## The Beam Energy Scan at RHIC-STAR

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Jan/23/2012, Tsukuba University





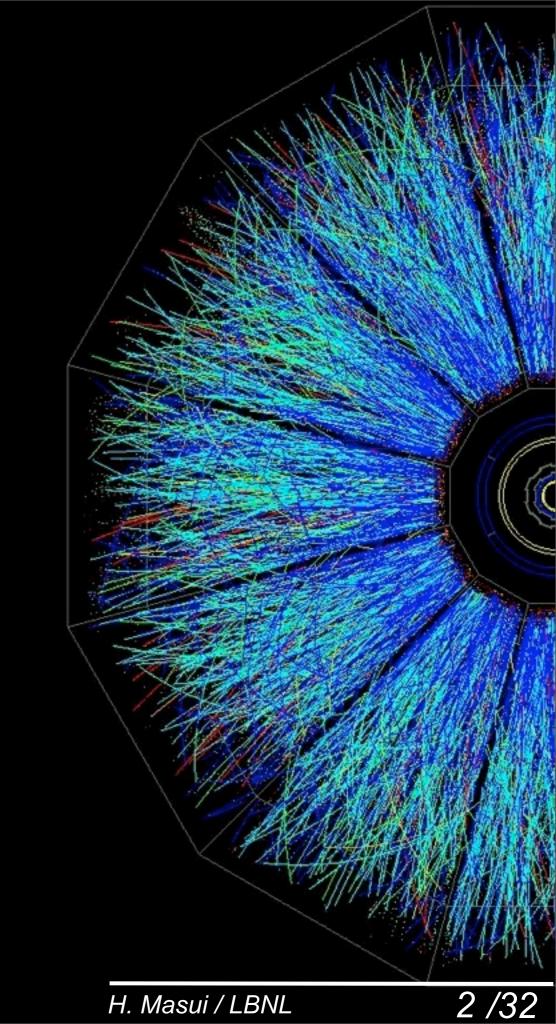




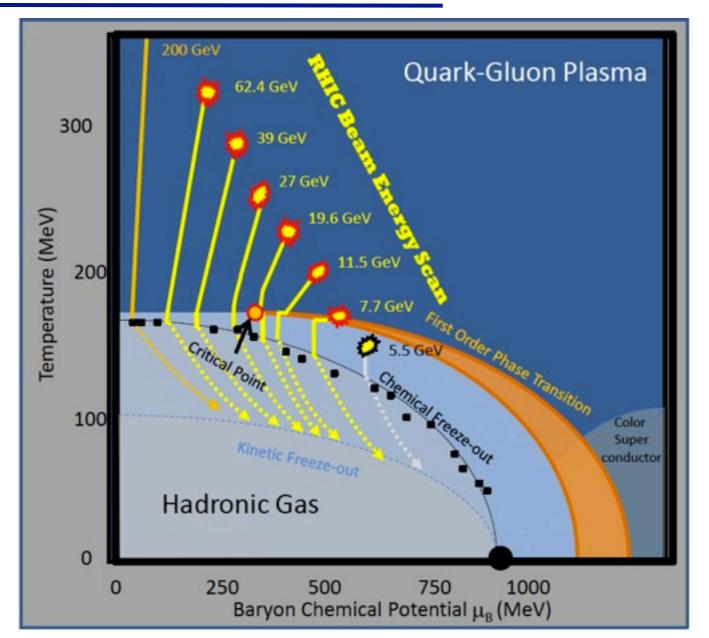
# STAR physics focus in heavy ion collisions

#### (a) QCD phase diagram - Critical point and phase boundary

- RHIC Beam Energy Scan (*BES*) program
- (b) Chiral symmetry restoration
  - di-lepton program
- (c) QGP properties
  - Heavy flavors, di-lepton



## Beam Energy Scan (BES)



#### **History & timeline**

2007: STAR BES focus group formed 2008: Test run at  $\sqrt{s_{NN}} = 9.2 \text{ GeV} (PRC81, 024901, 2010)$ 2009: Proposal for BES Phase-I (*arXiv:1007.2613*) 2010: Data taking began (7.7, 11.5 and 39 GeV) 2011: Two further energies (19.6 and 27 GeV) 2012: Test run at 5 GeV

- Study the structure of QCD phase diagram
  - ➡ Beam Energy Scan
- Proposed signatures
- 1. *Turn-off* QGP signals
- 2. Search for phase boundary (1<sup>st</sup> order phase transition)
- 3. Search for QCD critical point

#### Relativistic Heavy Ion Collider

PHENIX

Linac

AGS

Tandem Van de Graaff

• ~4 km ring

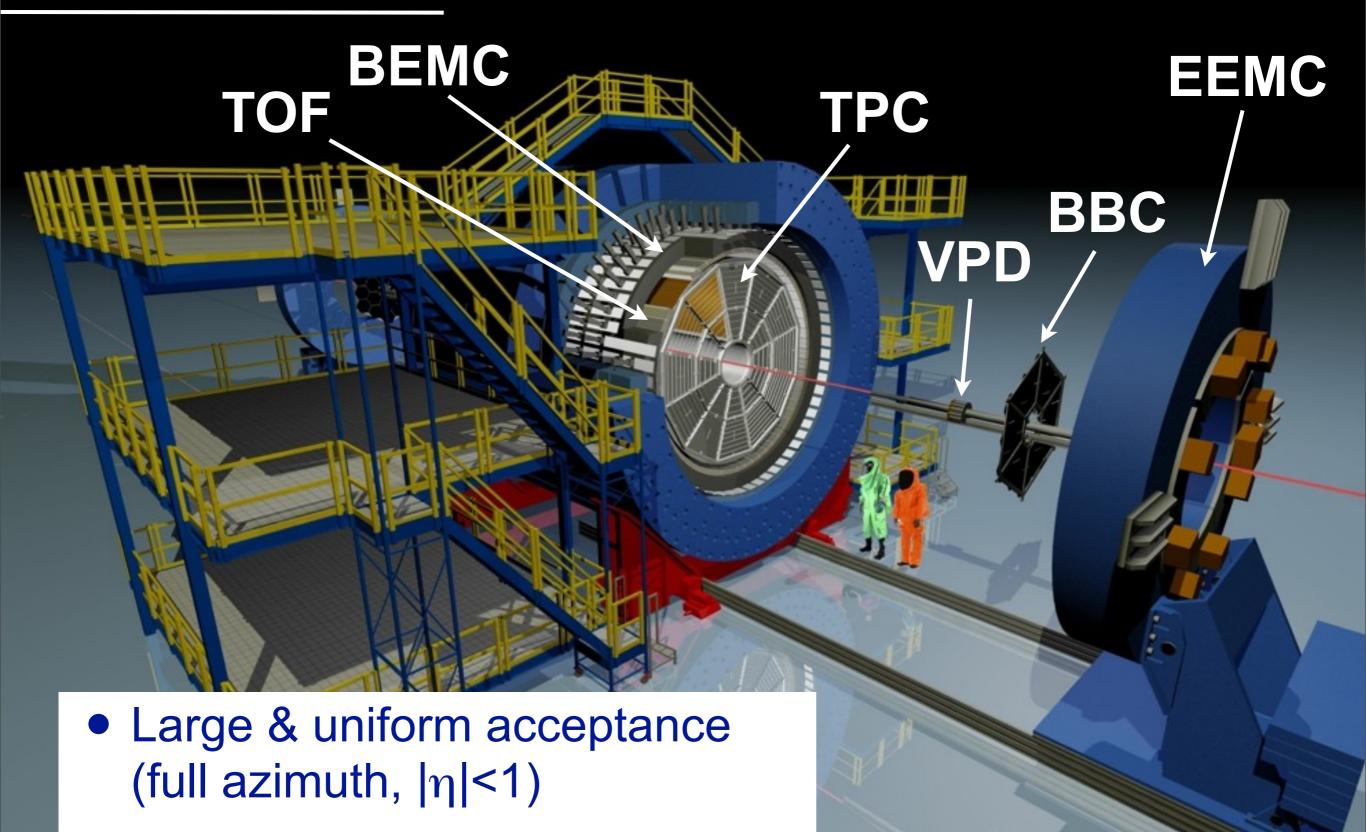
RHIC

STAR

- Maximum √s = 200 GeV (500 GeV) in Au+Au (p+p)
- 6 interaction points
  - 2 ongoing heavy ion experiments;
     PHENIX, STAR

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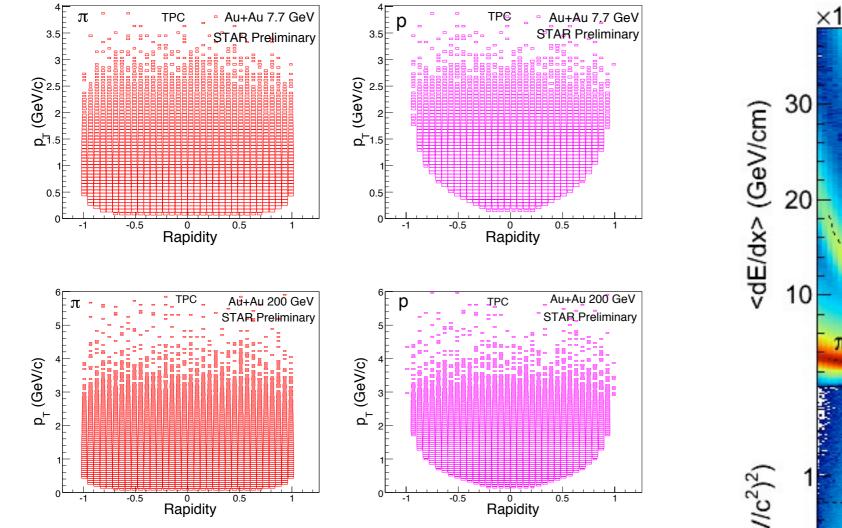
#### Solenoidal Tracker At RHIC



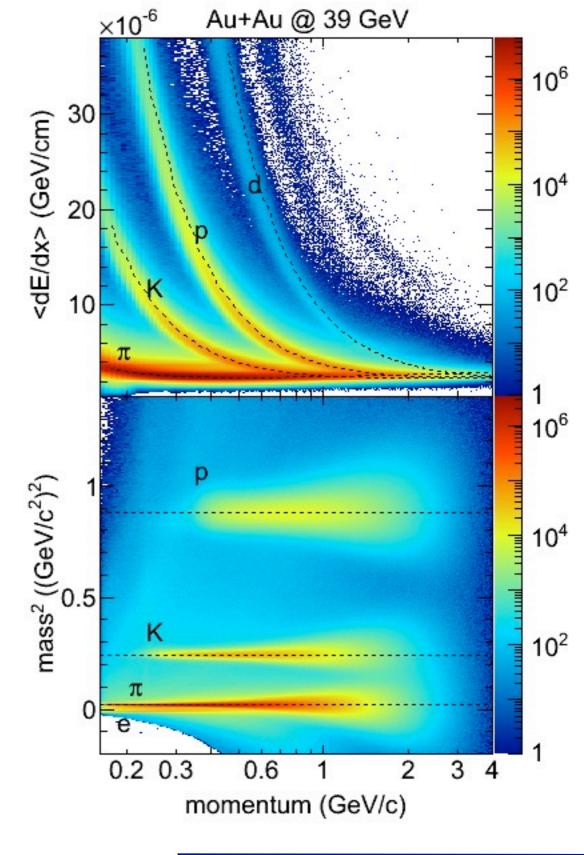
Excellent particle identification



#### Acceptance & particle identification



- Uniform acceptance
- dE/dx in TPC + m<sup>2</sup> in TOF
- π/K separation p < 1.6 GeV/c</li>
- K/p separation p < 3 GeV/c</li>



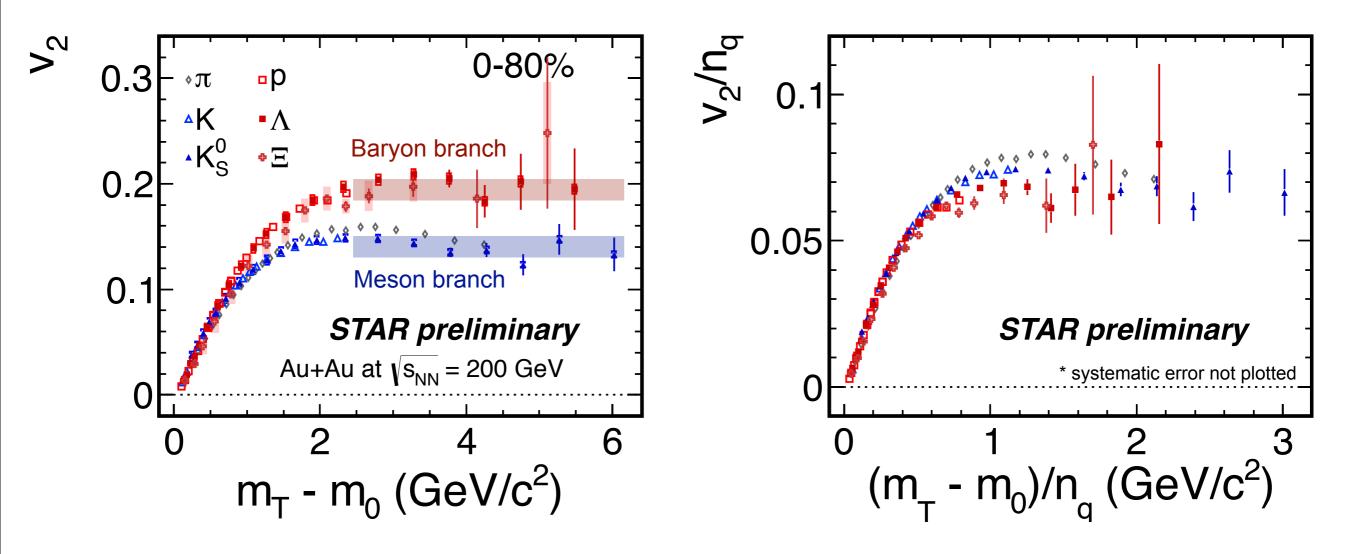
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# Turn-off QGP signals

- NCQ scaling of v<sub>2</sub>
- High  $p_T$  suppression  $R_{cp}$
- Mixed harmonic correlation signal for local parity violation



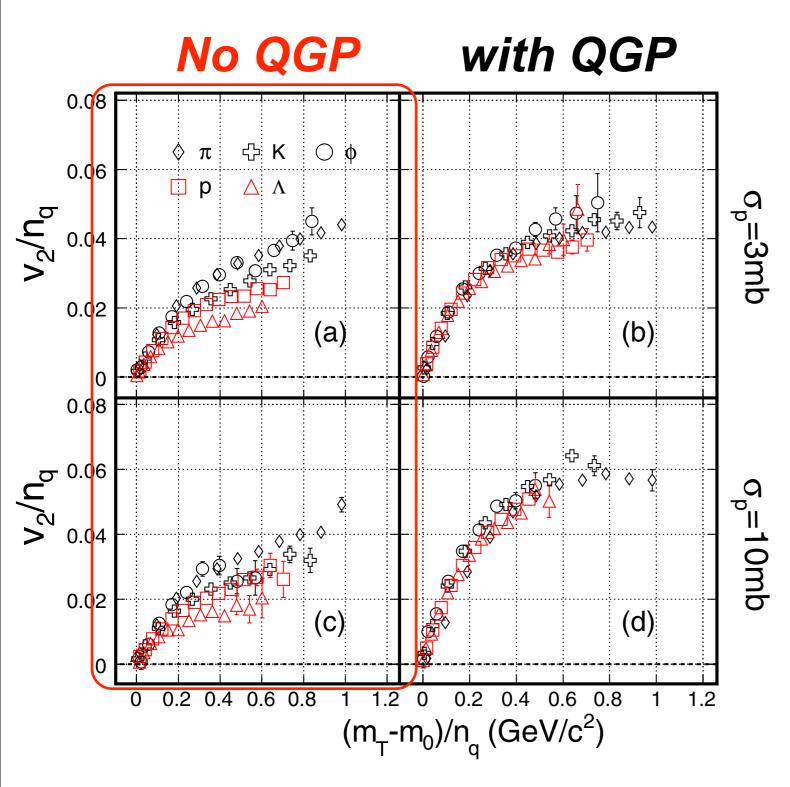
#### Partonic collectivity



- Clear meson & baryon branches
- Number of constituent quark (NCQ) scaling of v<sub>2</sub>
- within ~  $\pm 10\%$

Anisotropic flow develops at early partonic stage

#### **Turn-off NCQ scaling ?**

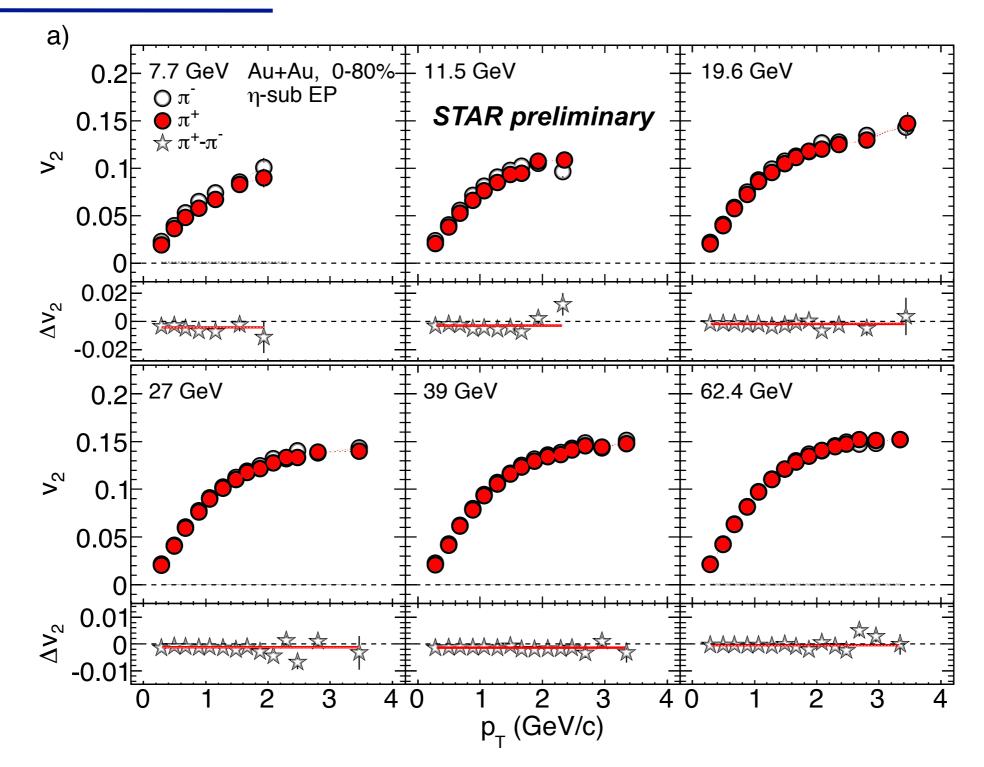


AMPT model calculations show break down of NCQ scaling without QGP

An important tool to search for possible phase boundary

K. J. Wu, F. Liu and N. Xu, J. Phys. G: Nucl. Part. Phys. 37 (2010) 094209

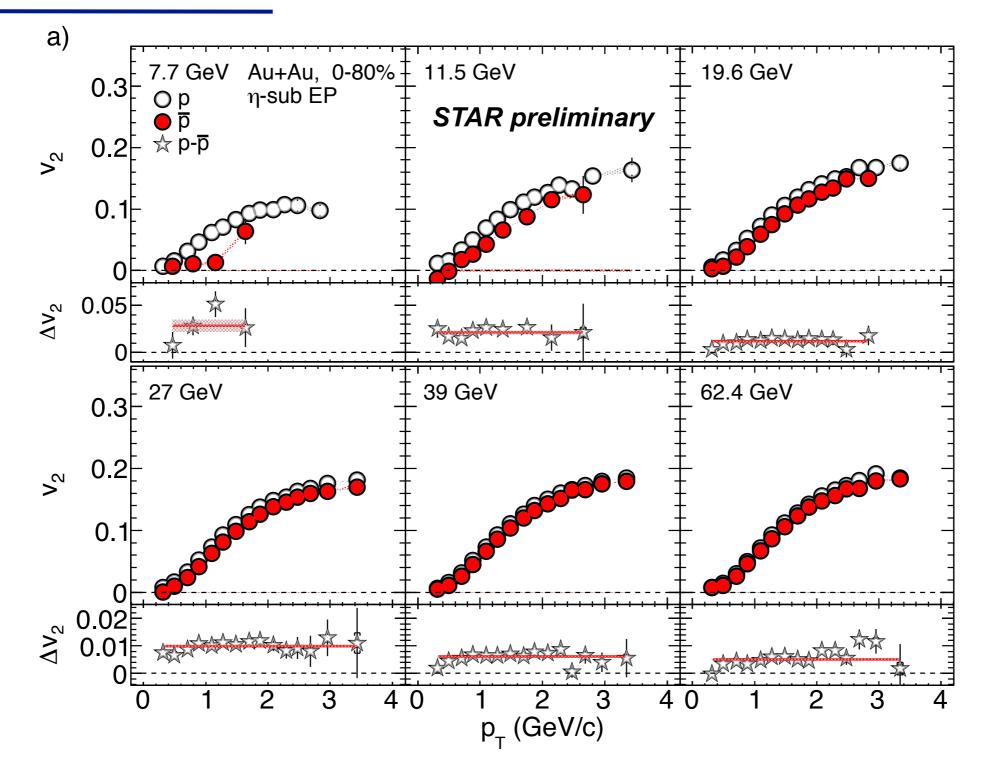
#### **Energy dependence v<sub>2</sub>(p<sub>T</sub>) -** π



• Almost no difference at  $\sqrt{s_{NN}} = 7.7-62.4$  GeV



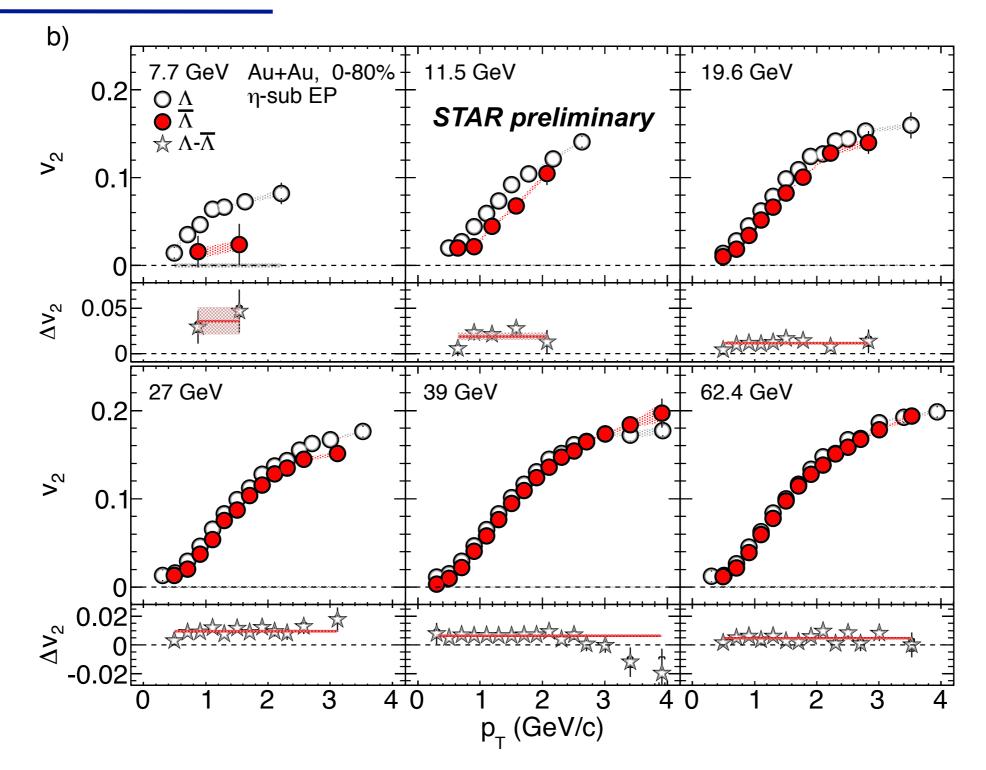
#### Energy dependence v<sub>2</sub>(p<sub>т</sub>) - p, Λ



 Difference between baryons and anti-baryons increase as decreasing beam energy

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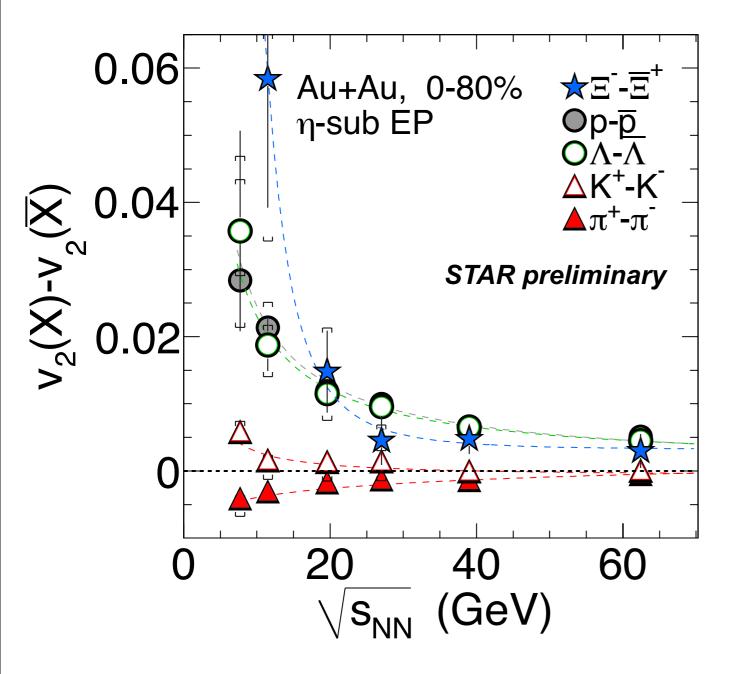
Energy dependence v<sub>2</sub>(p<sub>т</sub>) - p, Λ



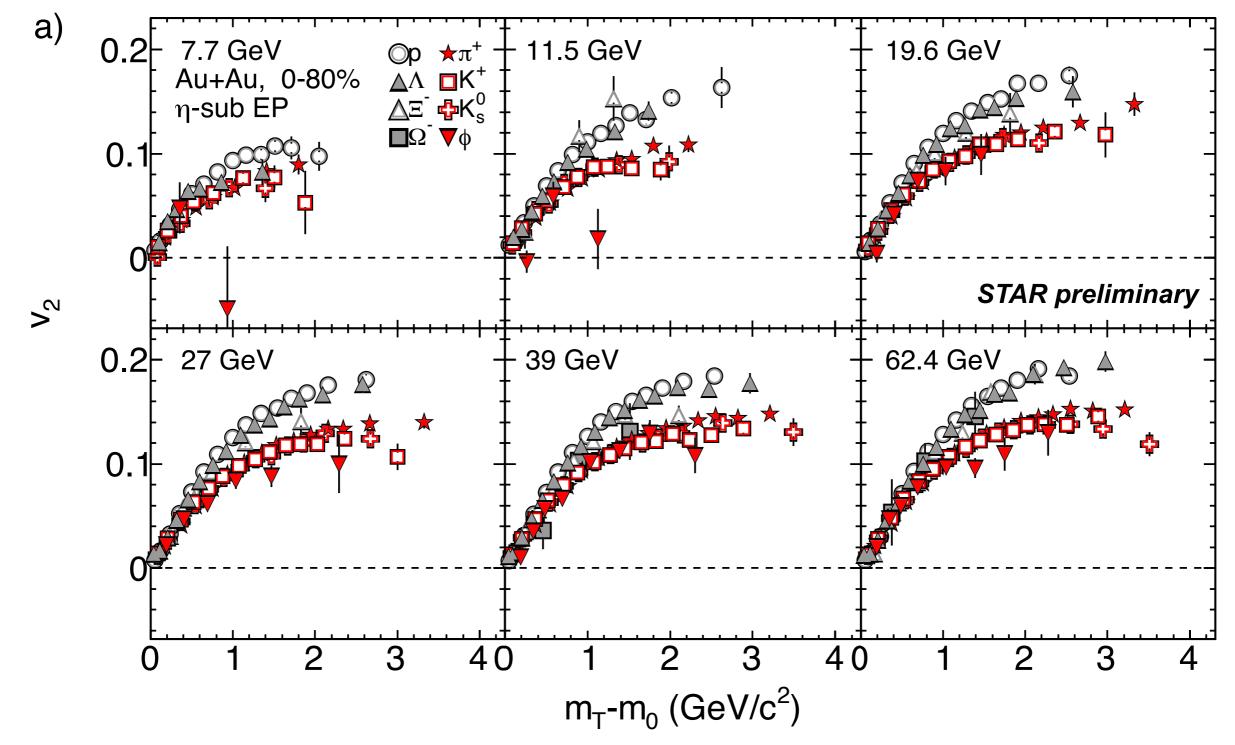
 Difference between baryons and anti-baryons increase as decreasing beam energy

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#### **Difference of v**<sub>2</sub>

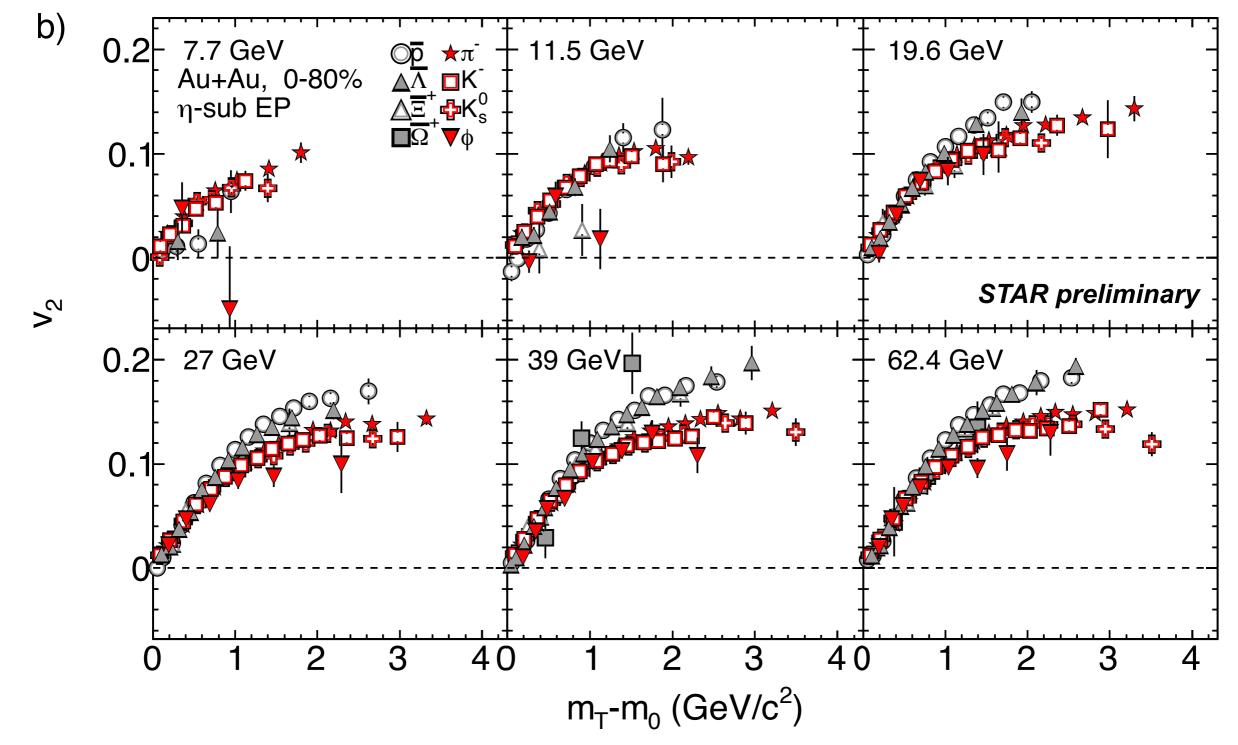


- Significant difference of v<sub>2</sub> between baryons and anti-baryons
- Small difference for mesons
- NCQ scaling breaks down between particles and antiparticles



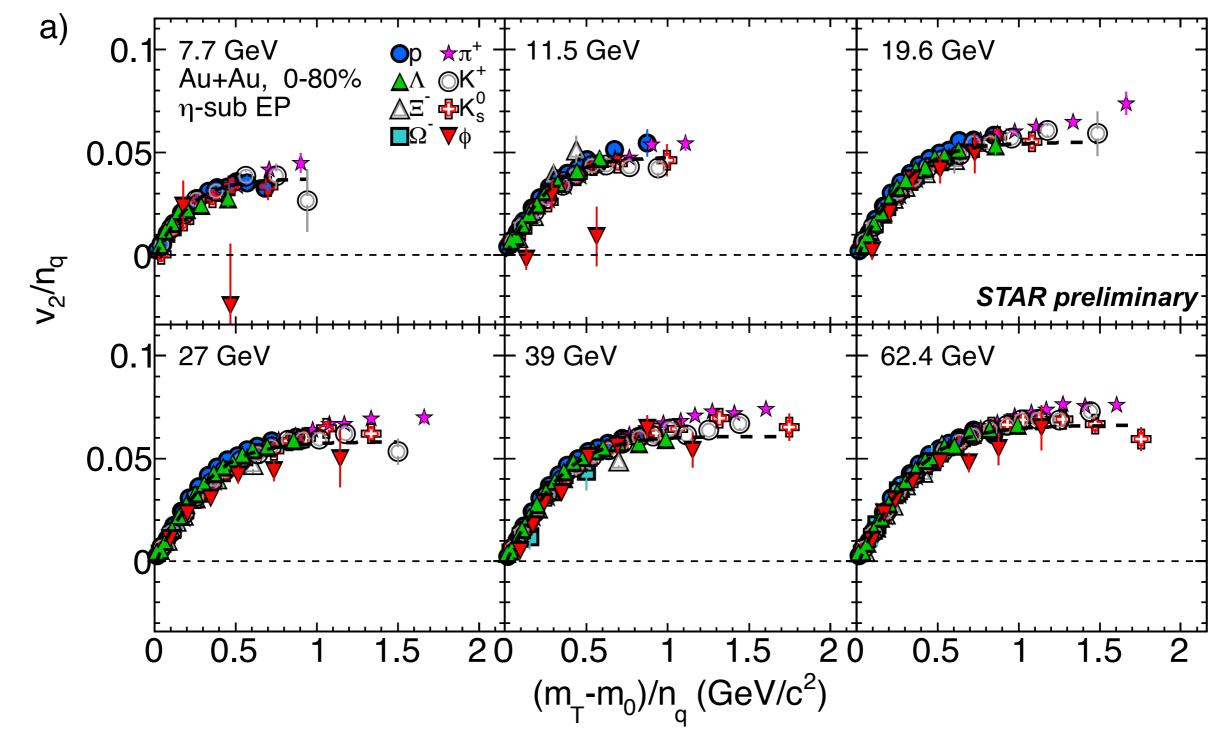
 Splitting decreases with decreasing energy, and disappears at 11.5 GeV for anti-particles





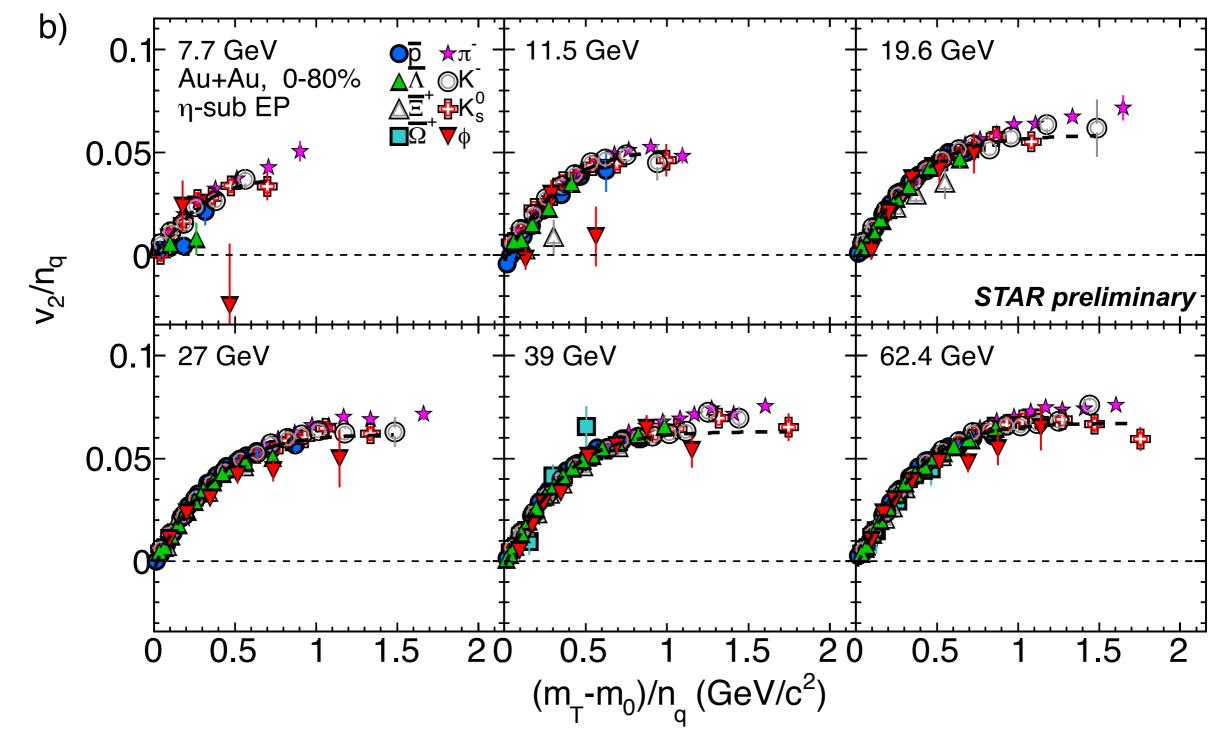
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- Scaling seems to hold in this representation
- $\phi$  meson does not follow the trend at highest  $p_T$

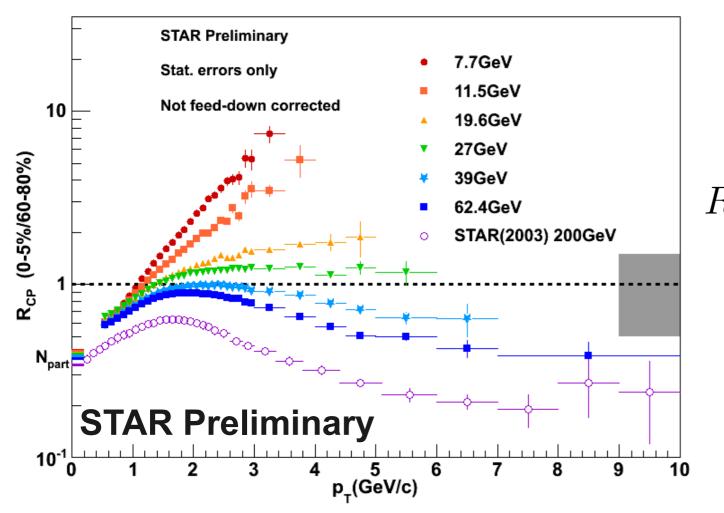
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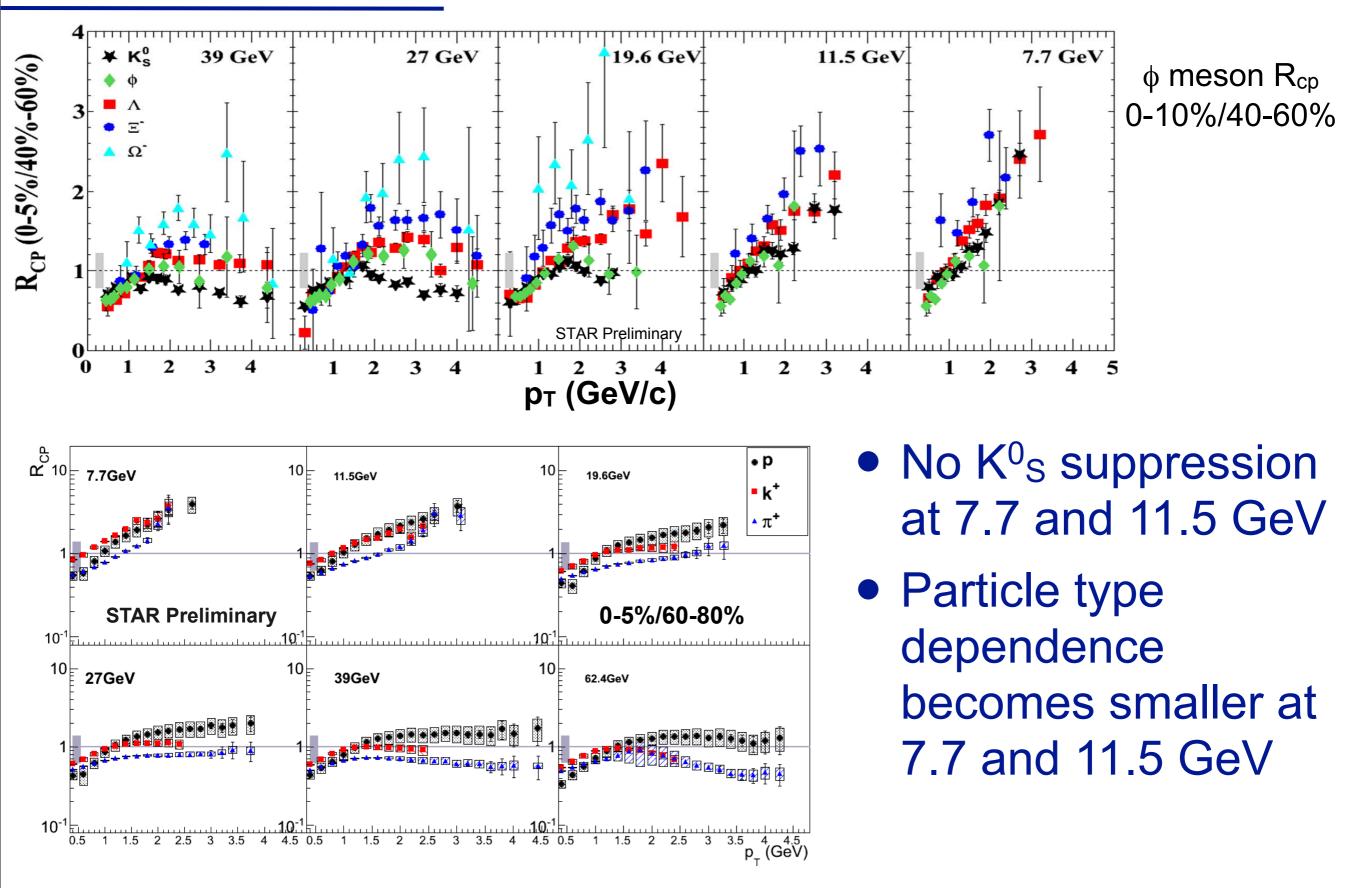
#### **R**<sub>cp</sub> for charged hadrons



$$R_{cp}(p_T) = \frac{\left(\frac{d^2 N^{A+A}}{\langle N_{coll} \rangle \, dp_T dy}\right)_{central}}{\left(\frac{d^2 N^{A+A}}{\langle N_{coll} \rangle \, dp_T dy}\right)_{peripheral}}$$

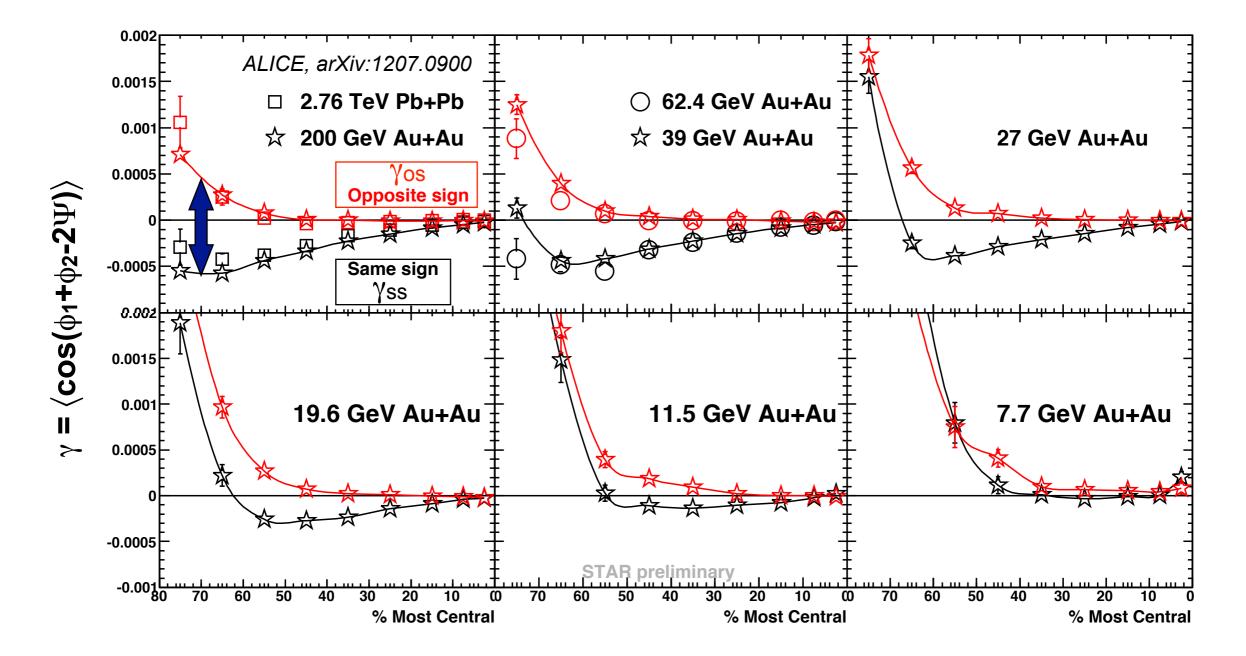
- R<sub>cp</sub> is statistically below unity for 39, 62.4, 200 GeV
- Smooth monotonic increase with decreasing energy
- High p<sub>T</sub> suppression turns off at lower collisions energies

### **R**<sub>cp</sub> for identified hadrons





#### Mixed harmonic correlation



 Charge separation (γ<sub>os</sub>-γ<sub>ss</sub>) decreases with decreasing energy, disappears in s<sub>NN</sub> 11.5 GeV



# Search for 1<sup>st</sup> order phase transition

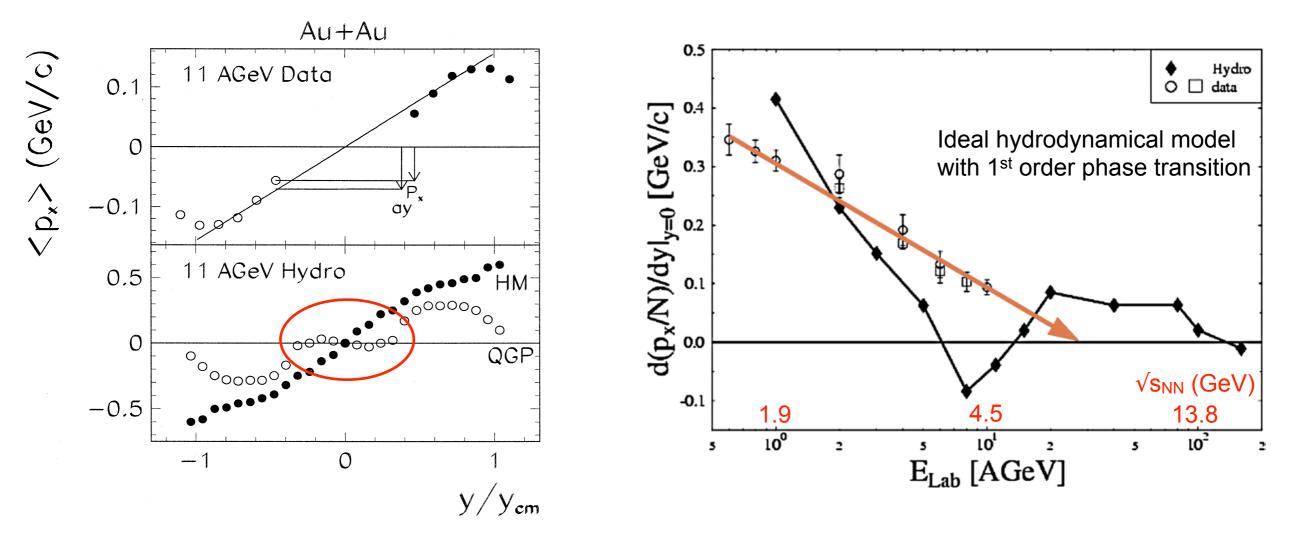
- Directed flow v<sub>1</sub>
- azimuthal HBT



#### **Directed flow v<sub>1</sub> - early predictions**

L. P. Csernai, D. Rohrich, PLB458, 454 (1999)

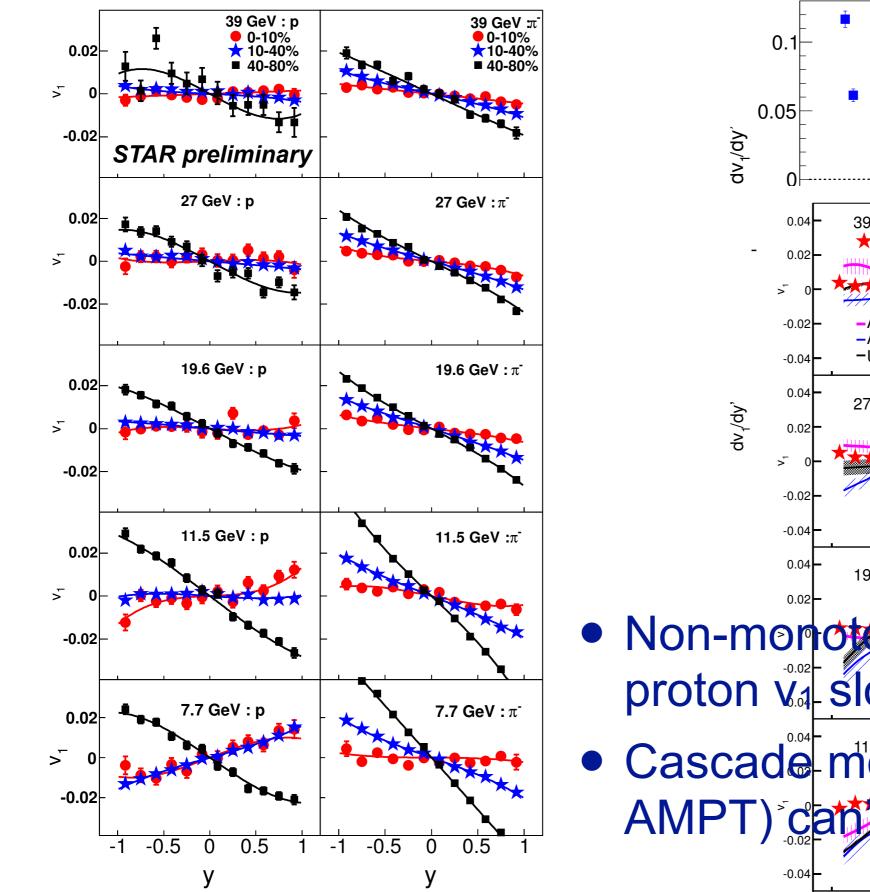
H. Stocker, NPA750, 121 (2005)

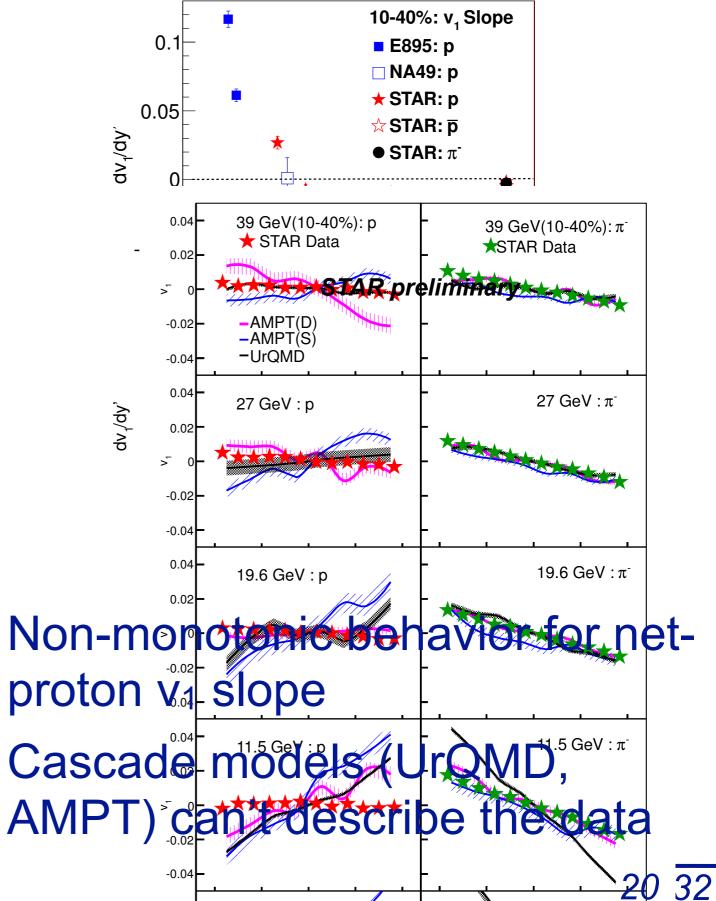


- Linear rapidity dependence without QGP at low energy
- "Bounce-off" of spectators
- v<sub>1</sub> slope becomes flat with 1<sup>st</sup> order phase transition
  - Early predictions show minimum around  $\sqrt{s_{\text{NN}}}$  ~5 GeV

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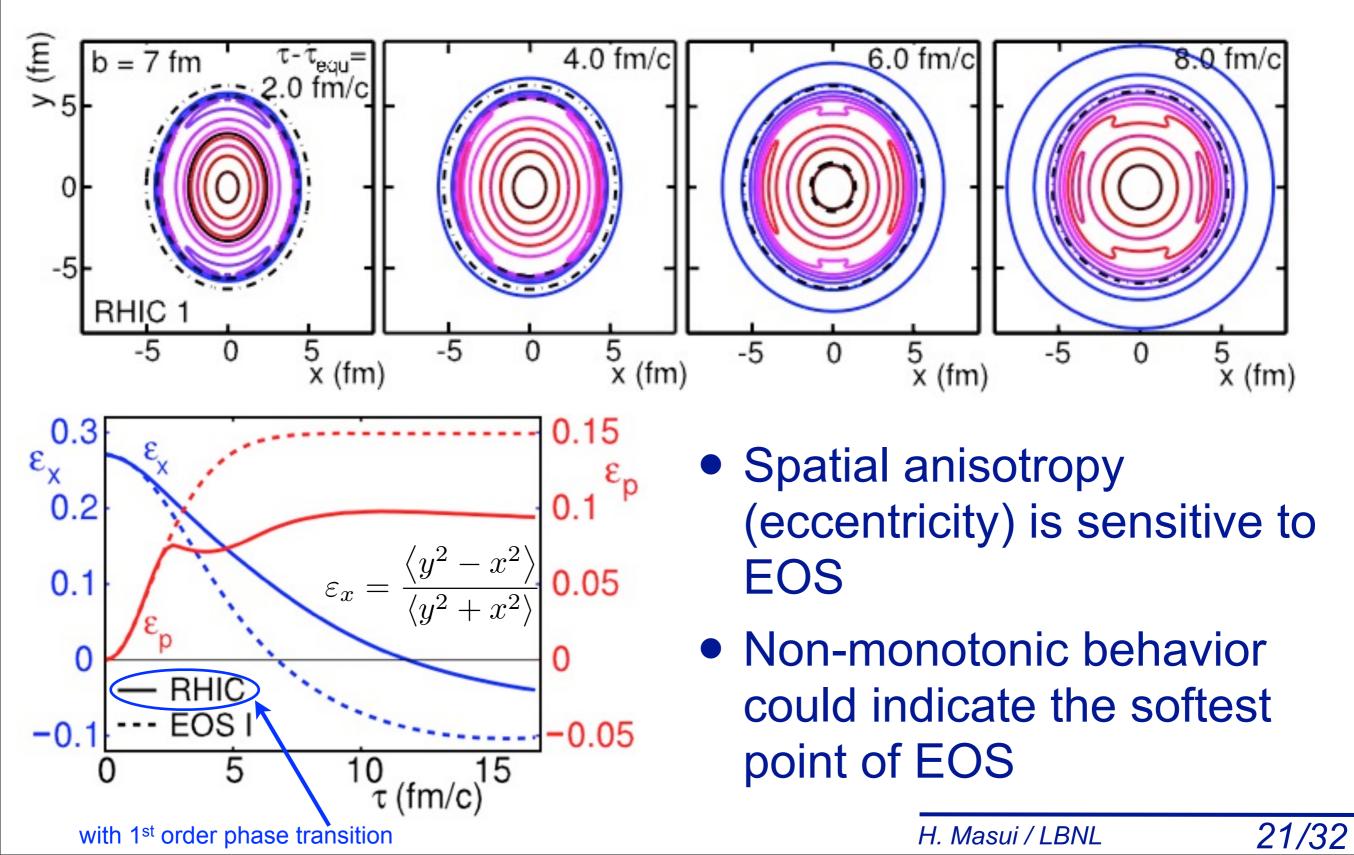
#### Excitation function of v<sub>1</sub> & dv<sub>1</sub>/dy



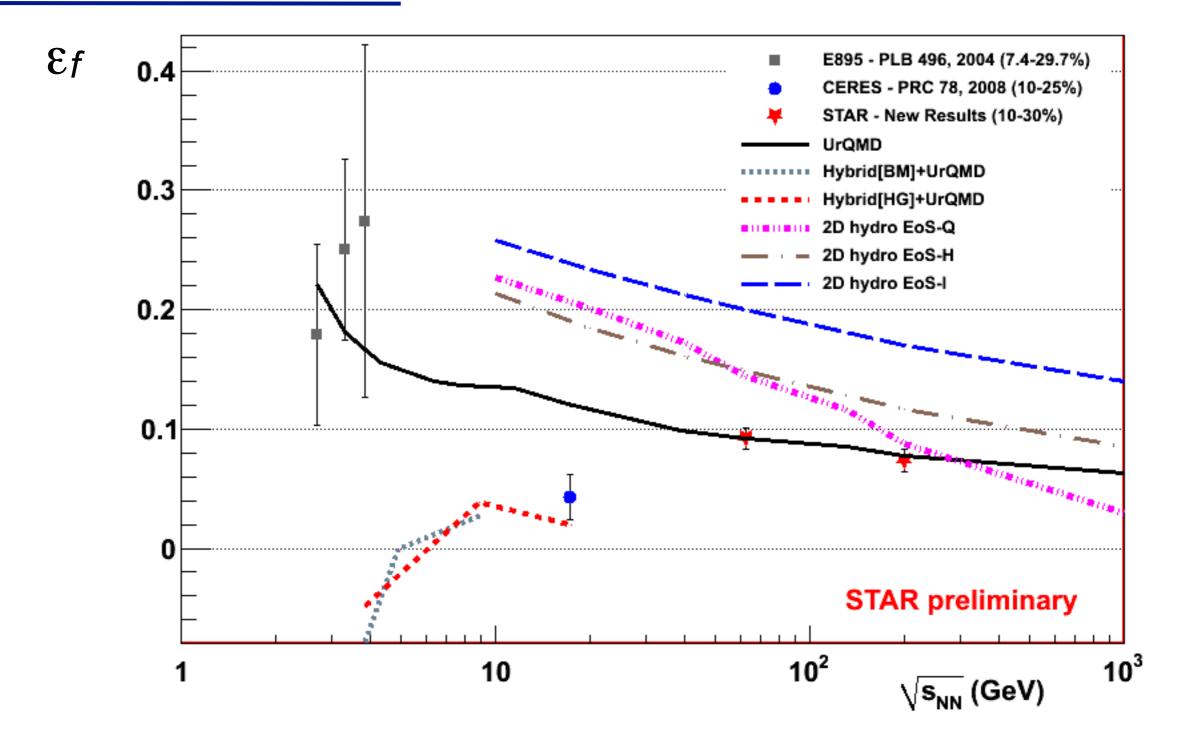


#### **Evolution of initial spatial anisotropy**

P. F. Kolb et al, PRC62, 054909 (2000)



#### Freeze-out eccentricity (-2010)

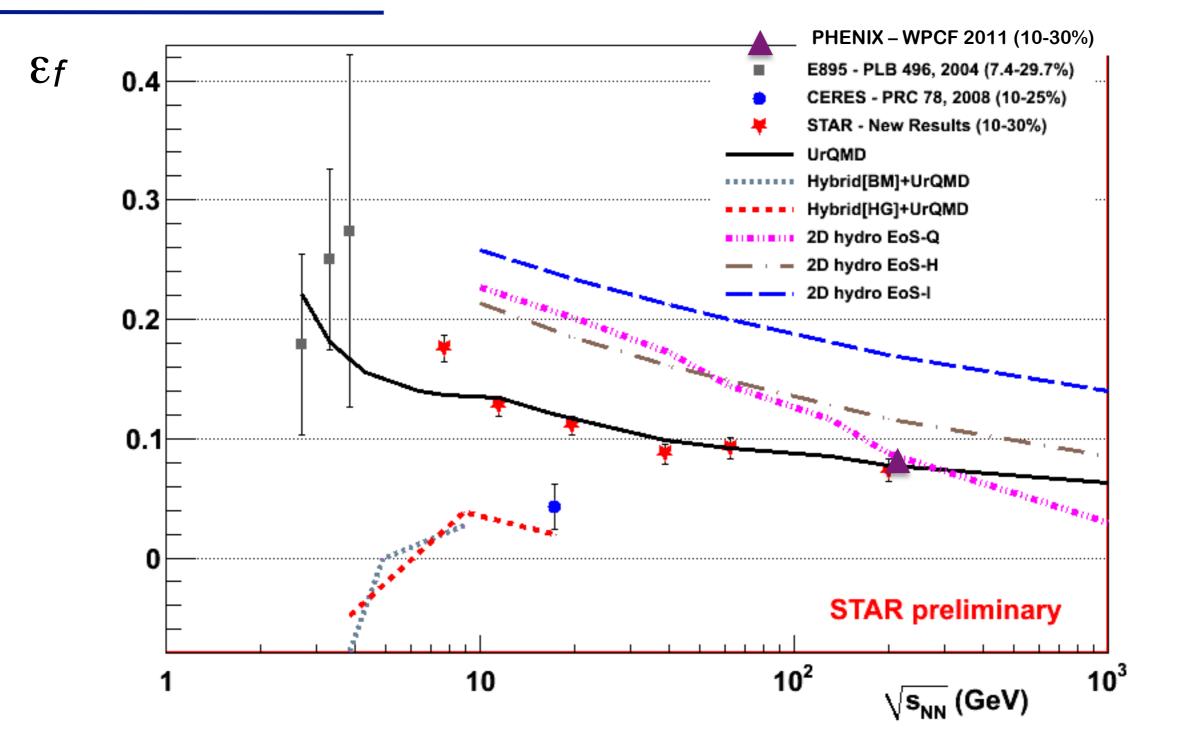


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Minimum around 20 GeV ??

#### Freeze-out eccentricity from BES, STAR



Monotonic decrease from 7.7 to 200 GeV from STAR

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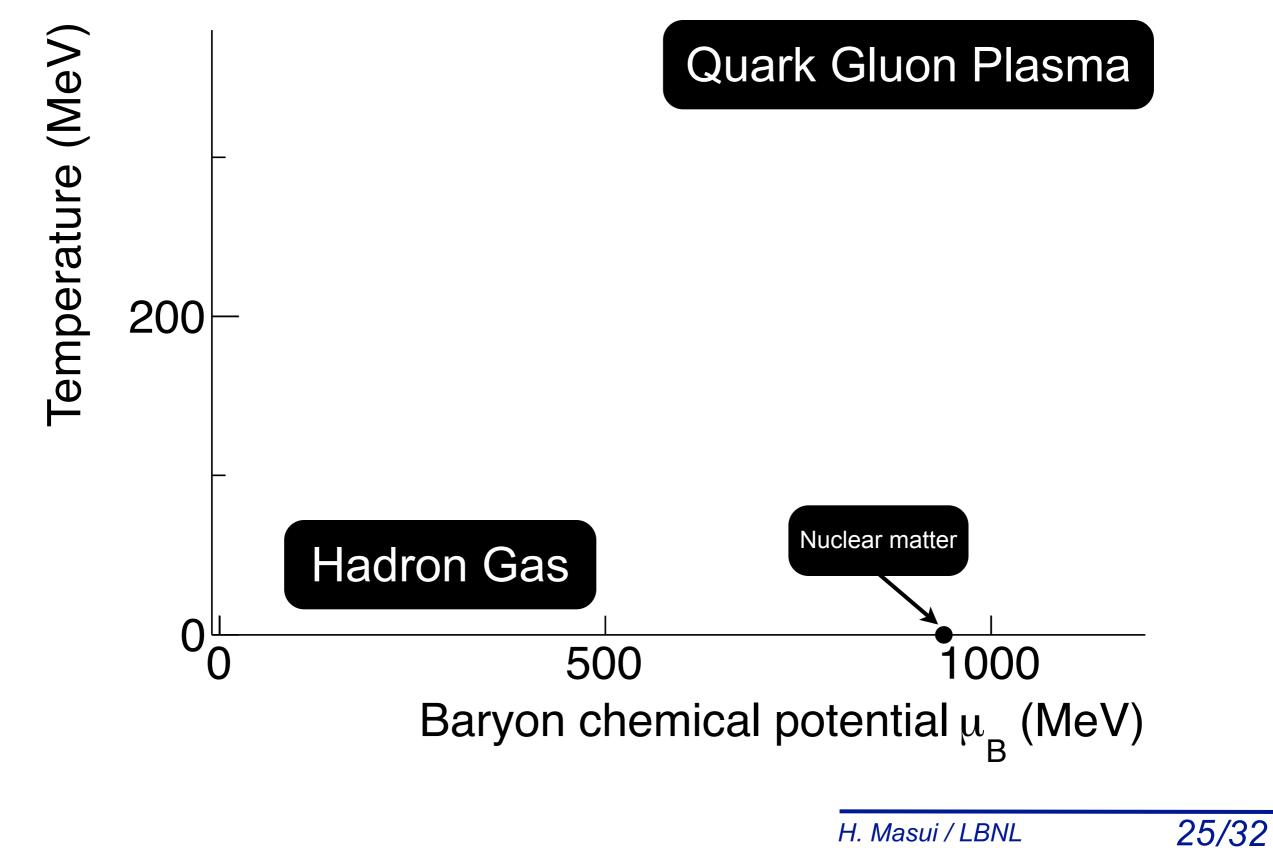
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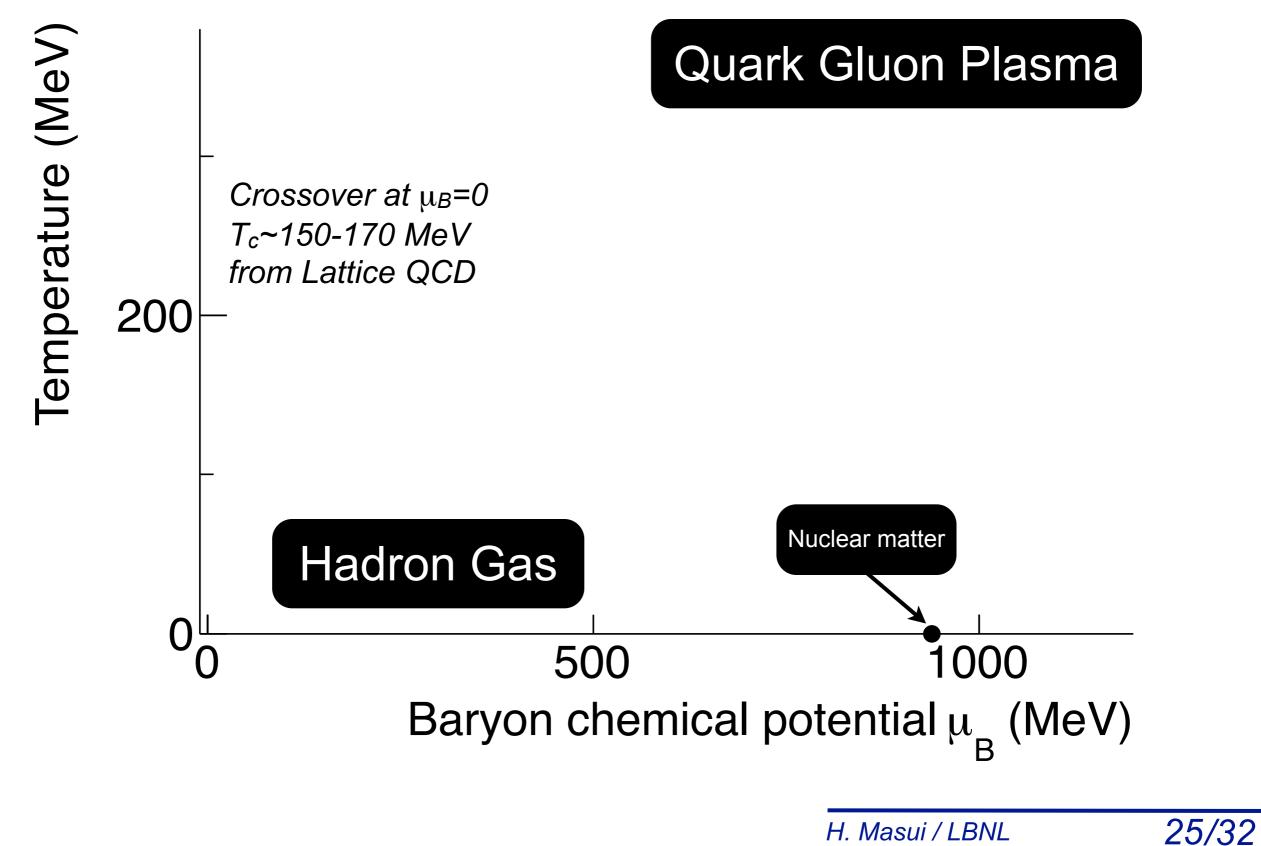
No minimum around 20 GeV

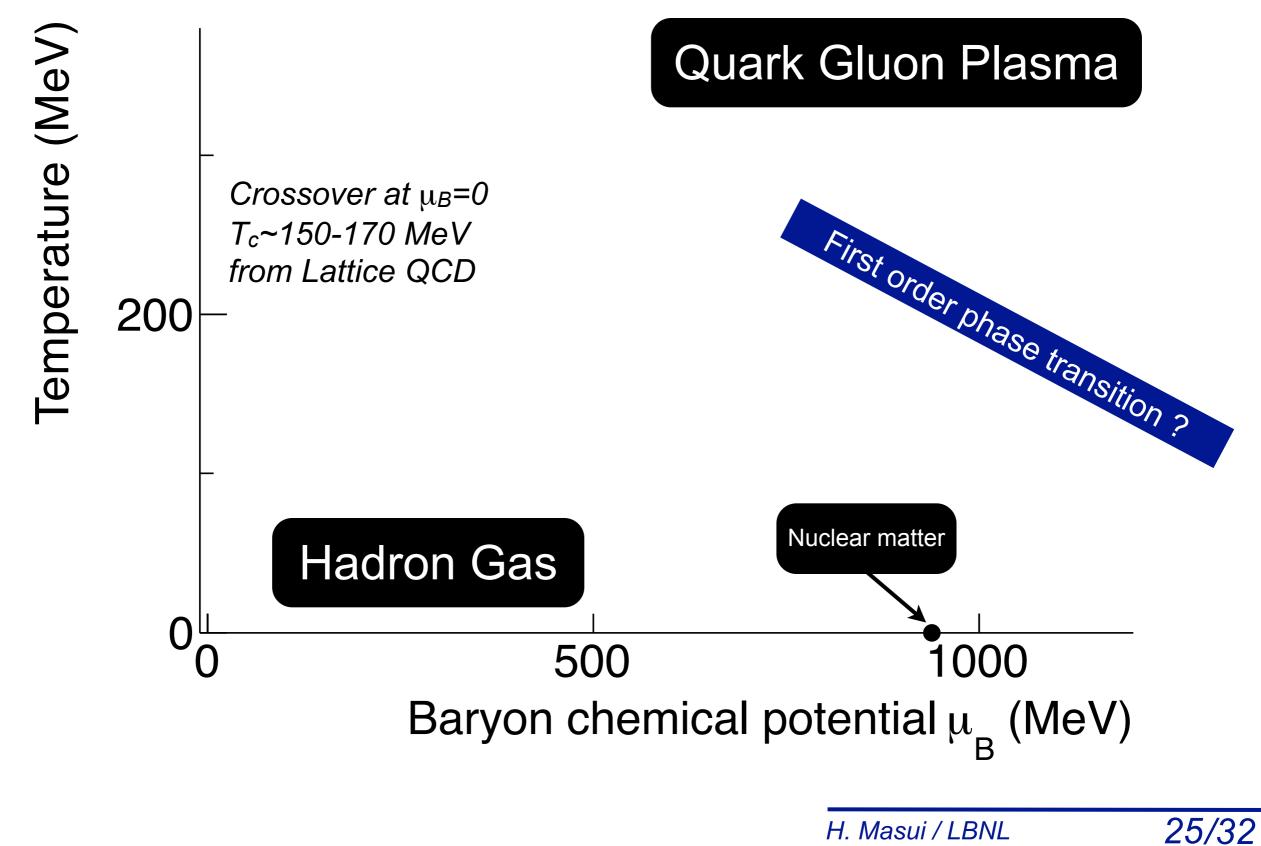
## Search for QCD critical point

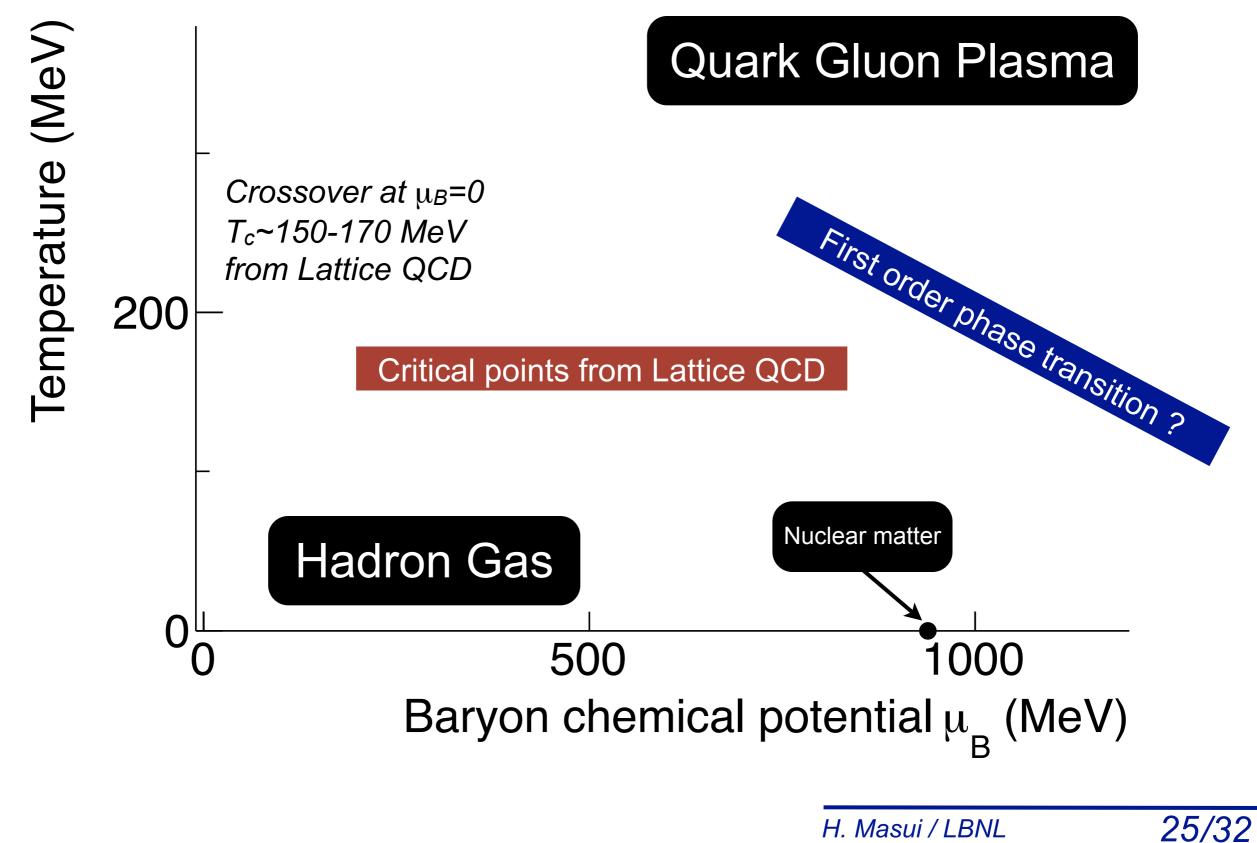
 Moment of multiplicity distribution for conserved quantities

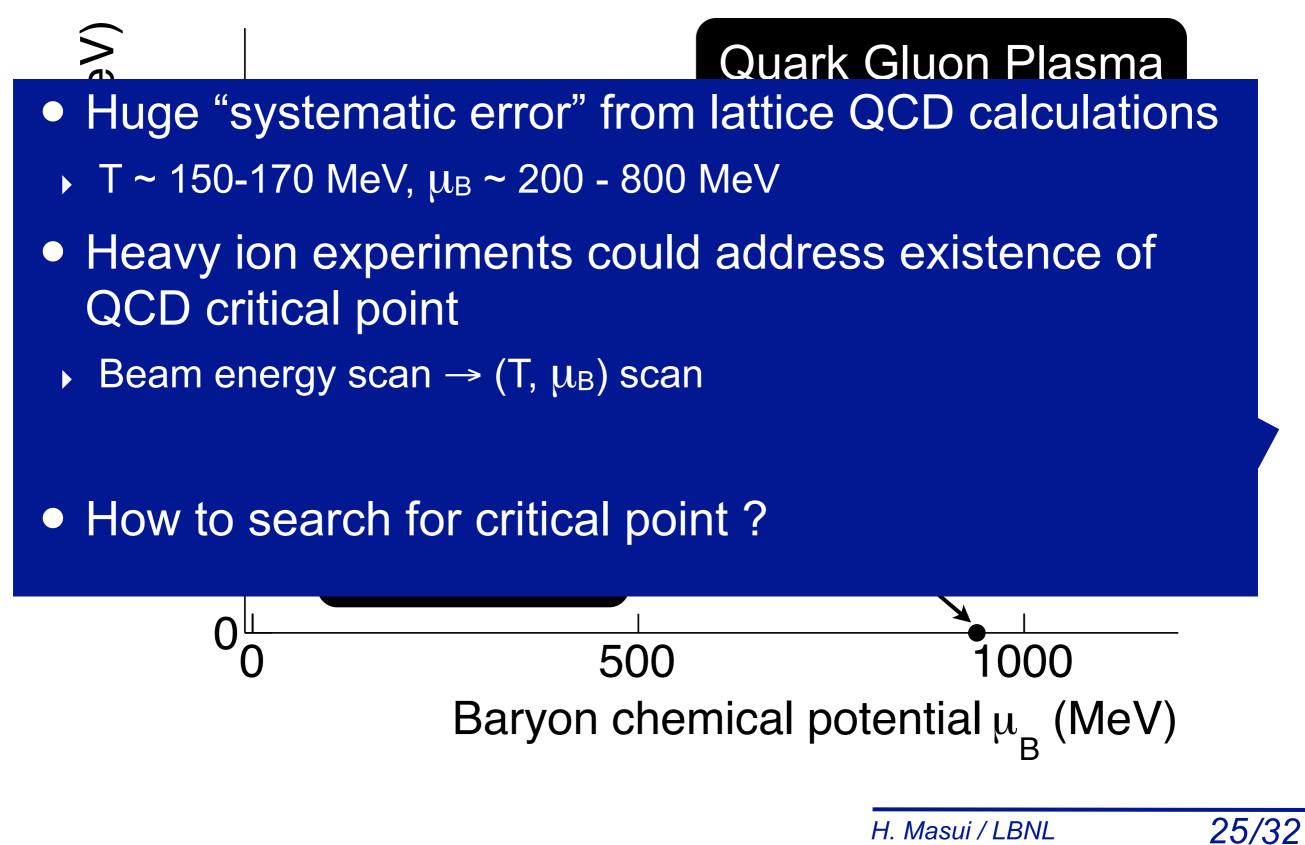










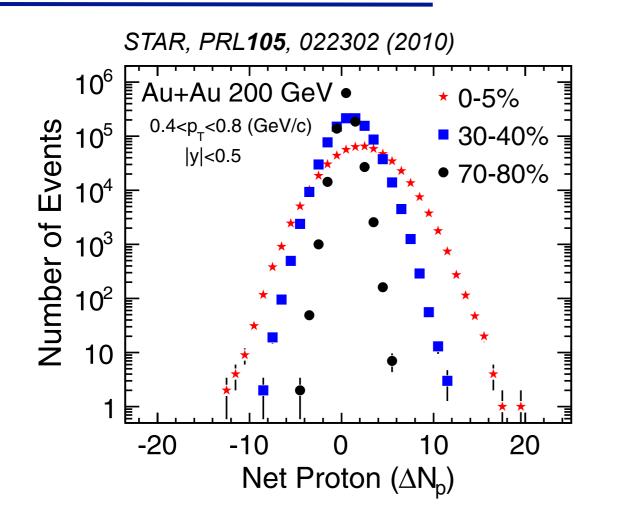


#### Signatures of critical point

- Second order phase transition at critical point
  - A divergent susceptibility, an infinite correlation length, and a power-law decay of correlations near criticality
- Ratio of susceptibilities ↔ product of moments (or ratio of cumulants)
   M. A. Stephanov, PRL102, 032301 (2009), C. Athanasiou et al, PRD82, 074008 (2010)
  - "Higher" moments (3rd, 4th, ...) show stronger sensitivity on correlation length
- Critical point search at STAR
  - Measure product of moments for (proxy of) conserved quantities as a function of beam energy
  - Non-monotonic behavior of these observables will be the signature of QCD critical point



#### **Experimental observables**



$$\kappa_{2} \equiv \langle (\delta x)^{2} \rangle \sim \xi^{2}, \kappa_{3} \equiv \langle (\delta x)^{3} \rangle \sim \xi^{4.5},$$
  

$$\kappa_{4} \equiv \langle (\delta x)^{4} \rangle - 3 \langle (\delta x)^{2} \rangle^{2} \sim \xi^{7}$$
  

$$\delta x \equiv x - \langle x \rangle,$$
  

$$S = \frac{\kappa_{3}}{\kappa_{2}^{3/2}} \text{ (Skewness)}, \quad K = \frac{\kappa_{4}}{\kappa_{2}^{2}} \text{ (Kurtosis)}$$

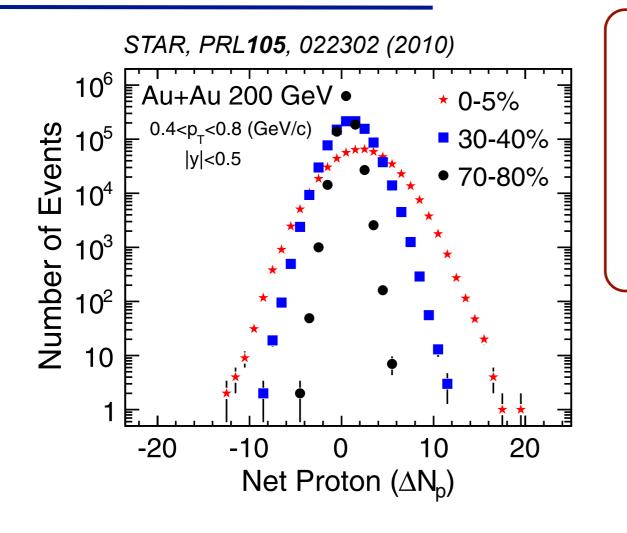
Observables

$$S\sigma = \kappa_3/\kappa_2, \quad K\sigma^2 = \kappa_4/\kappa_2$$

$$S\sigma \sim \chi^{(3)}/\chi^{(2)}, \quad K\sigma^2 \sim \chi^{(4)}/\chi^{(2)}$$

- Higher order cumulants scale with higher powers of correlation length
- sensitive to critical point induced fluctuations
- Use product of moments (cancel volume effect)
  - Related to ratio of susceptibilities

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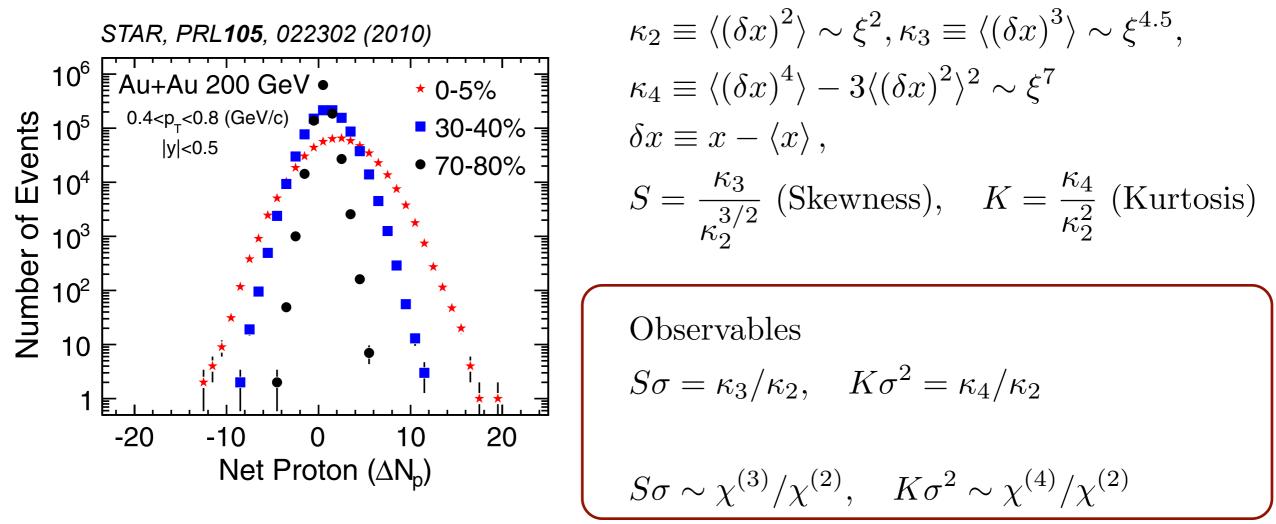
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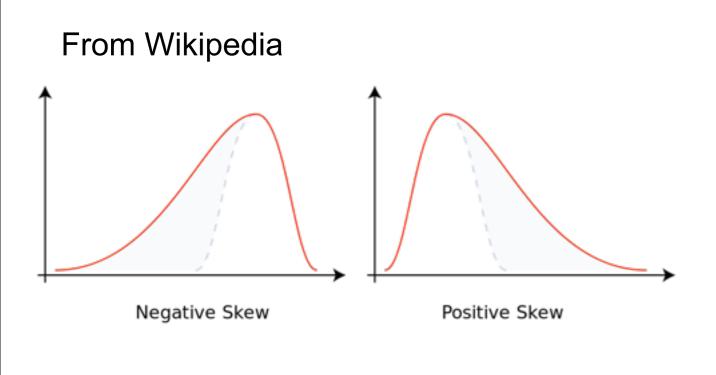


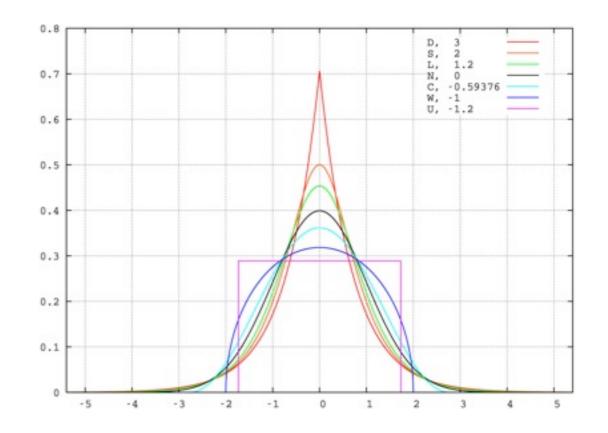
#### **Experimental observables**



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#### Non-gaussian fluctuations



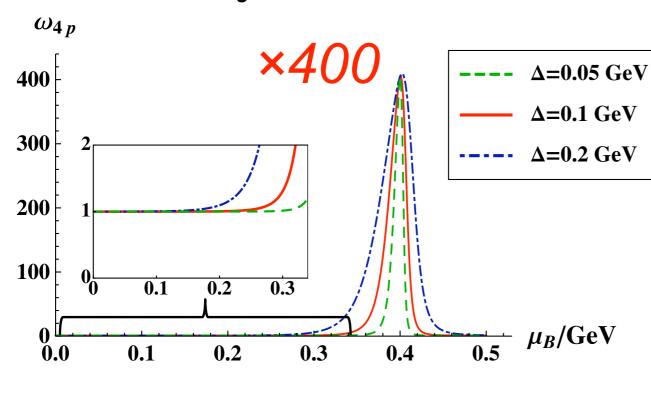


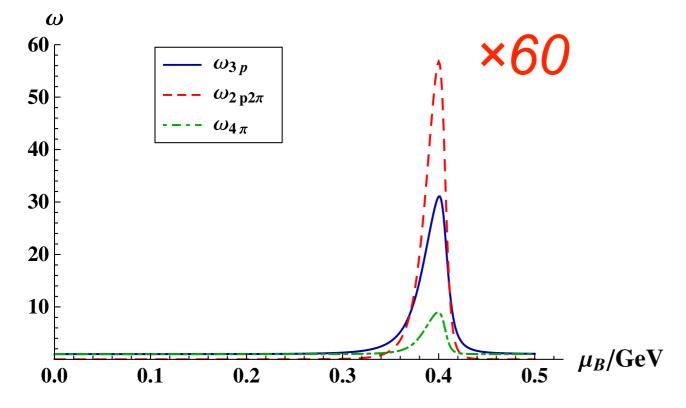
- 3rd moment = Skewness, S
  - Asymmetry of the distribution
- 4th moment = Kurtosis, *K* 
  - Peakedness of the distribution
- Both moments are 0 for gaussian
- Critical point induce non-gaussian fluctuation



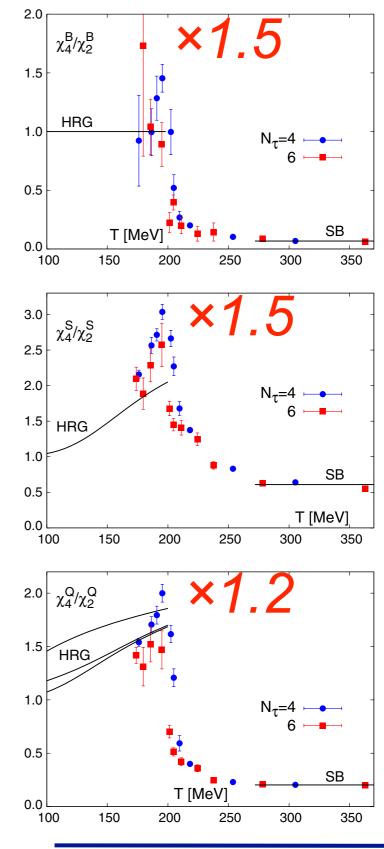
#### Predictions

*C. Athanasiou et al, PRD***82**, 074008 (2010) Non-linear sigma model

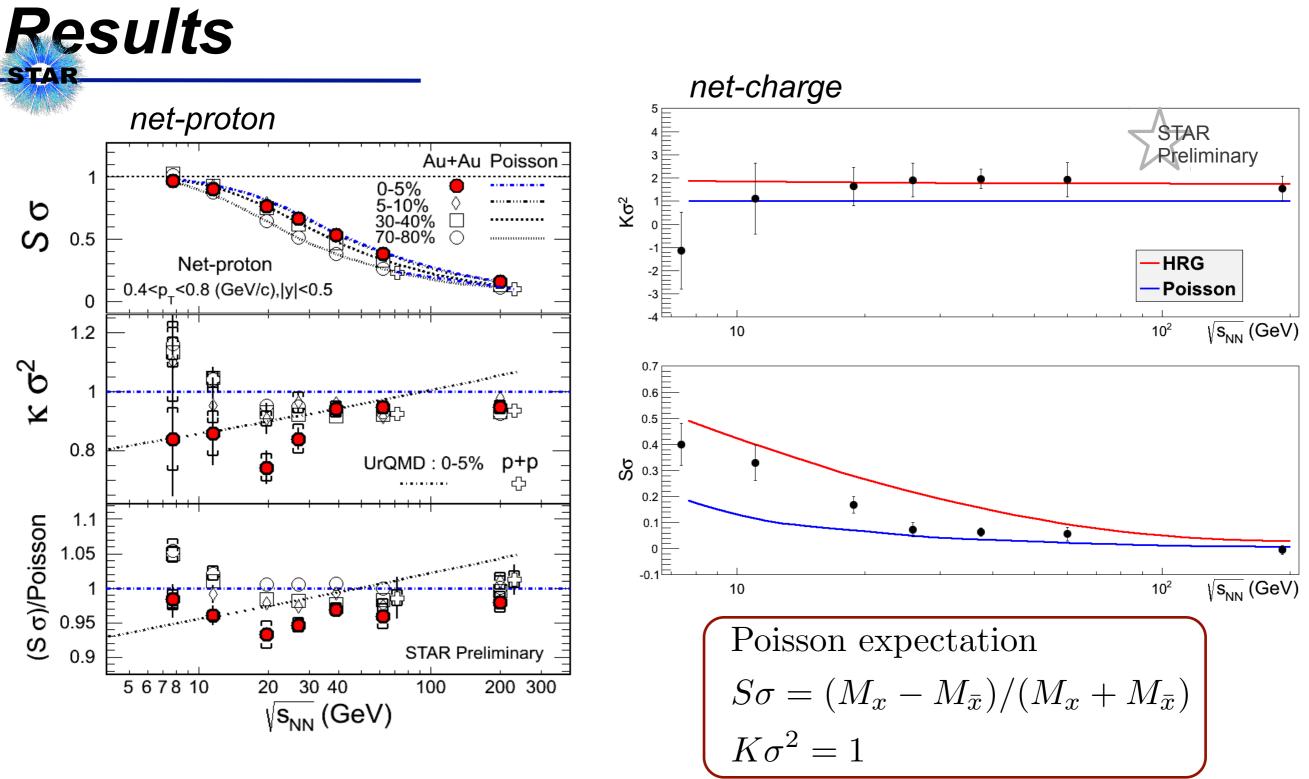




*M.* Cheng et al, PRD**79**, 074505 (2009) Lattice QCD



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- A factor of 1.5-100 enhancement not seen compared to the Poisson and HRG expectations
  - similar for net-kaons

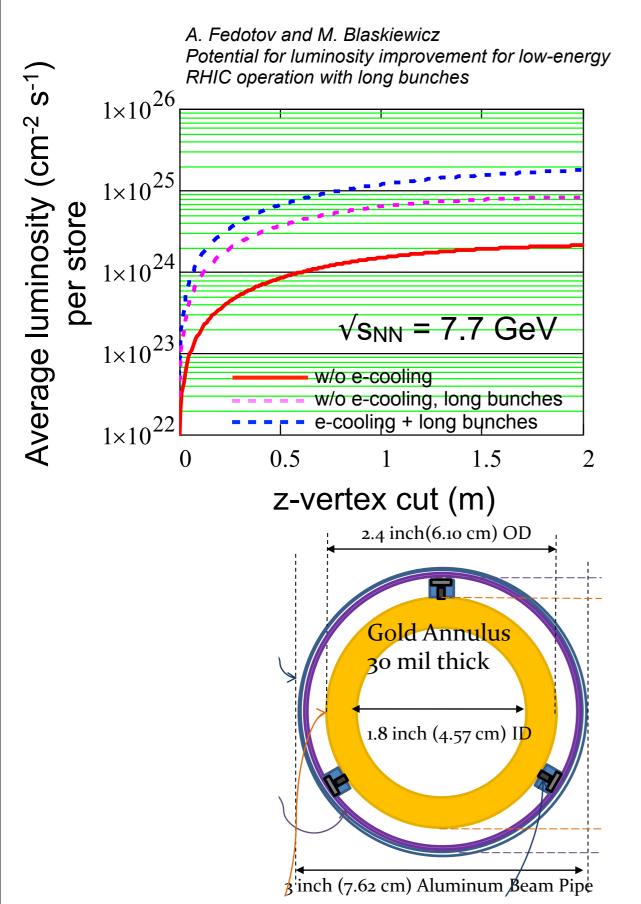


#### Summary

- Several observables turn off
  - v<sub>2</sub> (between particles and anti-particles), hint for φ meson v<sub>2</sub>, R<sub>cp</sub>, charge separation
- Non-monotonic behavior of dv<sub>1</sub>/dy
  - Hadron or parton cascade models can't describe the data
- No clear signal for critical point
  - Lack of statistics below 20 GeV
- Hadronic phase plays more important role at lower energies
- Need precision measurements below 20 GeV



#### **Outlook - towards BES Phase II**



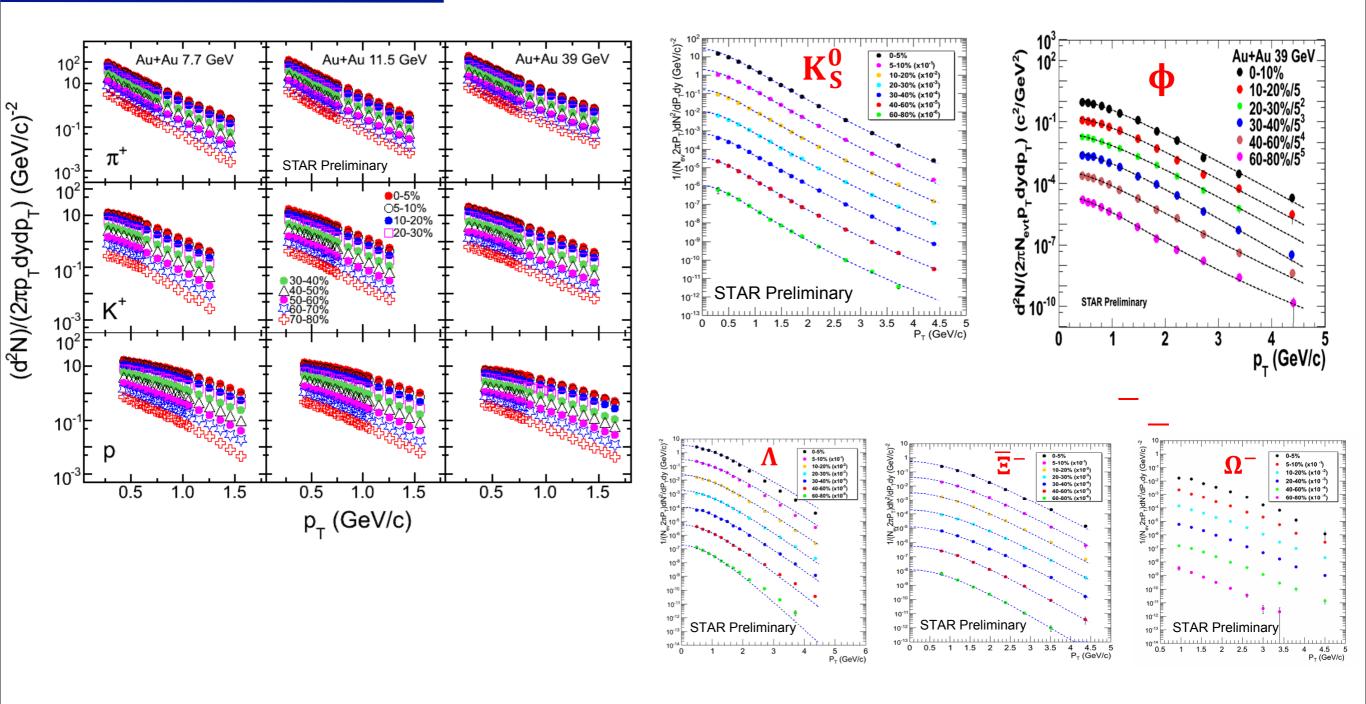
- BES phase II will likely cover the energy below ~ 20 GeV with improved statistics
- Fill the gap between 11.5 and 19.6
   GeV (Δμ<sub>B</sub>~100 MeV)
- Electron cooling + longer bunches will give 3-10 times higher luminosity
- Fixed target proposal √s<sub>NN</sub> < 5 GeV
- Annular gold target, 2m away from the center of the STAR
- Data taking with collider mode at the beginning of each fill, no disturbance to normal RHIC running



#### Back up



#### dentified particle spectra

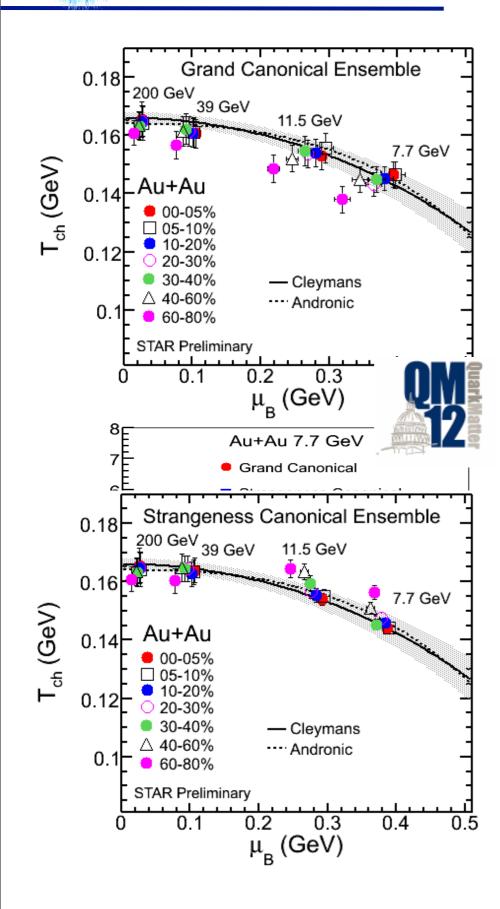


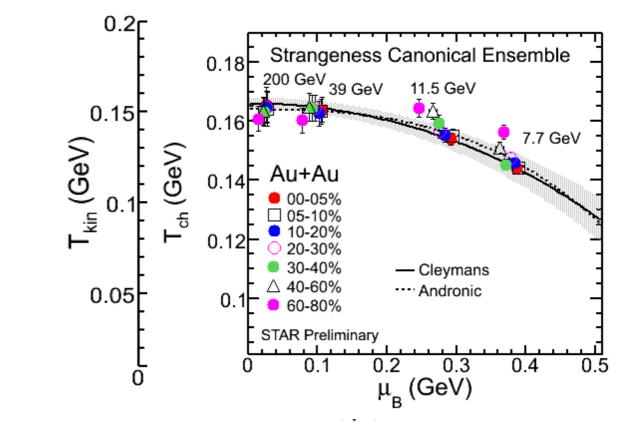
- Feed down from weak decays
  - corrected for  $\Lambda$ , others are not corrected



## Kinetic & chemical freeze-out







- Kinetic freeze-out
  - Blast-wave fit for  $\pi$ , K and p spectra
- Chemical freeze-out
  - THERMUS fit for  $\pi$ , K, K<sup>0</sup><sub>S</sub>, p,  $\Lambda$  and  $\Xi$
- Centrality dependence are under investigation