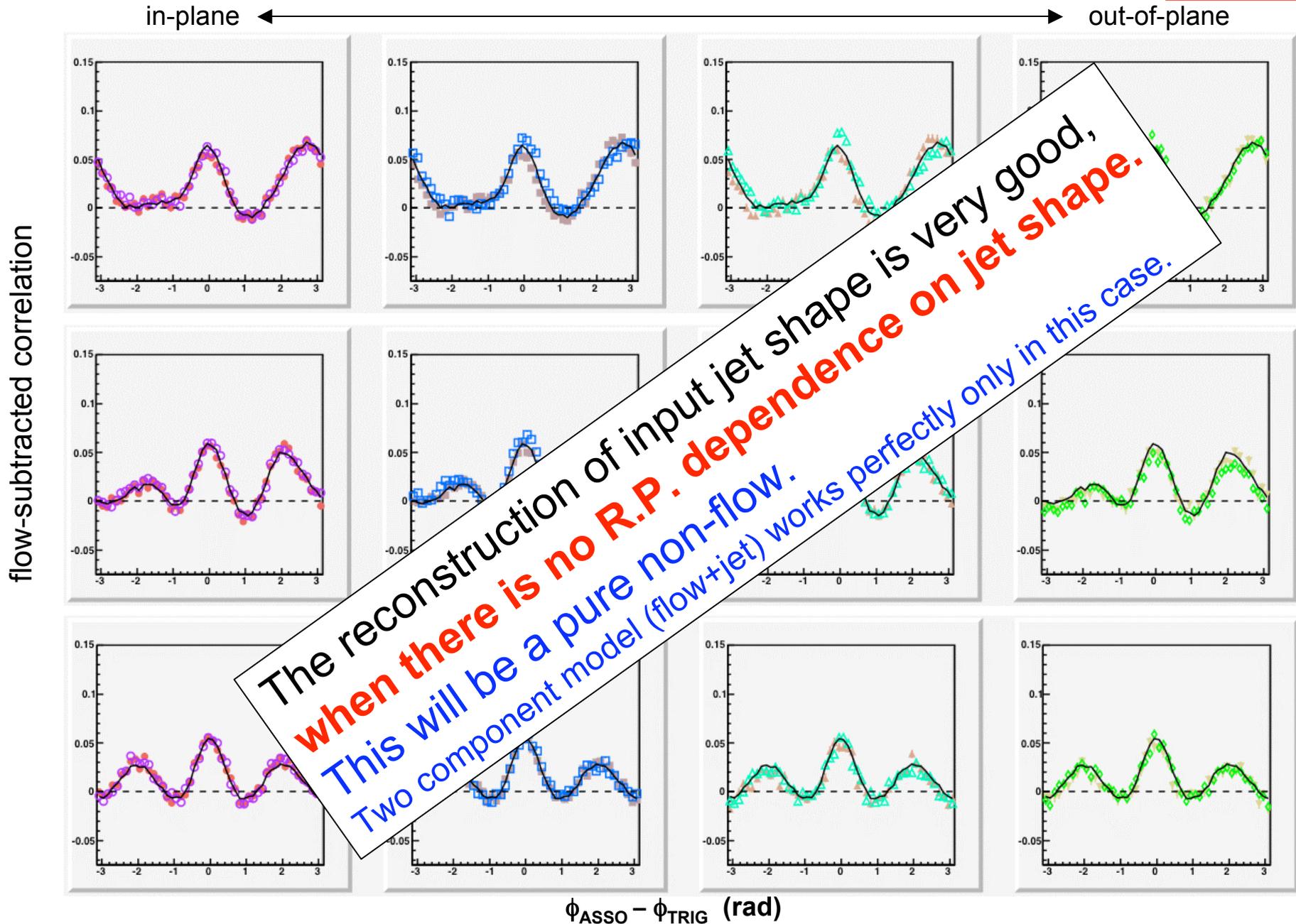


comparison between input and output

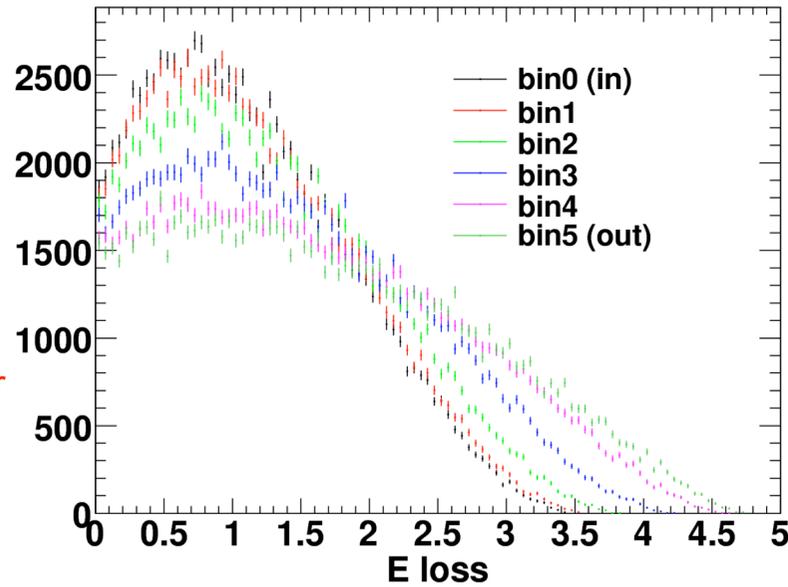


effect of the experimental resolution

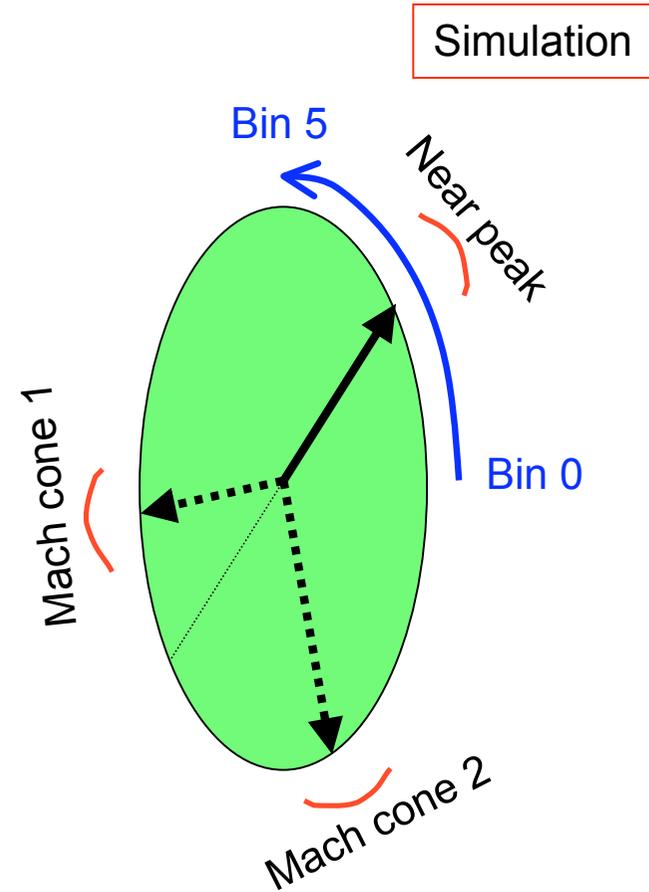
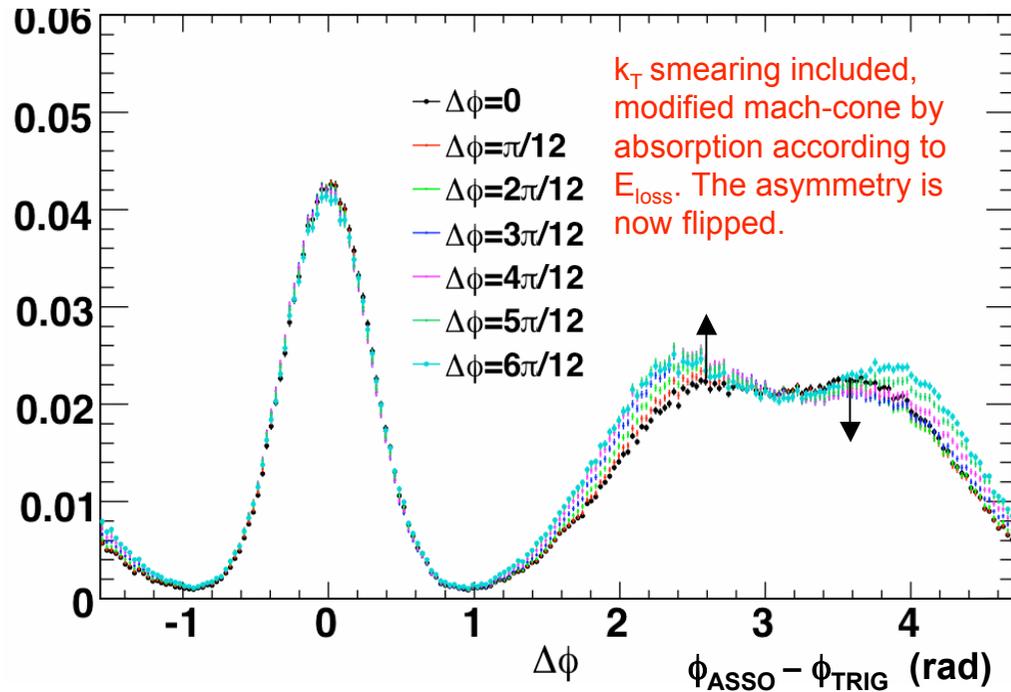




Jiangyong Jia



E_{loss} depending on angle w.r.t. R.P. for near peak and Mach cone 1/2



The multiplicities in these regions are assumed to be proportional to the path length (a la energy loss).

Note: original jets are generated according to N_{coll} profile

RHIC 200GeV Au+Au, mid-central collisions at mid- p_T region (1-4 GeV/c) with $v_2 = 0.1 \sim 0.2$

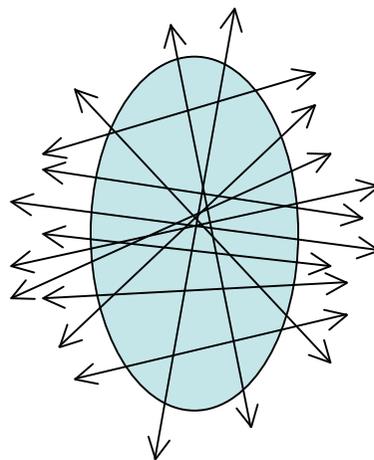
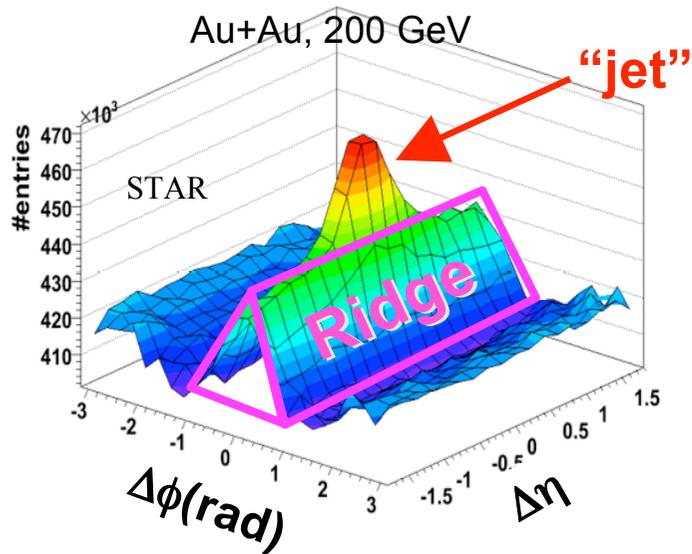
* Significant semi-hard (mini-jet) fraction
relative to soft-thermal contribution ~ several*10%

* Significant v_2 effect from the semi-hard component
relative to soft-thermal particle v_2 ~ several*10%

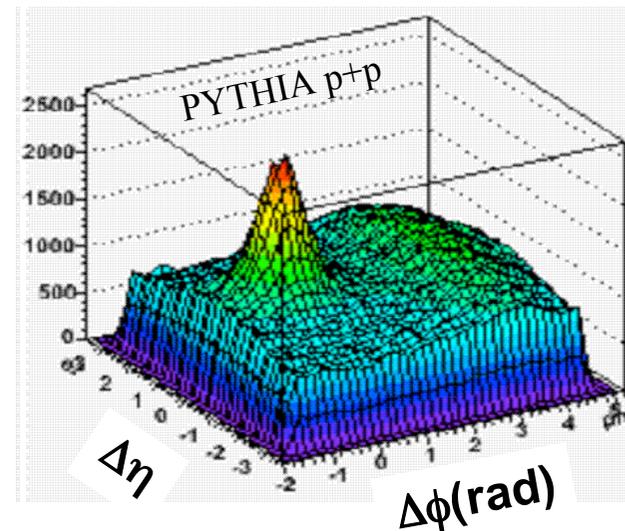
* Significant smearing on jet shape even with $\sigma_{R.P.} \sim 0.7$
But it's not really because of poor accuracy of E.P. angle,
it's more because mini-jets push up the inclusive v_2
which is subtracted.

* RHIC data analysis is in progress...

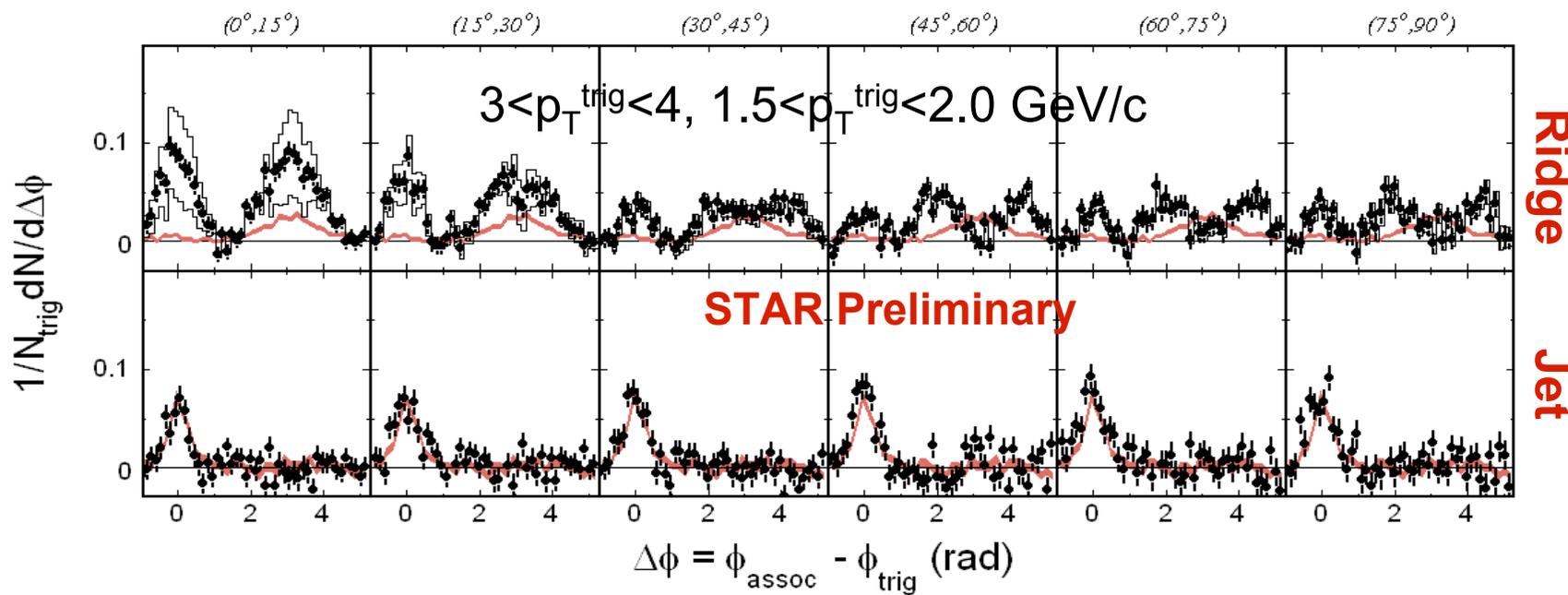
* E.P. can also be biased by correlated pair even with large η gap...

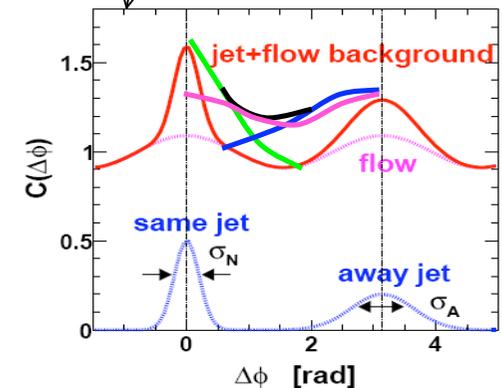
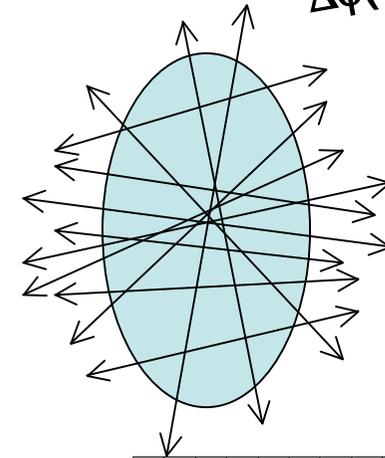
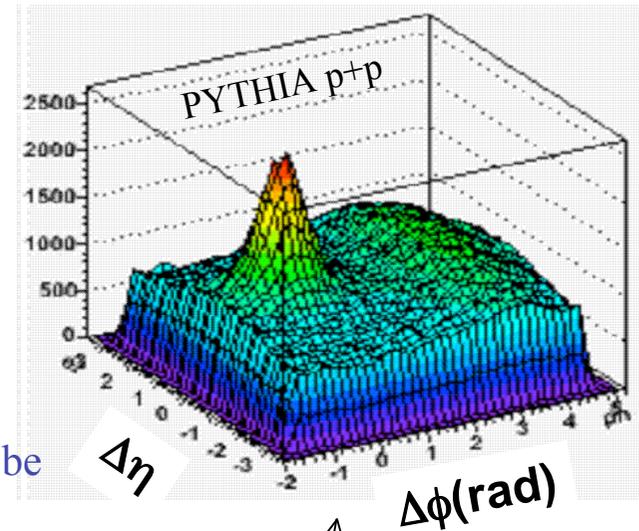
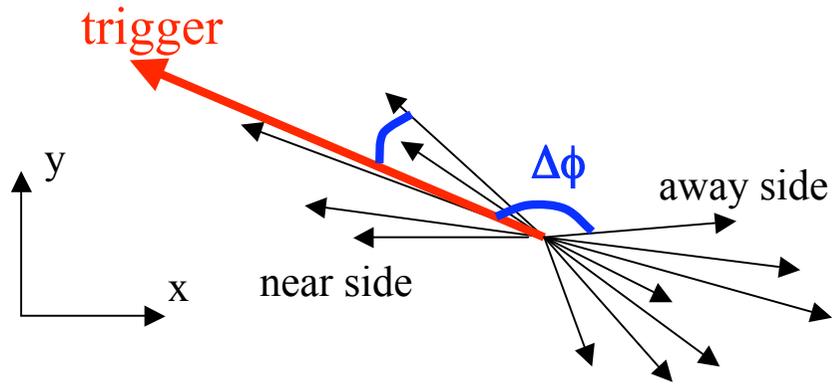


away side (in $d\phi$) of one di-jet can be near side (in $d\phi$) of another di-jet



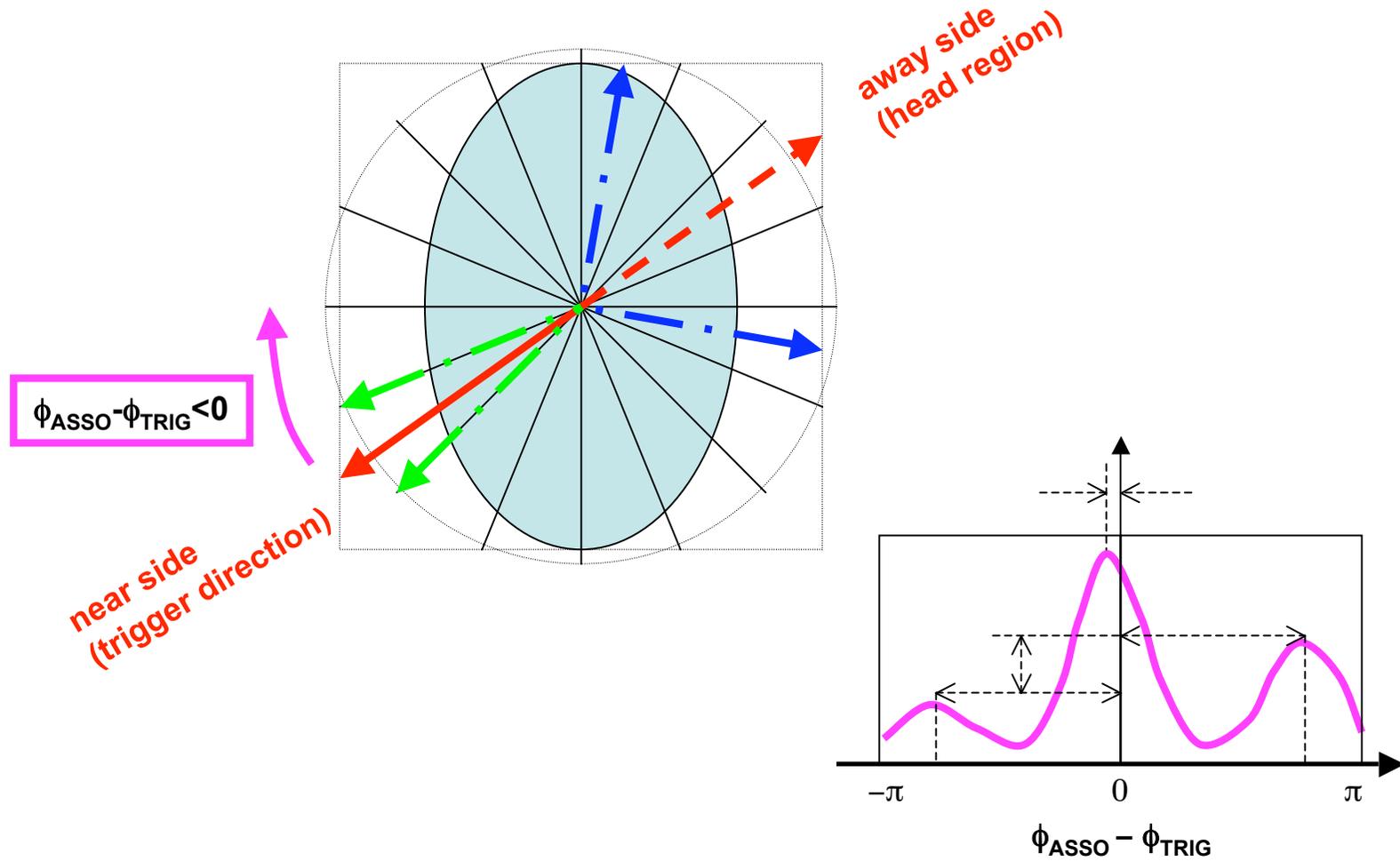
QM08 STAR



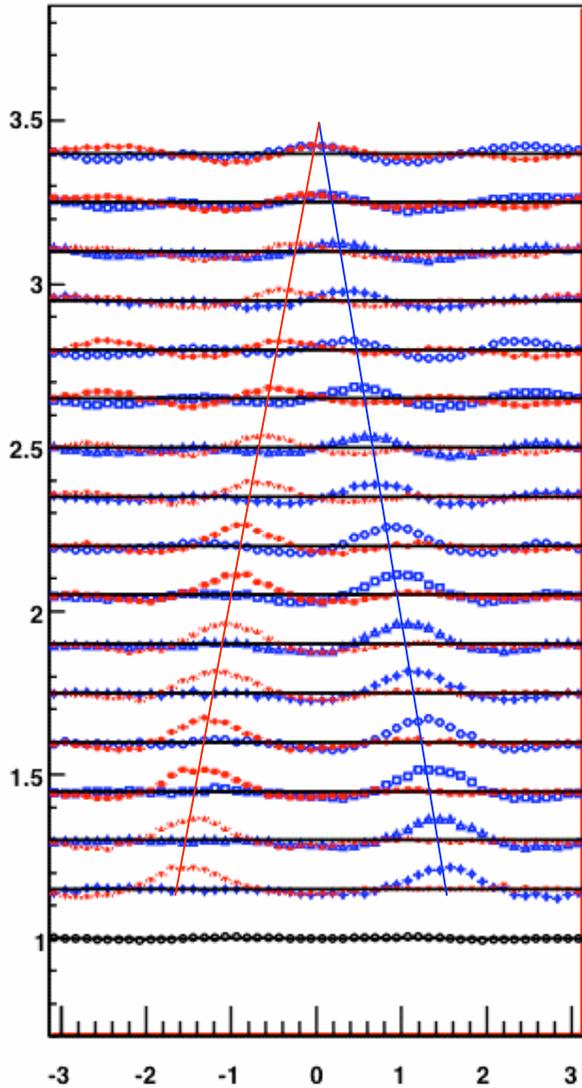


- (1) away side of a back-to-back(b-t-b) jet is wider in η than in ϕ
- (2) If there are two parallel b-t-b jets, away side of one b-t-b jet can be near side of the another b-t-b jet.
- (3) Suppression as well as modification of b-t-b jet would depend on relative angle w.r.t. almond geometry, we know this from v_2 measurement and believe this is the major source of v_2 at high p_T .
- (4) Therefore, there should be inter b-t-b jets correlation give by the geometry from (3), this could make near side ridge like effect, especially if the effect (3) has shaper dependence than $v_n(=\cos Nx)$.
- (5) We always measure inclusive $v_{2,4}$, which includes the effect (3). Therefore any modification which could generates the elliptic (or harmonic) anisotropy would be included in the measured $v_{2,4}$.
- (6) We subtract BG contribution with this $v_{2,4}$ from (5) by maximizing BG contribution assuming zero jet yield at minimum at any $d\phi$.
- (7) If near and away side jets overlap each other, this subtraction underestimates the jet yield and can change the extracted jet shape.
- (8) If you extract angular dependence of jet w.r.t. R.P., the results will easily be affected by the choice of $v_{2,4}$ from (5).

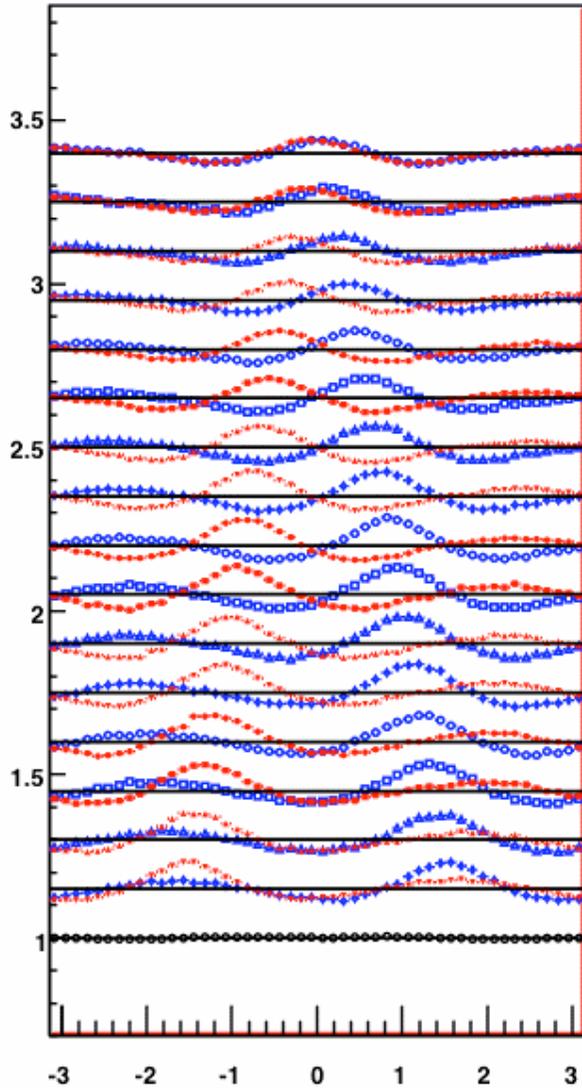
Back-up slides



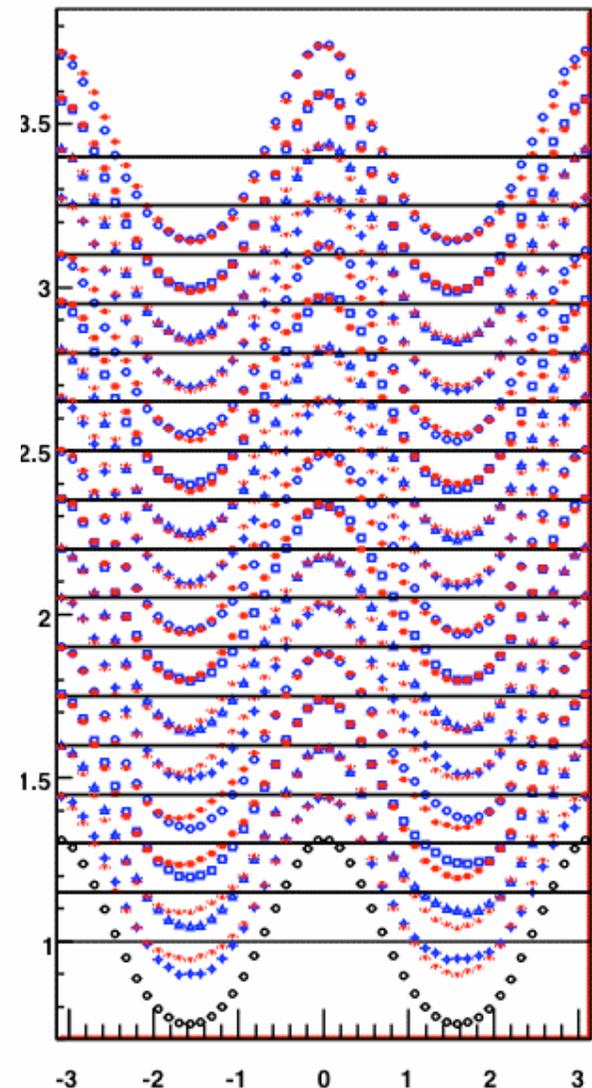
mixed event flow-subtraction
with perfect resolution



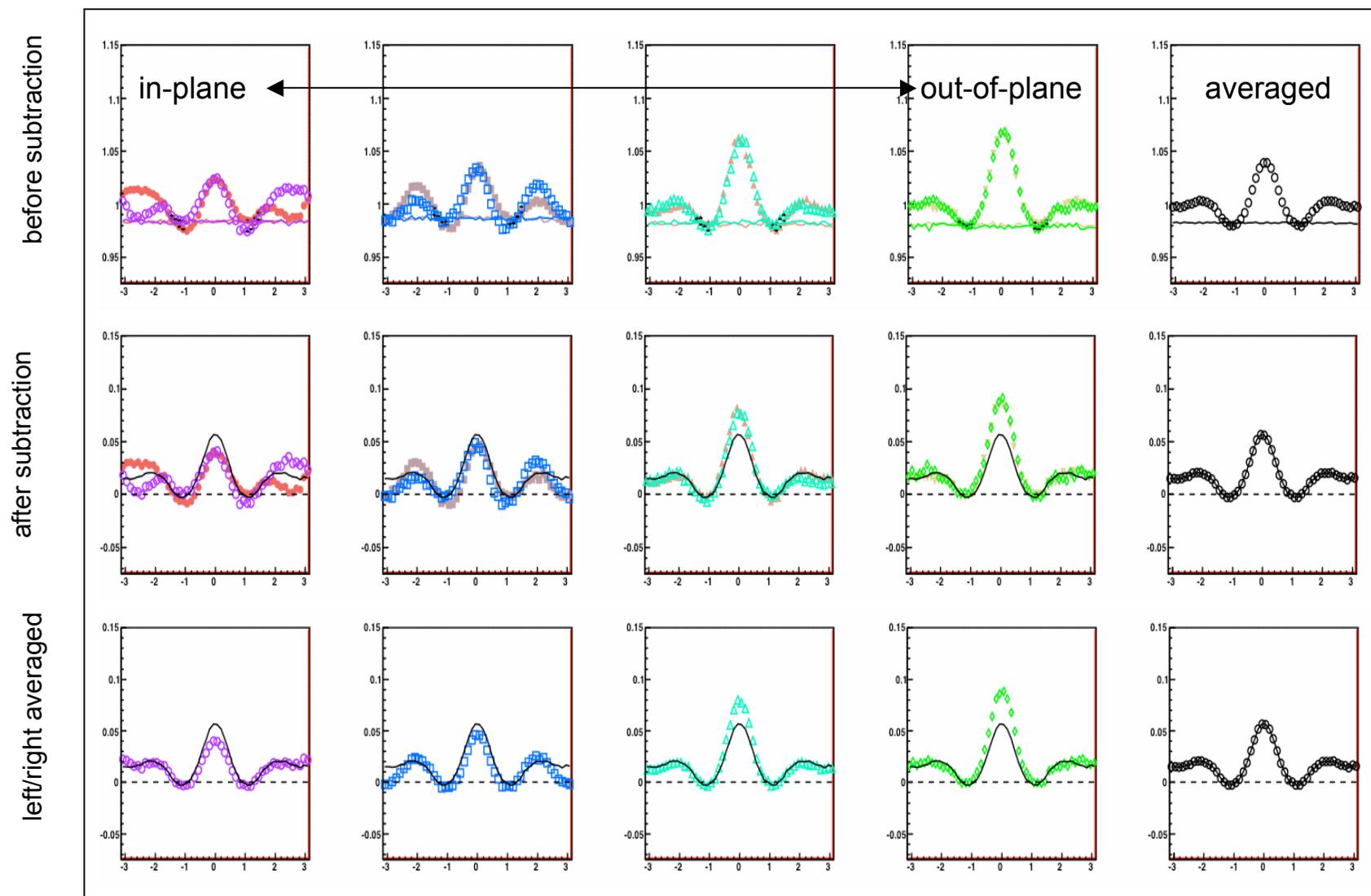
mixed event flow-subtraction
with experimental resolution



no flow-subtraction

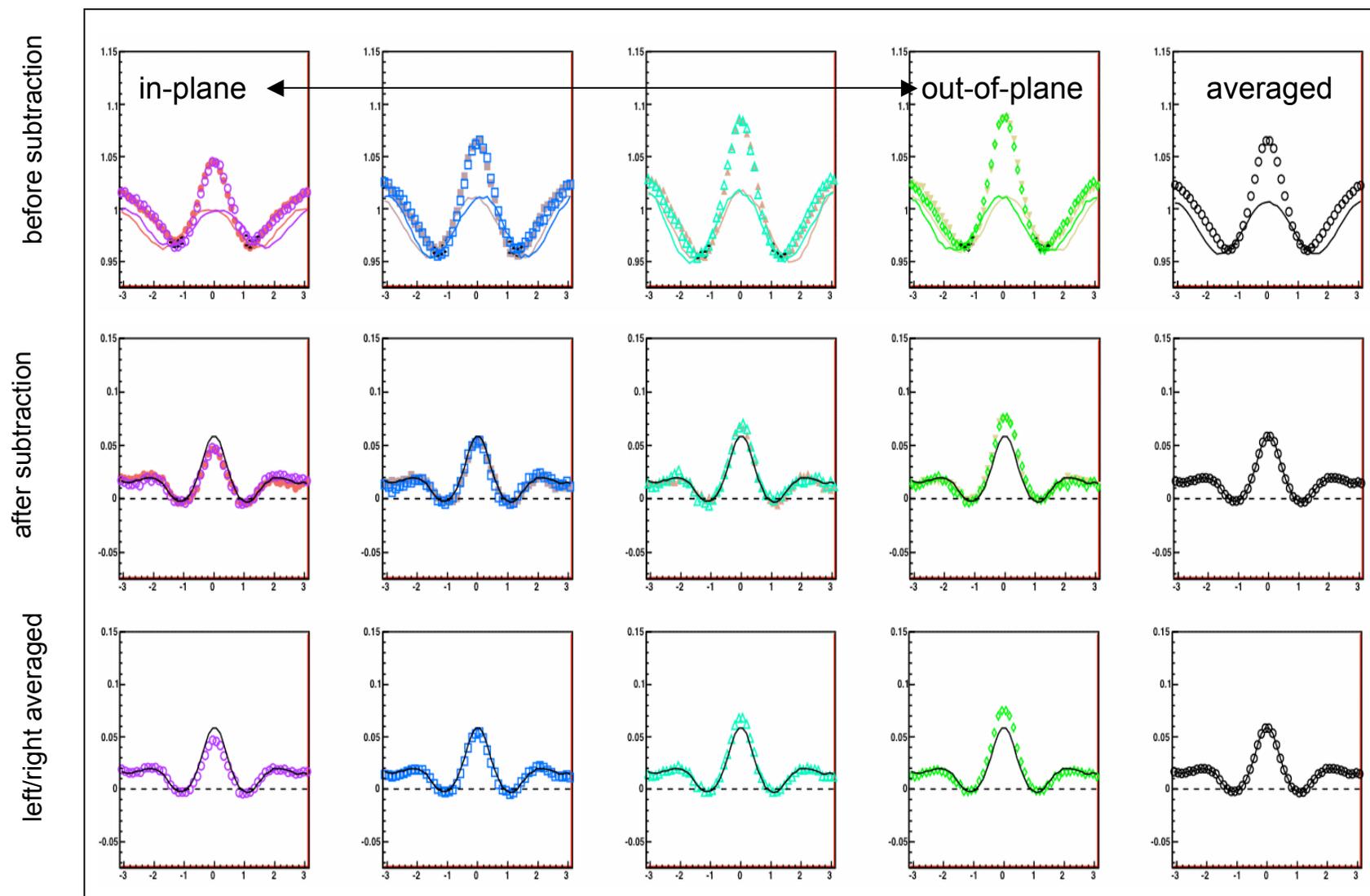


$\phi_{\text{Asso}} - \Phi_{\text{R.P.}}$ (trigger angle ϕ_{Trig} selection w.r.t. R.P.,
where, ϕ_{Trig} gives the sign of 2nd order $\Phi_{\text{R.P.}}$)

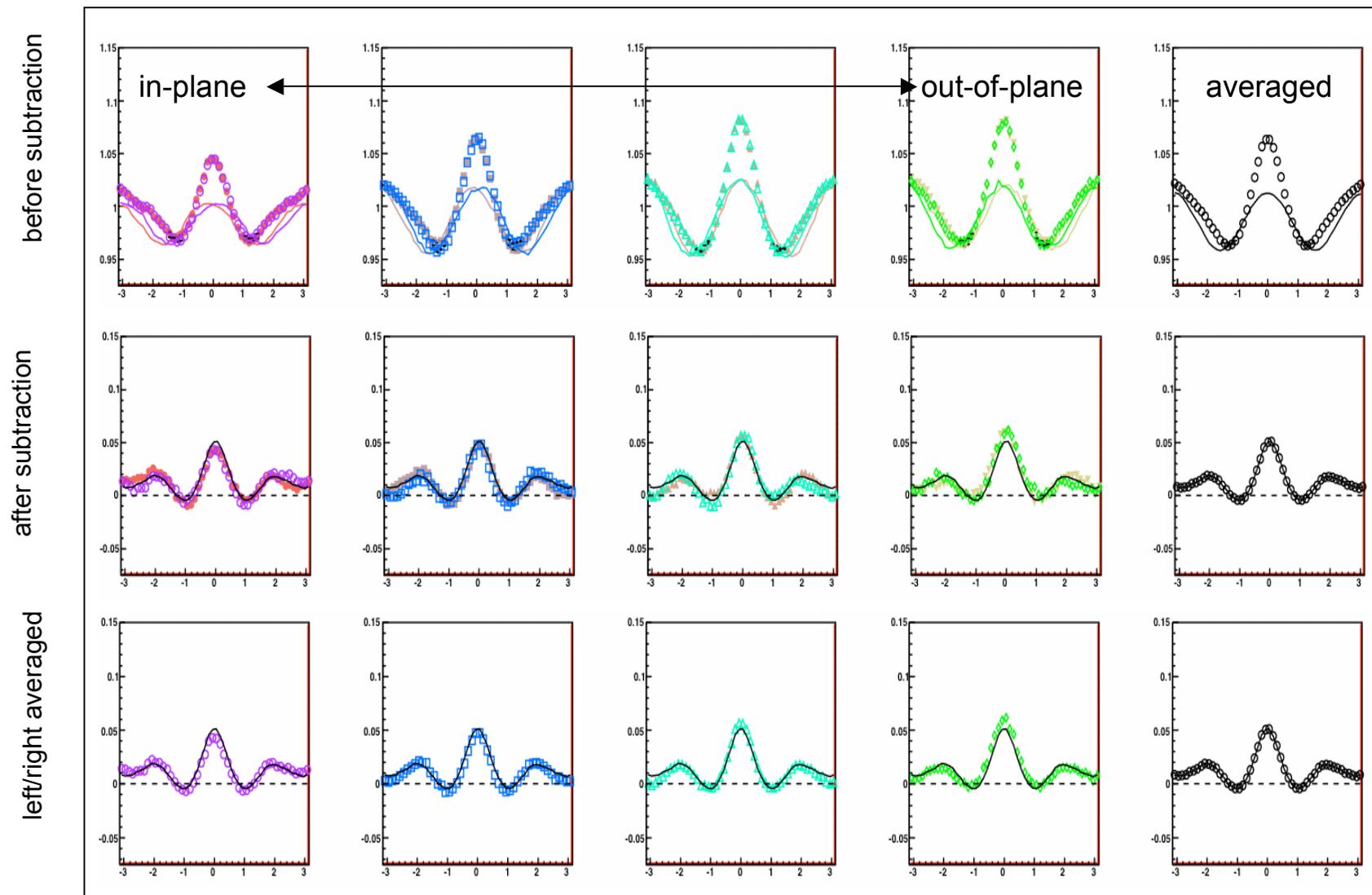


Simulation

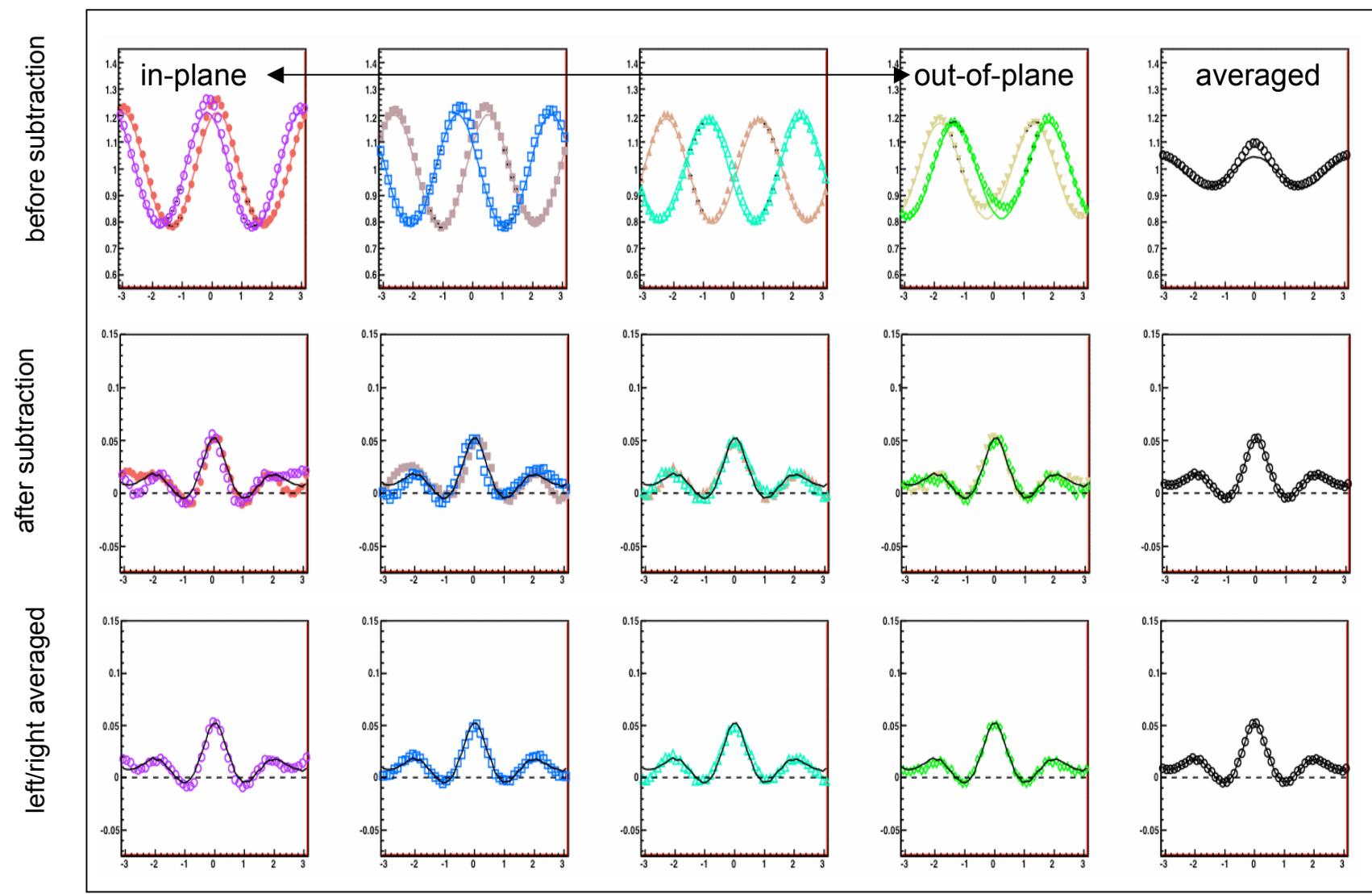
R.P. resolution ~ 0.75



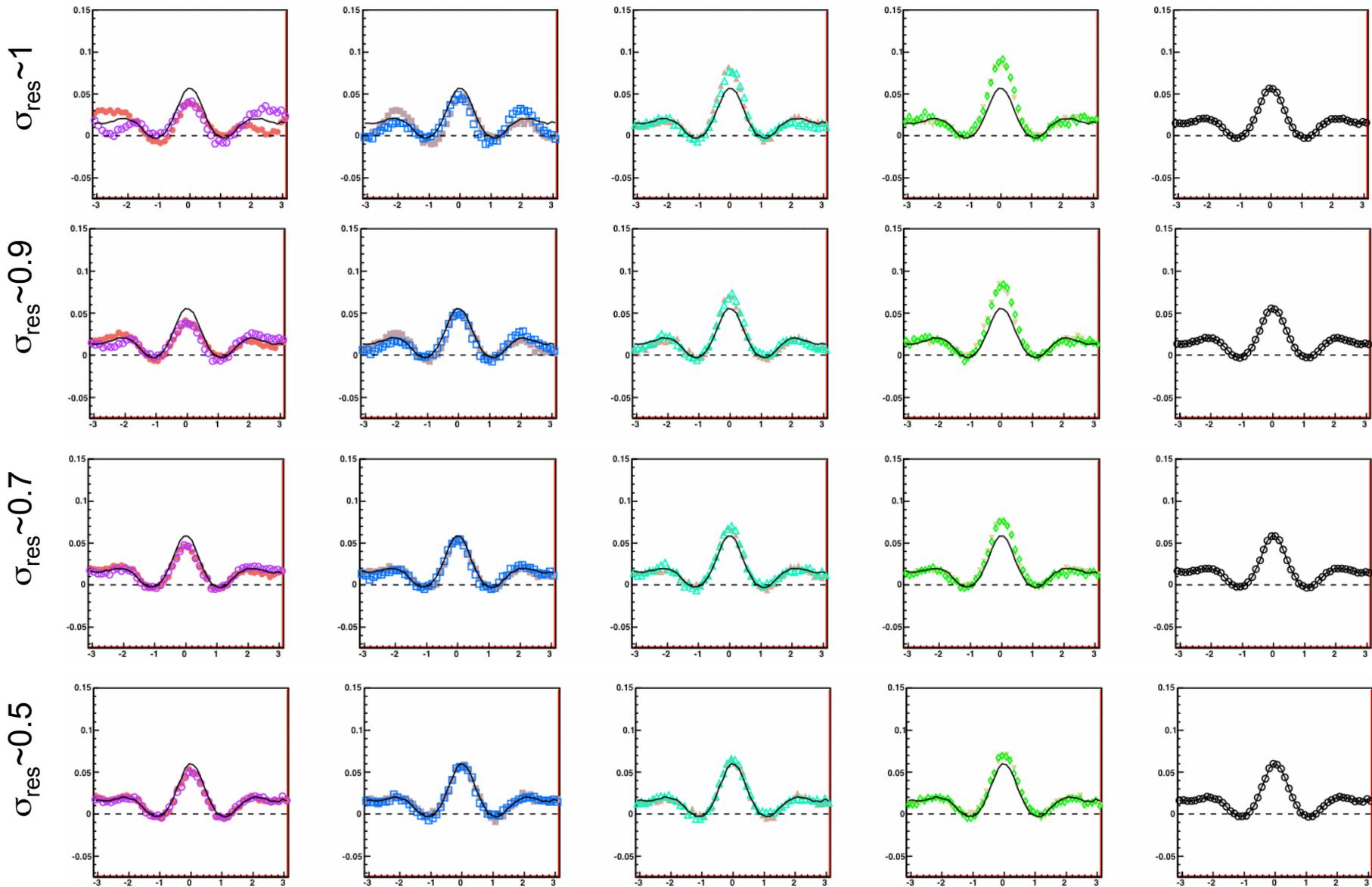
R.P. biased by jet-correlation



R.P. biased by jet-correlation (random r.p. mixing)



Simulation without R.P. bias



Simulation with R.P. biased by jet-correlation

